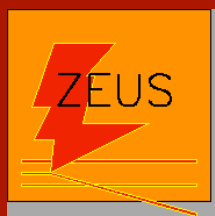


Photoproduction of Events with Rapidity Gaps Between Jets with ZEUS at HERA

Patrick Ryan

University of Wisconsin

**PhD Defense
May 5, 2006**



Outline



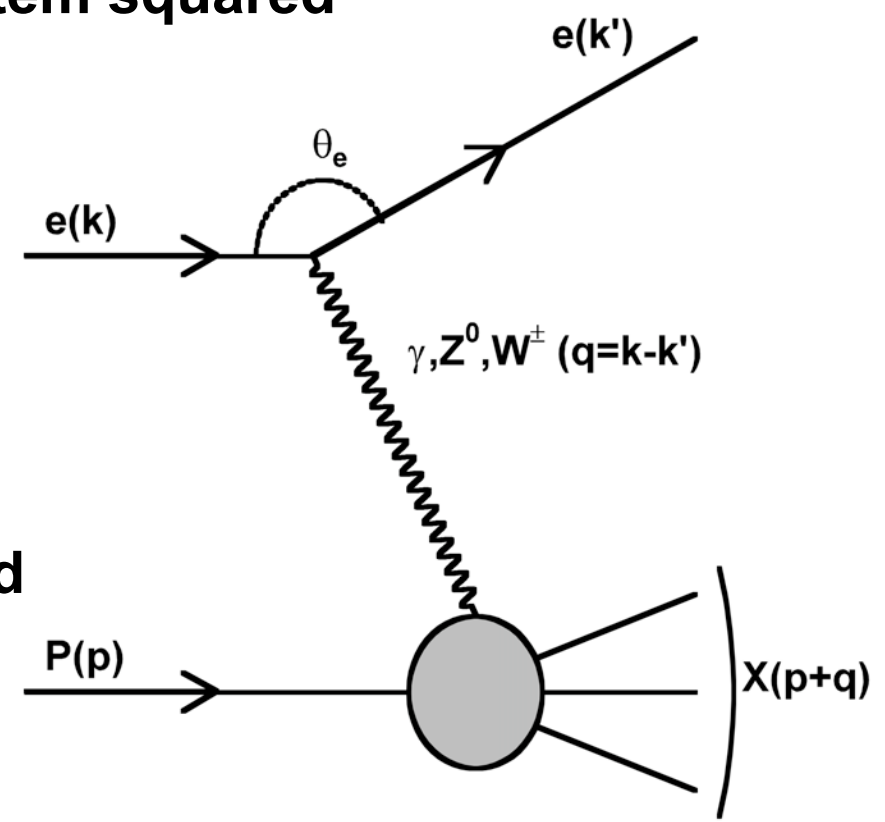
- **Introduction to QCD**
- **Rapidity Gaps**
 - **Photoproduction**
 - **Diffraction**
 - **Hard Diffractive Photoproduction**
- **HERA and ZEUS**
- **Simulation of photoproduction events**
- **Reconstruction**
- **Event Selection**
- **Comparisons between Data and MC**
- **Results**

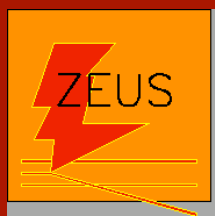


Lepton – Proton Collisions



- **Center of Mass Energy of ep system squared**
 - $s = (p+k)^2 \sim 4E_p E_e$
- **Center of Mass Energy of γp system squared**
 - $W^2 = (q+p)^2$
- **Photon Virtuality**
 - $q^2 = -Q^2 = (k-k')^2$
 - **Deep Inelastic Scattering (DIS): $Q^2 \gg 1$**
 - **Photoproduction: $Q^2 \ll 1$**
- **Fraction of Proton's Momentum carried by struck quark**
 - $x = Q^2/(2p \cdot q)$
- **Fraction of e's energy transferred to Proton in Proton's rest frame**
 - $y = (p \cdot q)/(p \cdot k)$
- **Variables are Related**
 - $Q^2 = sxy$





Introduction to QCD



- **QCD describes the Strong Interaction**
 - Interaction between partons (quarks and gluons)
 - Color is a quantum number of partons
 - Strength of interaction: strong coupling constant α_s
- **Gluon exchange mediates Strong Interaction**
 - Gluons can couple to other gluons
 - Multiple gluons can be exchanged
 - Color flow causes color radiation
- **Confinement**
 - Colored quarks and gluons unobservable
 - Instead observe colorless combinations of partons called hadrons
- **Asymptotic Freedom**
 - Strength of color charge decreases as parton is approached
 - Decrease in α_s at small distances (high energy)



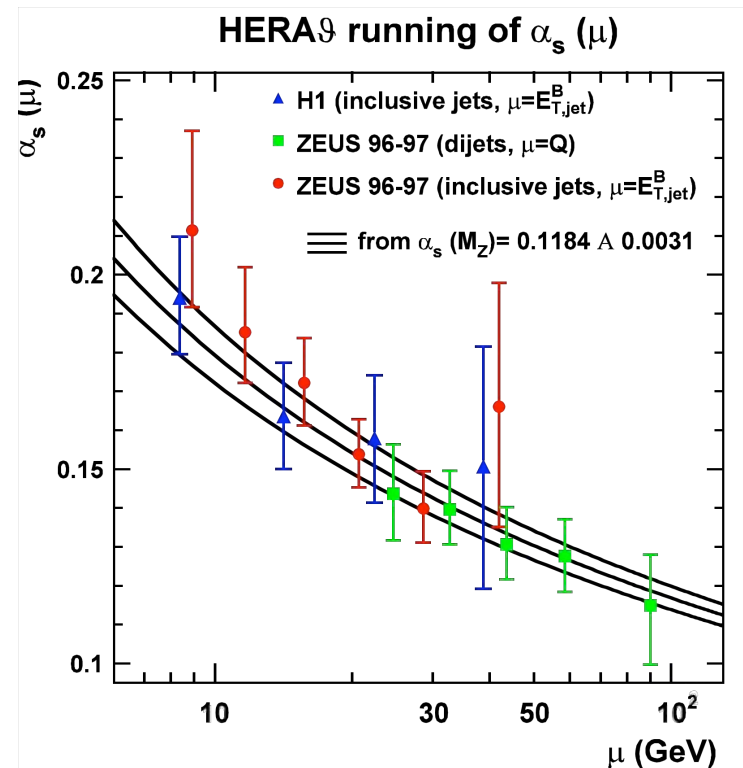
Perturbative QCD

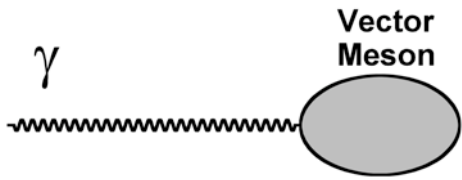


Leading Order (LO)

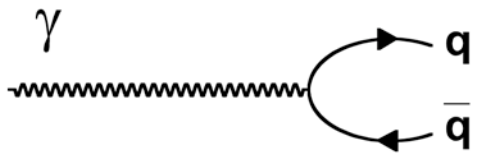
Next to Leading Order (NLO)

- Expansion in α_s : $A = A_0 + A_1\alpha_s + A_2\alpha_s^2 + \dots$
- Asymptotic Freedom causes running of $\alpha_s(\mu)$
 - Soft Scale small μ : $\alpha_s(\mu) \sim 1$
 - Hard Scale large μ : $\alpha_s(\mu) < 1$
- Perturbative QCD (pQCD)
 - Hard scale \rightarrow Convergence
- Non-perturbative QCD
 - Soft scale \rightarrow No convergence
- In practice μ is Q^2 or E_T
 - See following slides





VDM

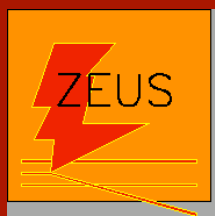


Anomalous



Direct

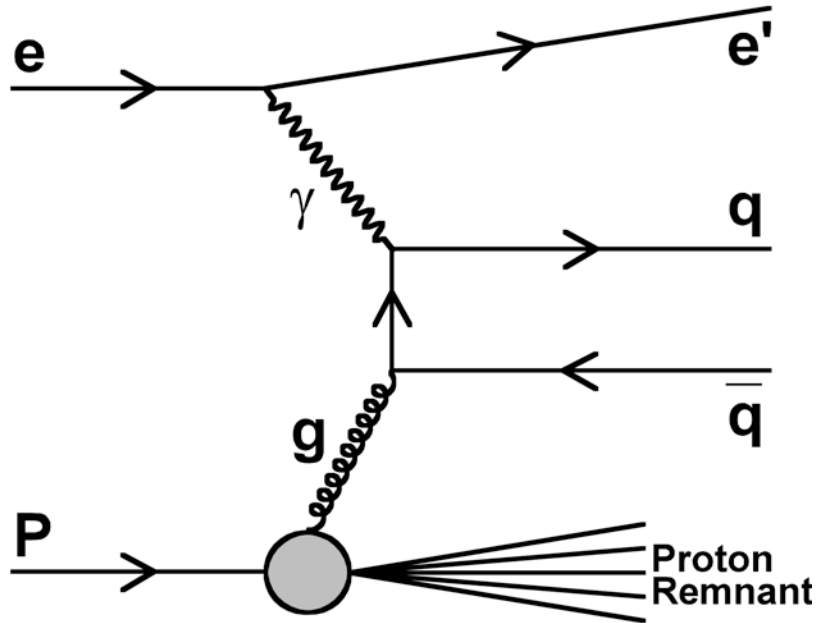
- **$Q^2 \sim 0$ in Photoproduction**
 - ep cross section has $1/Q^4$ dependence
 - Majority of ep events are photoproduction
- **Time γ has to fluctuate into hadronic object: $t \sim E_\gamma/Q^2$**
 - **Vector Dominance Model (VDM)**
 - Long time: γ forms bound states of mesons
 - **Anomalous**
 - Medium time: γ fluctuates into unbound qq pair
 - **Direct**
 - Short time: γ acts as a point-like object
- **Resolved = VDM + Anomalous**



Direct & Resolved Photoproduction

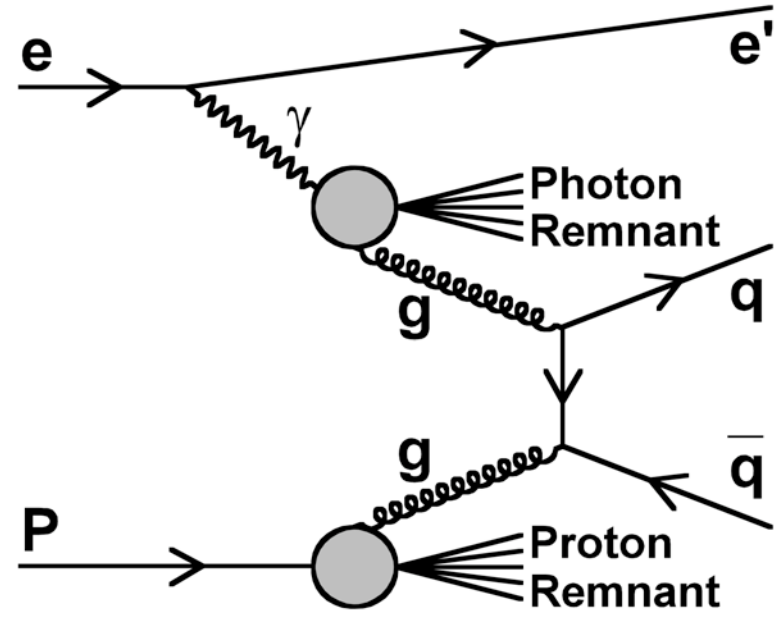


Direct Photoproduction



Boson-Gluon Fusion

Resolved Photoproduction



$gg \rightarrow q\bar{q}$

- **Direct:** γ couples directly to parton in proton
- **Resolved:** parton from γ couples to parton in proton



Diffraction in ep Collisions



- **Two “definitions” of diffraction**

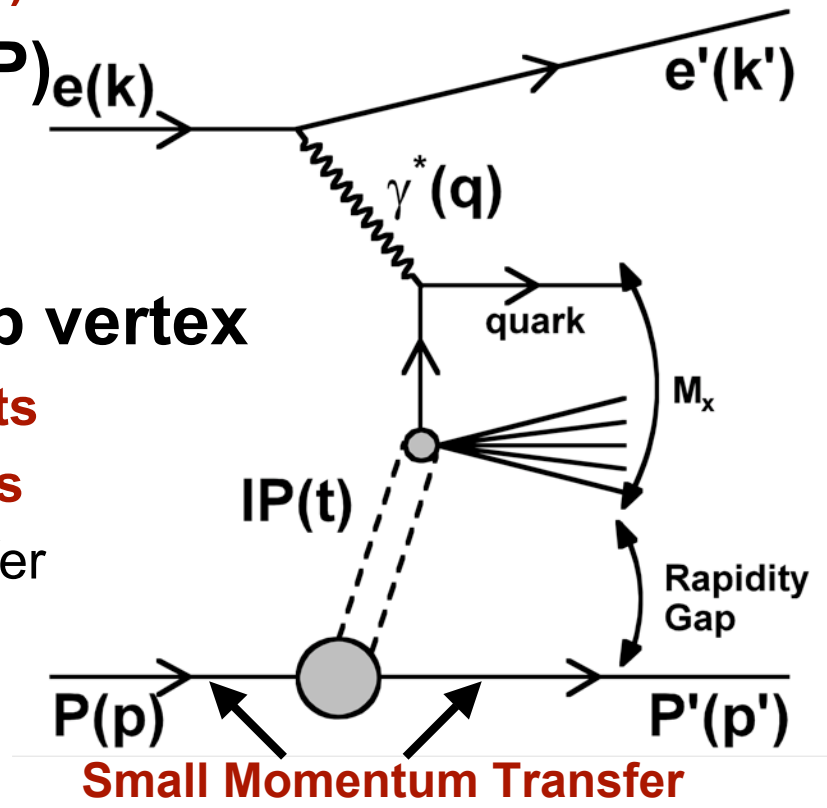
- Final state particles preserve quantum numbers of associated initial state particles
- Presence of rapidity gap (next slide)

- **Exchange object: Pomeron (IP)**

- Quantum numbers of vacuum
- Does not radiate color charge

- **Small momentum transfer at p vertex**

- **Soft diffraction: No hard scale exists**
- **Hard diffraction: A hard scale exists**
 - Example: Large momentum transfer between Pomeron and quark
 - pQCD is applicable

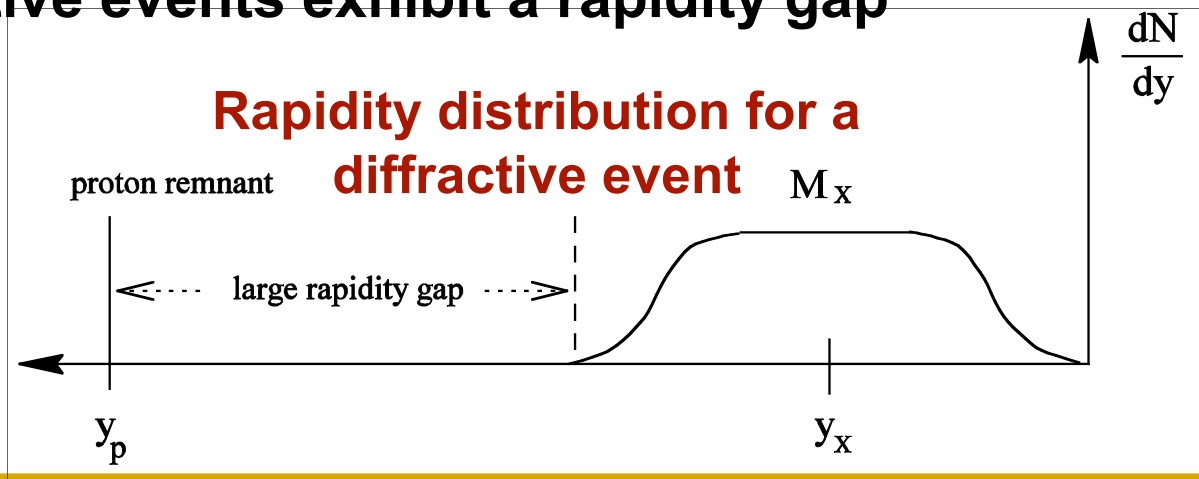




Rapidity & Pseudorapidity



- **Rapidity: $y = \frac{1}{2} \ln [(E+p_z) / (E-p_z)]$**
 - Boost invariant in longitudinal (z) direction
 - 4-vector written in terms of (p_T, y, ϕ)
- **Pseudorapidity: $\eta = -\ln [\tan(\theta/2)]$**
 - Rapidity in the limit that particle mass $\rightarrow 0$
 - Related to the azimuthal angle (dependence on θ)
 - 4-vector written in terms of (E_T, η, ϕ)
 - Quantities measured in an experiment
- **Inelastic events exhibit a constant rapidity distribution**
- **Diffractive events exhibit a rapidity gap**

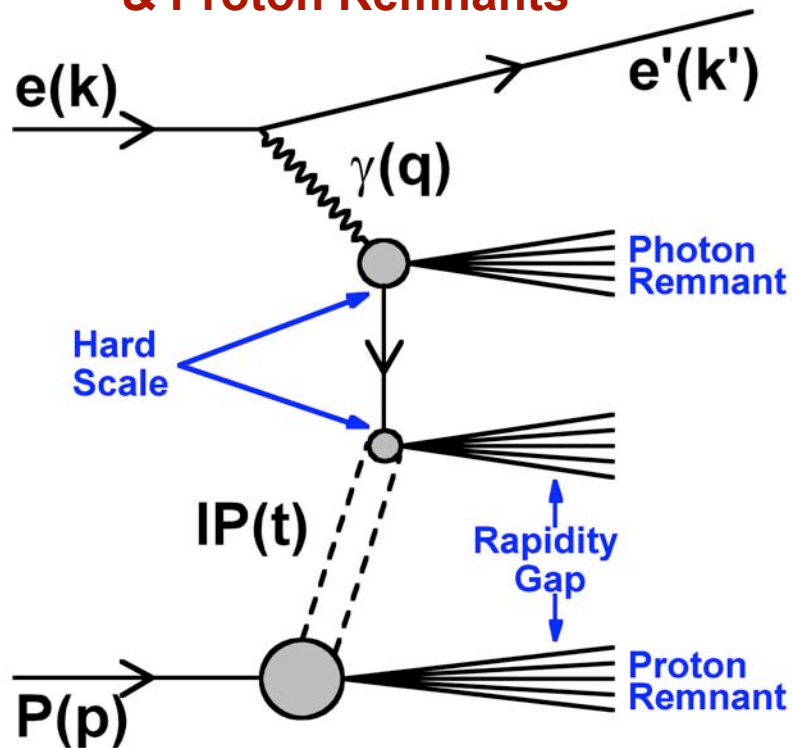




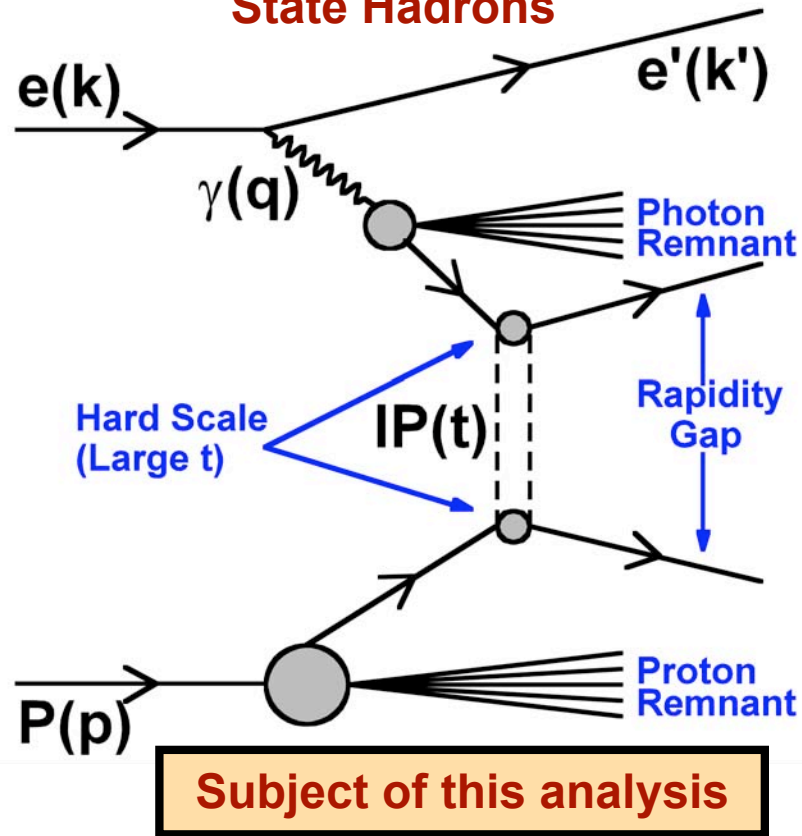
Hard Diffractive Photoproduction



Rapidity Gap Between Hadron & Proton Remnants

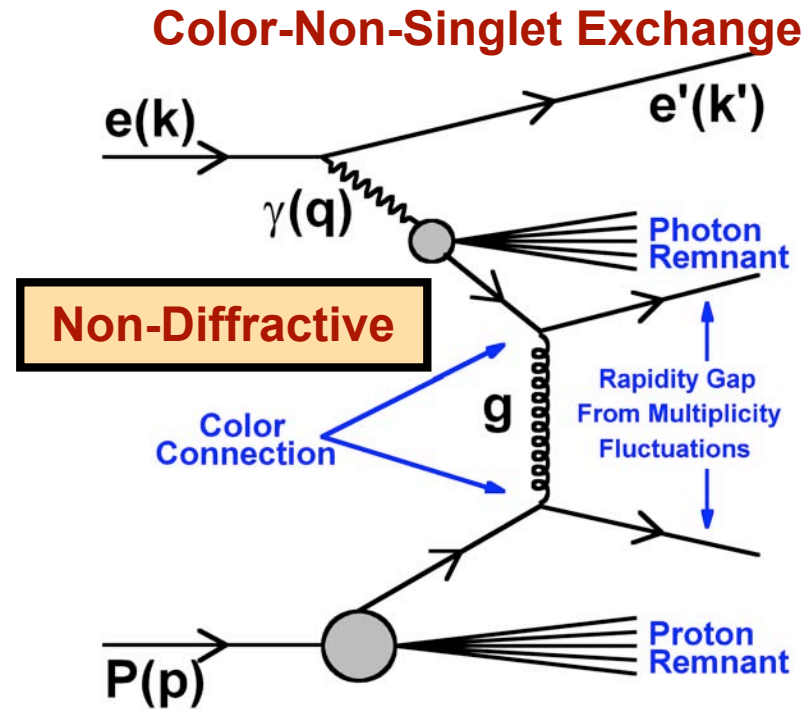
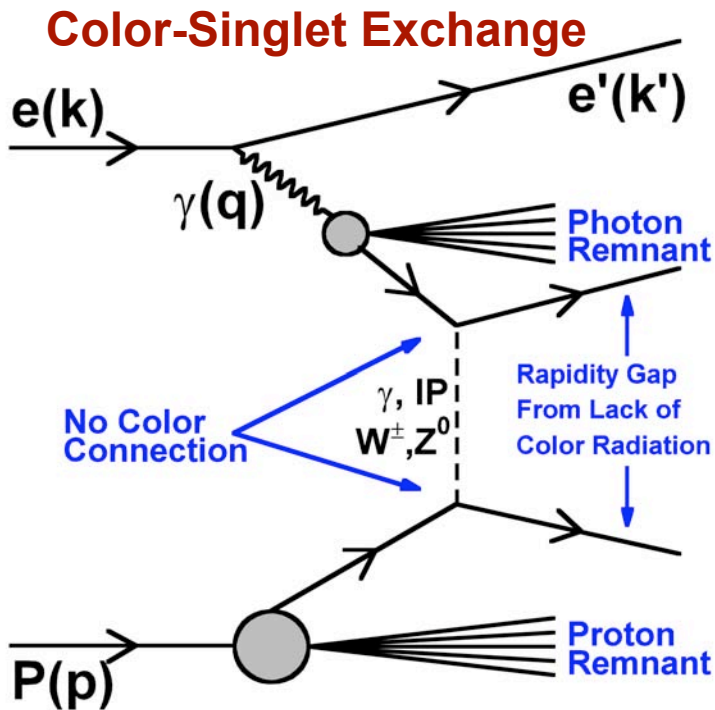


Rapidity Gap Between 2 Final State Hadrons



- Study the nature of the Pomeron exchange
 - Observe Color-Singlet exchange
- Hard Scale allows application of pQCD to diffractive process

Rapidity Gaps between Final State Hadrons



- **2 Sources of Rapidity Gaps between Jets**
 - **Color-singlet Exchange**
 - Lack of color radiation produces gap
 - Example: Pomeron exchange
 - **Color-Non-Singlet Exchange**
 - Fluctuations in particle multiplicity produces gap
 - Non-diffractive



The Gap Fraction $f(\Delta\eta)$



Dijet Events with large Rapidity separation between jets & $E_T^{\text{Gap}} < E_T^{\text{Cut}}$

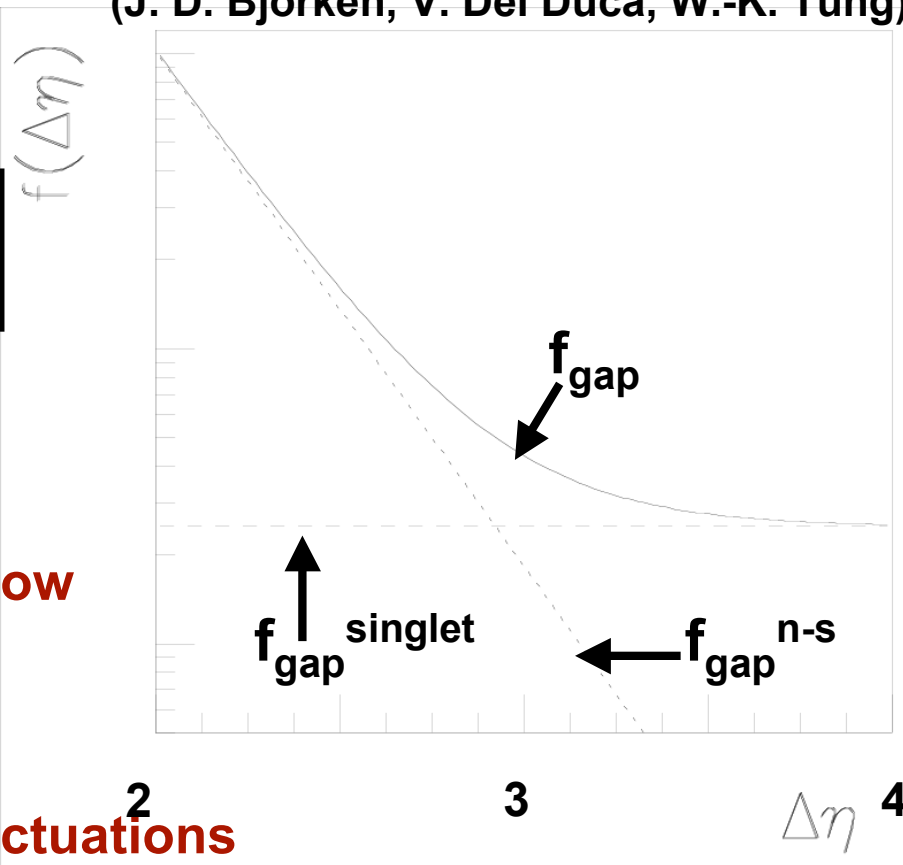
$$f(\Delta\eta) = \frac{d\sigma_{\text{gap}} / d\Delta\eta}{d\sigma / d\Delta\eta}$$

All Dijet Events with large Rapidity separation between jets

$$\sigma_{\text{gap}} = \sigma_{\text{gap}}^{\text{singlet}} + \sigma_{\text{gap}}^{\text{non-singlet}}$$

- **Color Singlet**
 - Gap created by lack of color flow
 - $f(\Delta\eta)$ constant in $\Delta\eta$
- **Color Non-Singlet**
 - Gap created by multiplicity fluctuations
 - $f(\Delta\eta)$ decreases exponentially with $\Delta\eta$

Expectation for Behavior of Gap Fraction (J. D. Bjorken, V. Del Duca, W.-K. Tung)





HERA



DESY
Hamburg, Germany



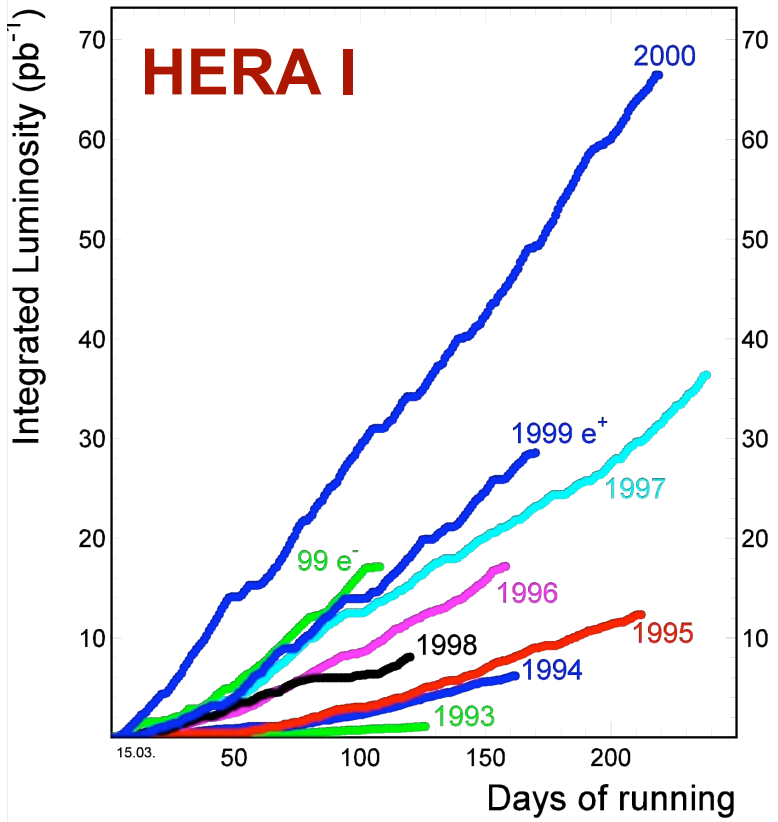
- **Beam Energy**
 - 820 GeV Protons (1992-97)
 - 920 GeV Protons (After 1998)
 - 27.5 GeV e+ or e-
 - **CM Energy: ~300/320 GeV**
 - Equivalent to 50 TeV Fixed Target experiment
- **96 ns crossing time**
- **220 bunches**
 - **Not all filled**
- **Currents:**
 - ~90 mA Protons
 - ~40 mA Leptons
- **Instantaneous Lumi**
 - $\sim 4 \times 10^{31} \text{ cm}^{-2} \text{ s}^{-1}$



HERA I and II Luminosity

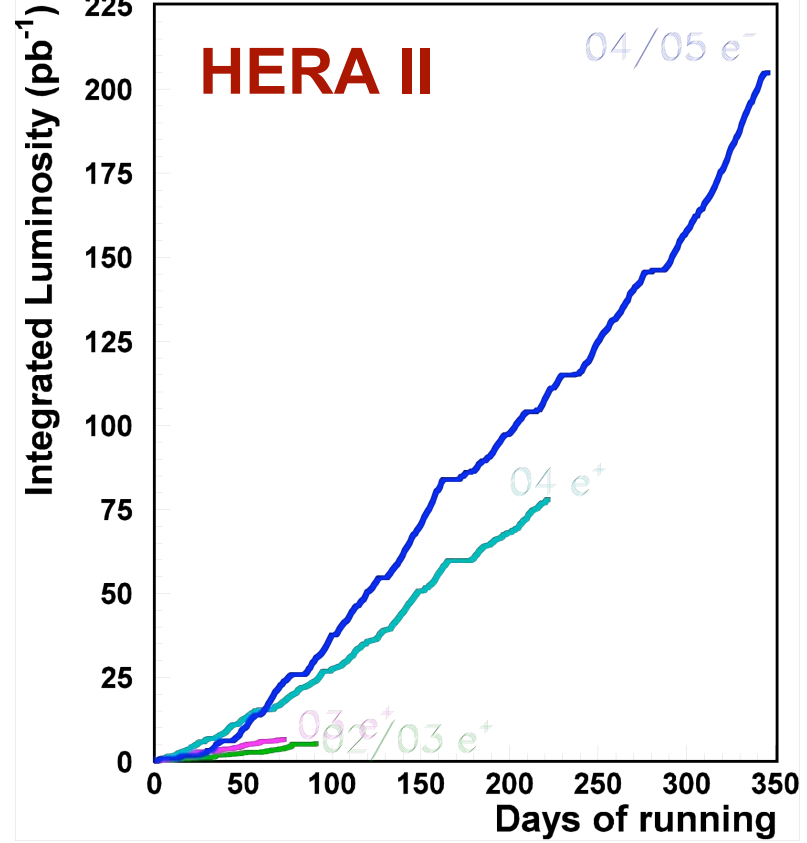


HERA luminosity 1992 ± 2000

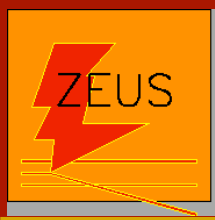


- **HERA I: 1992 – 2000**
 - e⁻: 27 pb⁻¹ e⁺: 166 pb⁻¹

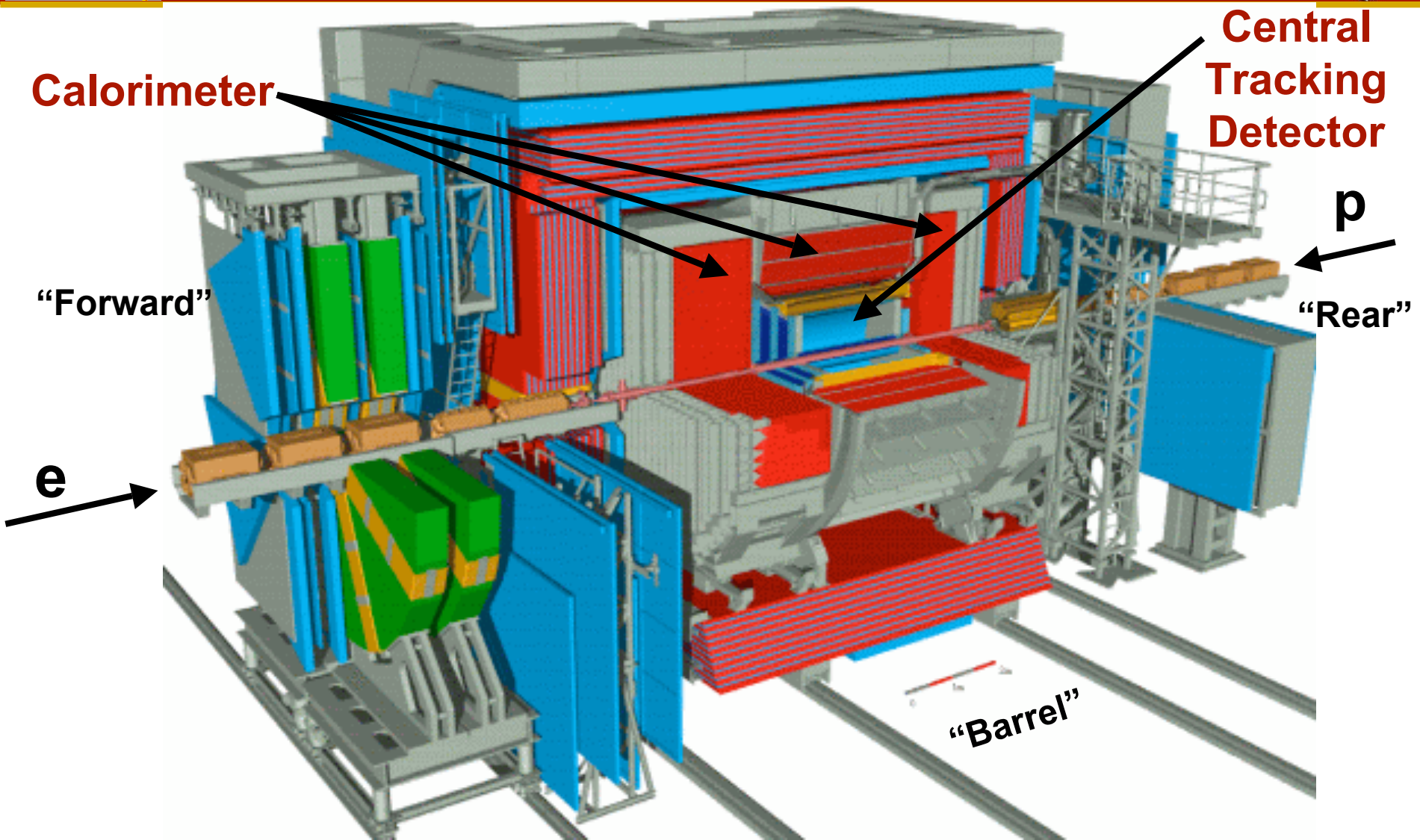
HERA Luminosity 2002 - 2005



- **HERA II: 2002 – 2007**
 - 5x lumi and polarization
 - e⁻: 205 pb⁻¹ e⁺: 90 pb⁻¹



ZEUS Detector

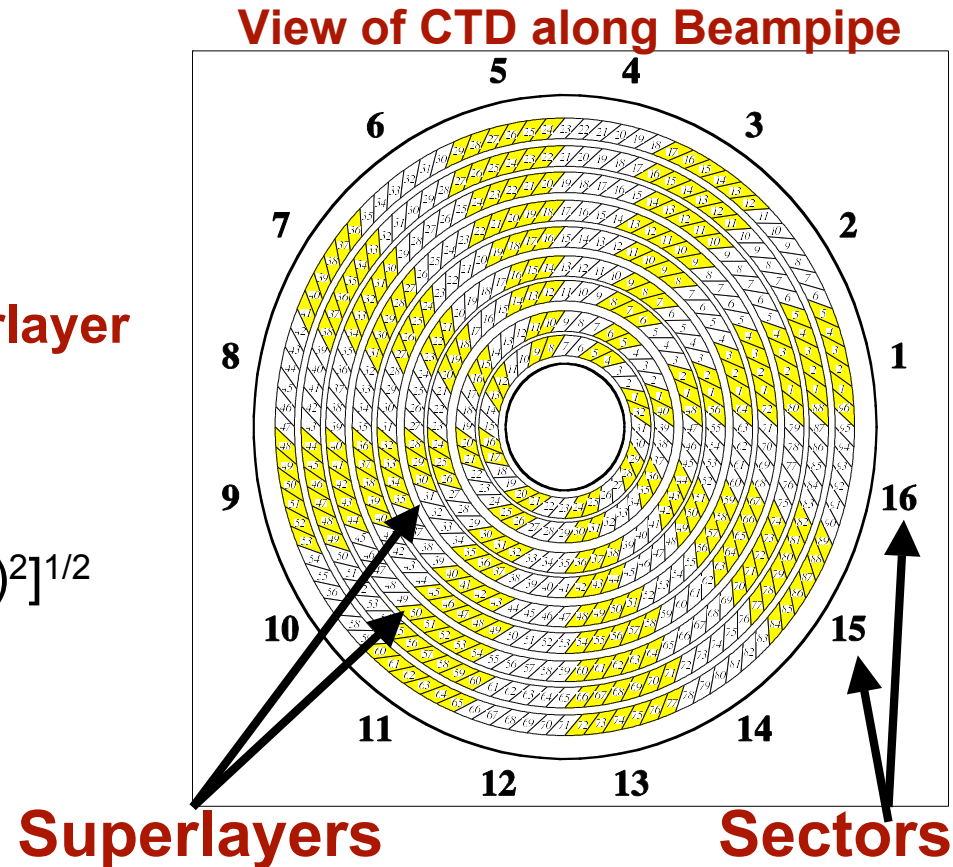




Central Tracking Detector



- **Cylindrical Drift Chamber in 1.43 T magnetic field**
- **Covers $15^\circ < \theta < 164^\circ$ ($-1.96 < \eta < 2.04$)**
- **Organization**
 - **16 azimuthal sectors**
 - **9 concentric superlayers**
 - **8 radial layers in a superlayer**
 - **Between 32-96 cells in a superlayer**
- **Resolutions**
 - **Track transverse momentum**
 - $\sigma/p_T = [(0.005p_T)^2 + (0.0016)^2]^{1/2}$
 - **Vertex Position**
 - x and y: accurate to 1 mm
 - z: accurate to 4 mm

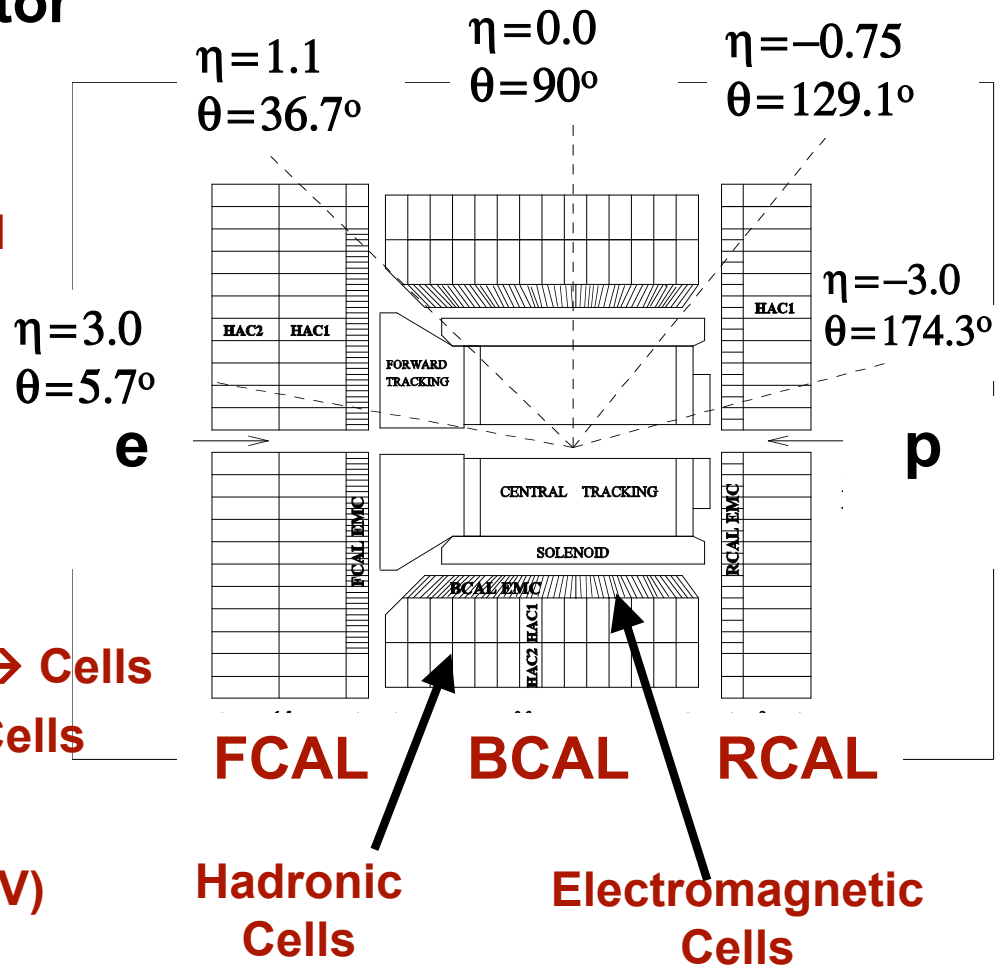




Uranium Calorimeter



- **Composed of plastic scintillator and depleted uranium**
- **Compensating**
 - **Equal response to electrons and hadrons of same energy**
- **Sampling**
 - **Most energy absorbed by U**
- **Segmented**
 - **3 Regions: FCAL, BCAL, RCAL**
 - **Regions → Modules → Towers → Cells**
 - **Hadronic and Electromagnetic Cells**
- **Resolution (from test beam)**
 - **Electromagnetic: $\sigma = 0.18/\sqrt{E}(\text{GeV})$**
 - **Hadronic: $\sigma = 0.35/\sqrt{E}(\text{GeV})$**

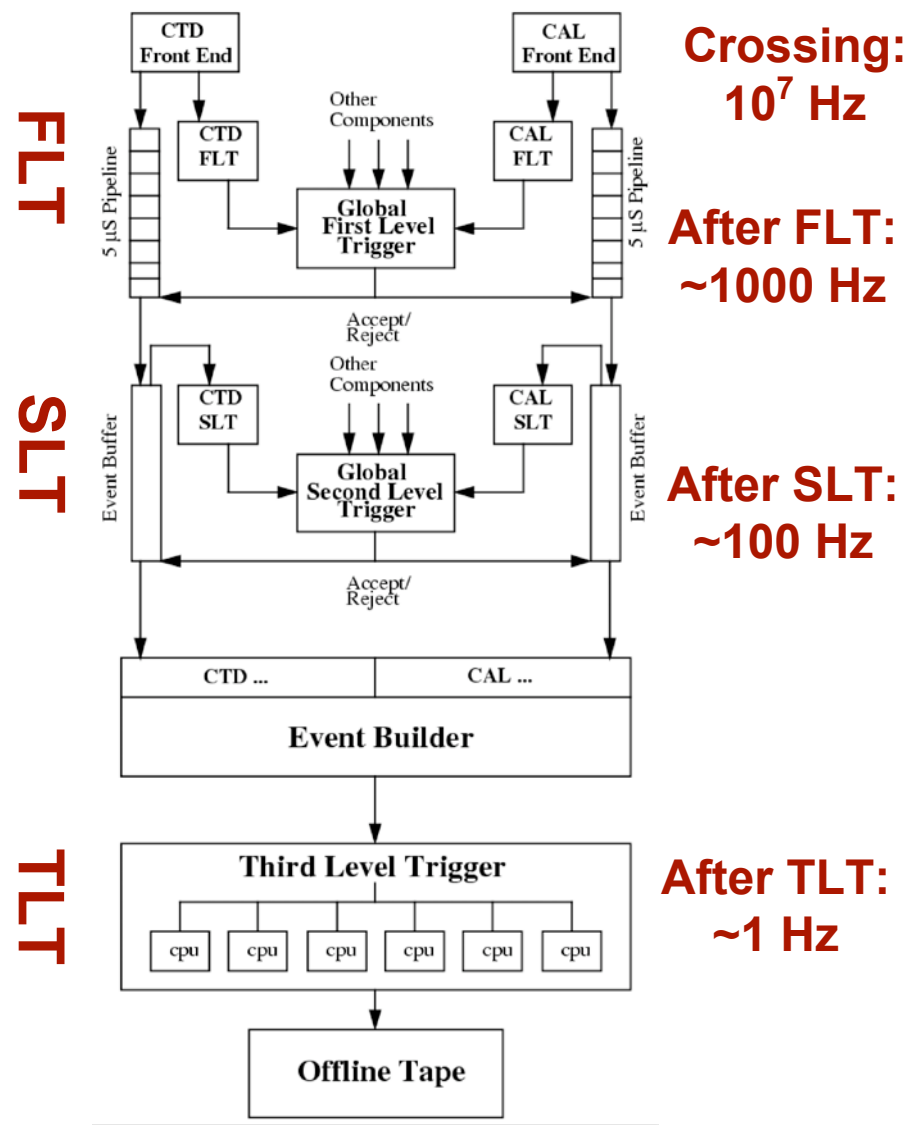




ZEUS Trigger

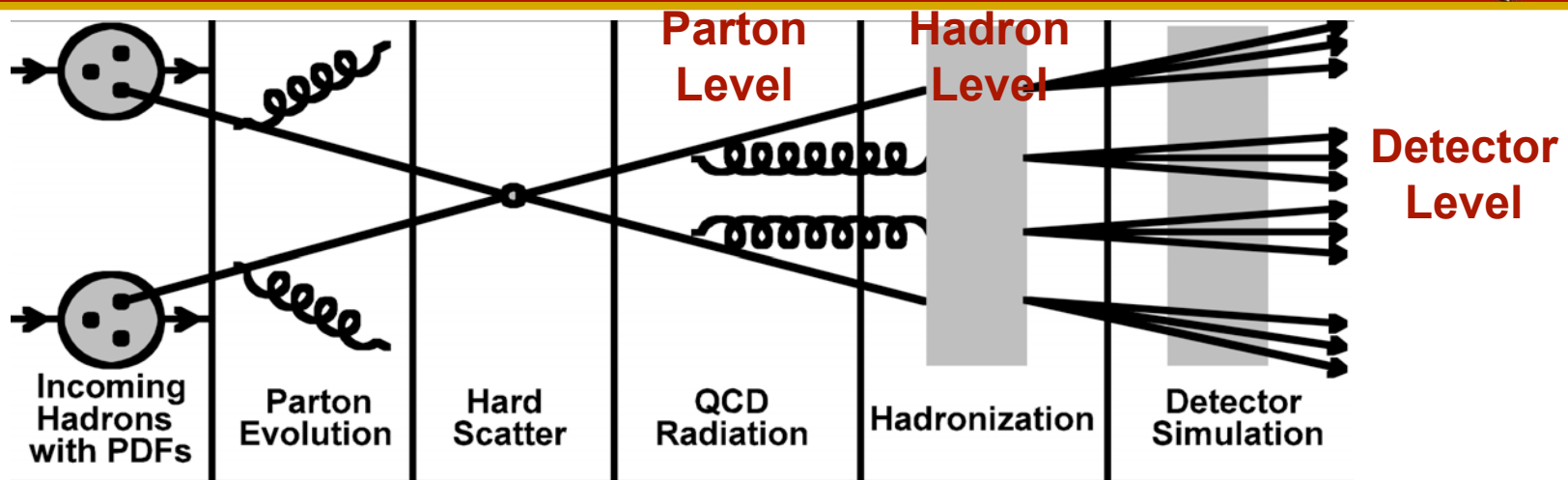


- **First Level (4.4 μ s)**
 - Dedicated custom hardware
 - Pipelined without deadtime
 - Global & regional energy sums
 - Isolated e and μ recognition
 - Track quality information
- **Second Level (6 ms)**
 - Commodity transputers
 - Calorimeter timing cuts
 - Cuts on $E-p_z$ and E_T
 - Vertex and tracking information
 - Simple physics filters
- **Third Level (0.3 s)**
 - Commodity processor farm
 - Full event info available
 - Refined jet and lepton finding
 - Advanced physics filters

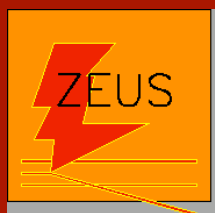




Modeling Events with Monte Carlo



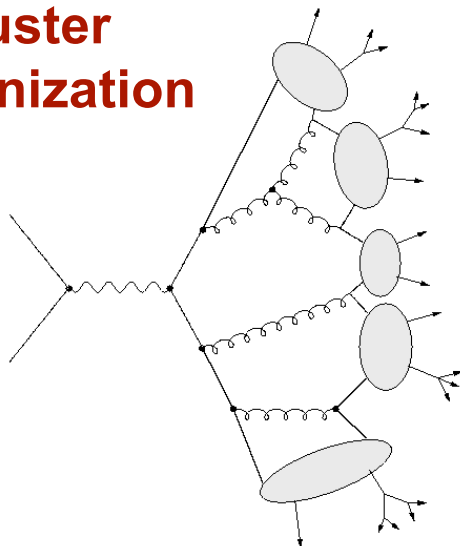
- Incoming Hadrons: Soft terms absorbed into PDFs at (x_0, Q_0^2)
- Parton Evolution: Extrapolate from (x_0, Q_0^2) to large range of (x, Q^2)
- Hard Scatter: Calculated exactly to fixed order
- QCD Radiation: Initial and final state radiation
 - Simulated by perturbative methods
 - MEPS method (Matrix Element + Parton Shower)
- Hadronization: Quarks & gluons \rightarrow colorless hadrons
 - Simulated by non-perturbative methods (see following slide)
- Detector Simulation: Uses GEANT package



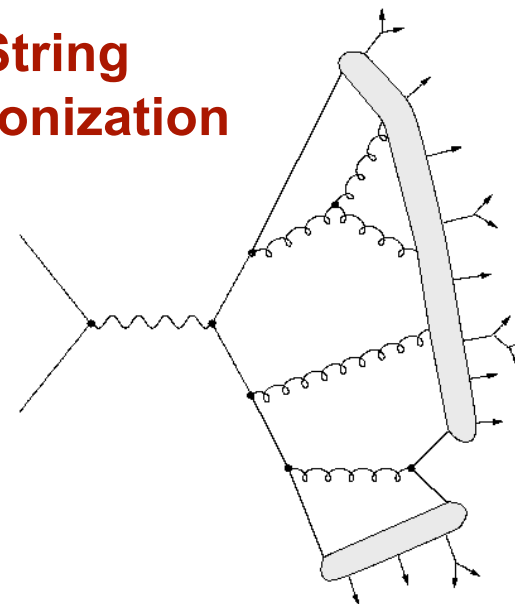
Hadronization Models



Cluster Hadronization



String Hadronization

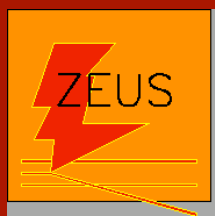


- **Cluster Hadronization**

- Color-singlet clusters formed from quark anti-quark pairs
- Cluster fragmented into 2 hadrons
- If too light to fragment, taken as lightest single hadron of flavor

- **String Hadronization (Lund String Model)**

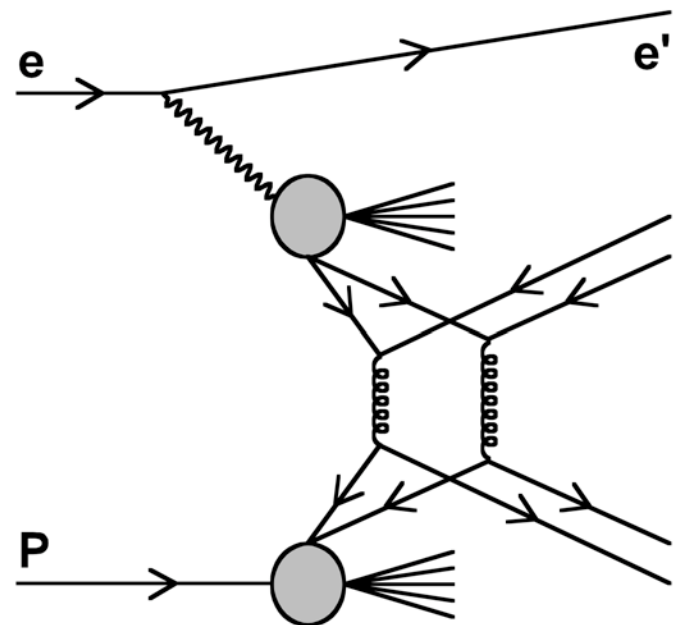
- Quark anti-quark pairs connected by 1-dimensional string
- Potential energy of string increases as quark and anti-quark move apart
- Quark and anti-quark combine with quark and anti-quark from vacuum fluctuation
- Divisions until only on-shell hadrons remain with quarks connected by small string

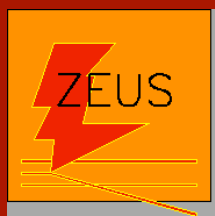


Multi-Parton Interactions (MPI)



- All scattering not associated with hard scatter
- Contributes to Underlying Event
 - All hadronic activity in addition to that produced by hard scatter
- Calculated using phenomenological models
 - Does not contribute to direct interactions
- Increases energy of final state

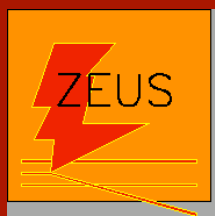




Simulation of γp Events PYTHIA



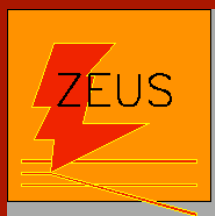
- **Accurate hadronization model**
 - **Many input parameters**
- **Adjustable p_T^{Min1} and p_T^{Min2}**
 - p_T^{Min1} : **Minimum p_T of hardest interaction**
 - p_T^{Min2} : **Minimum p_T of MPIs**
- **QCD Radiation: MEPS**
- **Hadronization: String Model**
- **MPIs in resolved MC**
- **Color-singlet exchange in PYTHIA**
 - **No Pomeron exchange model in PYTHIA**
 - **Use high- t γ exchange for qq scattering in LO resolved process**
 - **Reproduce topology of rapidity gap events**
 - **Not a source of events with rapidity gaps in hard diffractive γp**



Simulation of γp Events HERWIG



- **Simple universal hadronization model**
 - **Few input parameters**
- **Adjustable p_T^{Min1} (but not p_T^{Min2})**
- **QCD Radiation: MEPS**
- **Hadronization: Cluster Model**
- **JIMMY package used to simulate MPIs**
 - **MPIs in resolved and color-singlet MC**
- **Color-singlet exchange in HERWIG**
 - **BFKL pomeron as exchange object**
 - Resummation of leading log diagrams in $1/x$



Reconstruction



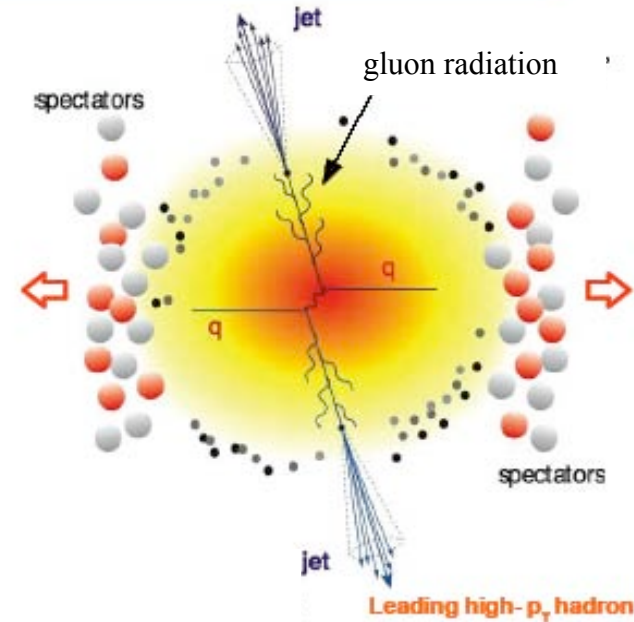
- **Tracks: Use only information from CTD**
- **Vertex: Use CTD tracks fit to 5-parameter Helix model**
- **Calorimeter**
 - **Use cell position, magnitude of PMT pulse, time of PMT pulse**
 - **Island formation: Cells merged based on location and size of energy deposits**
- **e^-/e^+ : SINISTRA95 Neural Network electron finder**
- **Energy Flow Objects (EFOs)**
 - **Combine track and calorimeter information for hadrons**
 - CTD has better angular resolution than CAL
 - CTD has better energy resolution at low energy than CAL

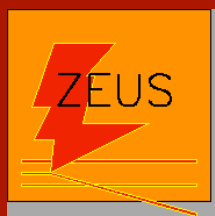


Jets



- **Colored partons produced in collision**
 - **Parton showers** → Many more colored partons
 - **Hadronization** → Colorless hadrons
- **Jet**
 - **Colorless collimated “spray” of hadrons**
 - **Experimental signature of quarks & gluons**
 - **Experimentally observed as energy clusters**
 - **Jets properties give hadron-level info**
- **Jet Algorithms**
 - **Collinear Safe**
 - 1 particle of energy E same as N particles whose sum of energy is E
 - Independent of detector granularity
 - **Infrared Safe**
 - Insensitive to infinitely soft partons
 - Measured energy not affected by very low energy particles

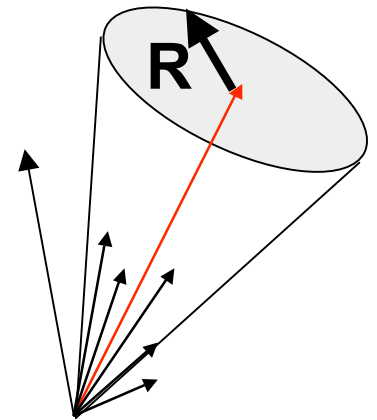




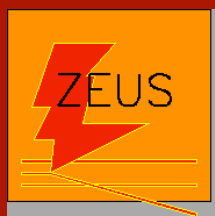
Cone Jet Algorithm



- **Historically used in pp experiments**
- **Maximize E_T in cone or radius R**
- **Procedure**
 - **High E_T objects selected as seeds (cone centers)**
 - **All objects within R combined to form Jet Candidate**
 - **Combination repeated with jet candidate as center of cone**
 - **Repeats until**
 - Center of cone same as center of jet candidate
 - Maximum number of iterations reached
- **Advantages**
 - **Seeds minimize CPU time**
 - **Conceptually simple**
- **Disadvantages**
 - **Not infrared safe**
 - **No standardized treatment of overlapping jets**



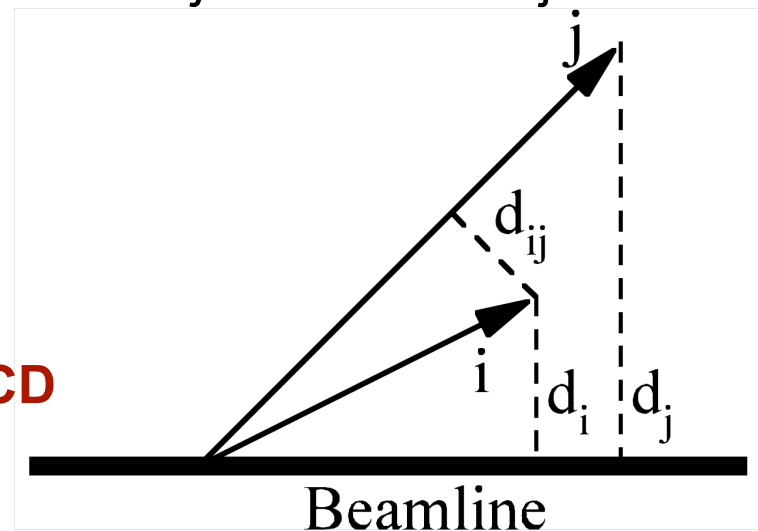
$$R = \sqrt{(\Delta\eta)^2 + (\Delta\phi)^2}$$



k_T Cluster Jet Algorithm



- **Historically used in e^+e^- experiments**
- **Procedure**
 - **For every object i and pair of objects i,j compute**
 - $d_i^2 = E_{T,i}^2$ (distance to beamline in momentum space)
 - $d_{i,j}^2 = \min\{E_{T,i}^2, E_{T,j}^2\}[\Delta\eta^2 + \Delta\phi^2]^{1/2}$ (distance between objects)
 - **Calculate $\min\{d_i^2, d_{i,j}^2\}$ for all objects**
 - If $d_{i,j}^2$ is the smallest, combine objects i and j into a new object
 - If d_i^2 is the smallest, object i is a jet
- **Advantages**
 - **Collinear and infrared safe**
 - **No problems with overlapping jets**
 - **Distributions can be predicted by QCD**





Kinematic Variables



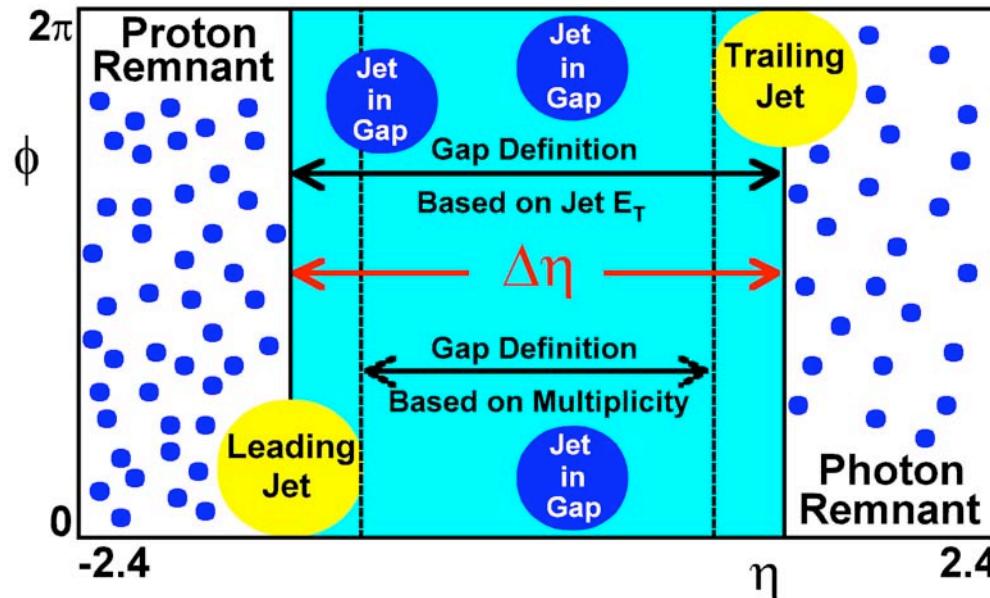
Variable	Electron Method	Jacquet-Blondel Method
y	$1 - \frac{E'_e}{2E_e}(1 - \cos\theta_e)$	$\frac{\sum_i (E_i - p_{z,i})}{2E_e}$
Q^2	$2E_e E'_e (1 + \cos\theta_e)$	$\frac{(\sum_i p_{z,i})^2 + (\sum_i p_{y,i})^2}{1 - y_{JB}}$

- Jet $E_T = [p_x^2 + p_y^2]^{1/2}$
- Jet $\eta = -\ln(\tan \theta/2)$ where $\theta = \tan^{-1}(E_T/p_z)$
- x_γ : Fraction of γ momentum involved in collision

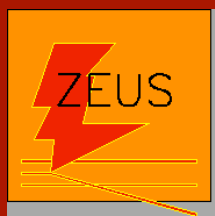
- Direct γp : $x_\gamma \sim 1$
- Resolved γp : $x_\gamma < 1$

$$x_\gamma^{OBS} = \frac{\sum_{jets} E_T e^{-\eta}}{2yE_e}$$

Rapidity Gap Topology



- Distance between leading and trailing jet centers: $\Delta\eta$
- E_T^{Gap} : Total E_T of jets between leading and trailing jet centers
- Gap Event has small energy in Gap: $E_T^{\text{Gap}} < E_T^{\text{Cut}}$
- Gap definition based on E_T better than that based on multiplicity
 - Collinear and infrared safe
 - Gap spans between centers of leading & trailing jets (increased statistics)

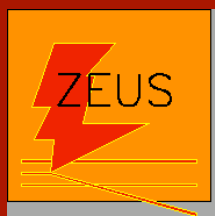


Monte Carlo Tuning



- **PYTHIA and HERWIG parameters modified**
 - Tuning based on JetWeb parameters (Global fit to collider data)
 - Tuned p_T^{Min} to ZEUS E_T^{GAP} distributions
- **Tuned PYTHIA 6.1**
 - Proton PDF: CTEQ 5L (Set 46)
 - Photon PDF: SaS-G 2D
 - $p_T^{\text{Min}1} = 1.9 \text{ GeV}$ $p_T^{\text{Min}2} = 1.7 \text{ GeV}$ (default 2.0 GeV, 1.5 GeV)
- **Tuned HERWIG 6.1**
 - Proton PDF: CTEQ 5L (Set 46)
 - Photon PDF SaS-G 2D
 - Square of factor to reduce proton radius: 3.0 (default 1.0)
 - Probability of Soft Underlying Event: 0.03 (default 1.0)
 - $p_T^{\text{Min}1} = 2.7 \text{ GeV}$ (default 1.8 GeV)

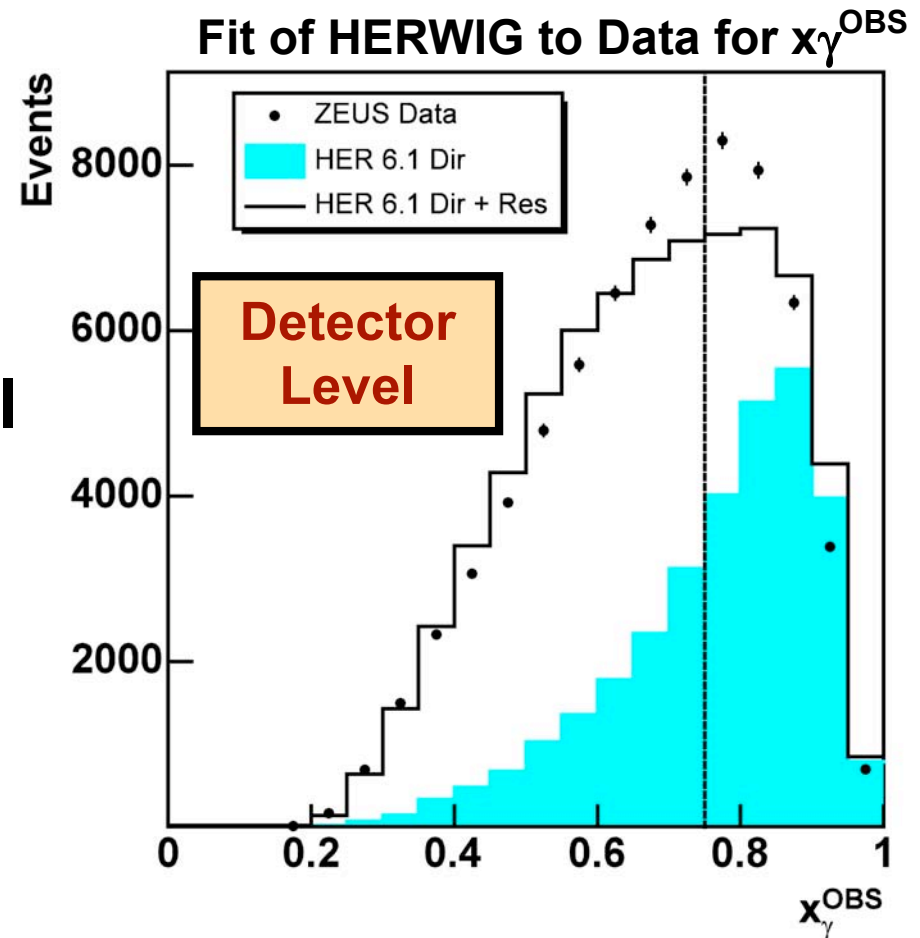
$p_T^{\text{Min}1}$: p_T of hardest interaction
 $p_T^{\text{Min}2}$: p_T of all secondary interactions

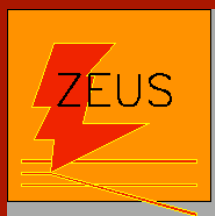


Acceptance Correction Direct + Resolved MC



- Correct data for acceptance: Detector \rightarrow Hadron level
- Dir & Res relative amounts fit to Data
 - x_γ^{OBS} distribution
- PYTHIA – Detector Level
 - 28% Direct
 - 72% Resolved
- HERWIG – Detector Level
 - 44% Direct
 - 56% Resolved
- Non-Color-Singlet (NCS)
 - Direct and Resolved only

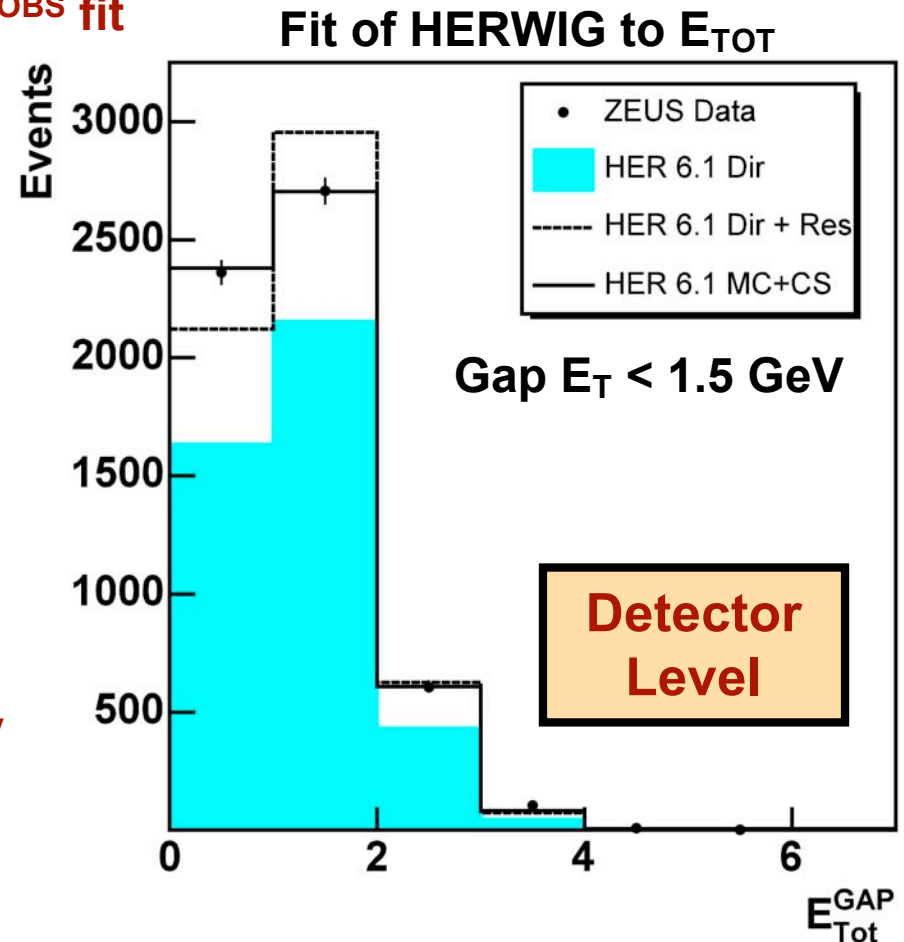




Acceptance Correction Direct + Resolved + Color Singlet



- Correct data for acceptance: Detector \rightarrow Hadron level
- NCS & CS relative amounts fit to Data
 - Dir and Res fractions fixed from x_γ^{OBS} fit
 - E_{TOT} for $E_T^{GAP} < 1.5$ GeV
- For Inclusive Sample
 - **PYTHIA – Detector Level**
 - 96% NCS (Direct + Resolved)
 - 4% CS
 - **HERWIG – Detector Level**
 - 94% NCS (Direct + Resolved)
 - 6% CS
- Compare to other methods
 - Fit to Num Jets for $E_T^{GAP} < 1.5$ GeV
 - Hadron level E_T^{GAP}
 - Similar results



Rapidity Gap Event Selection



ZEUS 1996-97 Data (38 pb⁻¹)

Trigger Selection:

FLT, SLT, and TLT requirements to select dijet photoproduction events

Clean Photoproduction Sample:

Reject events having Electron with $E_e > 5$ GeV **AND $y_e < 0.85$**

$$\Sigma p_T / \Sigma \sqrt{E_T} < 2 \text{ GeV}^{1/2}$$

$$|z_{\text{vtx}}| < 40 \text{ cm}$$

$$0.2 < y_{\text{JB}} < 0.85$$

Dijets with Large Rapidity Separation:

$E_T^{1,2} > 5.1, 4.25$ GeV (corresponds to $E_T^{1,2} > 6.0, 5.0$ GeV at hadron level)

$$|\eta^{1,2}| < 2.4$$

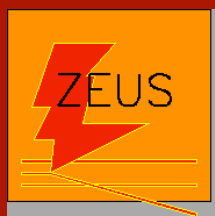
$$\frac{1}{2}|\eta^1 + \eta^2| < 0.75$$

$$2.5 < |\eta^1 - \eta^2| < 4.0 \text{ (Gap Definition)}$$

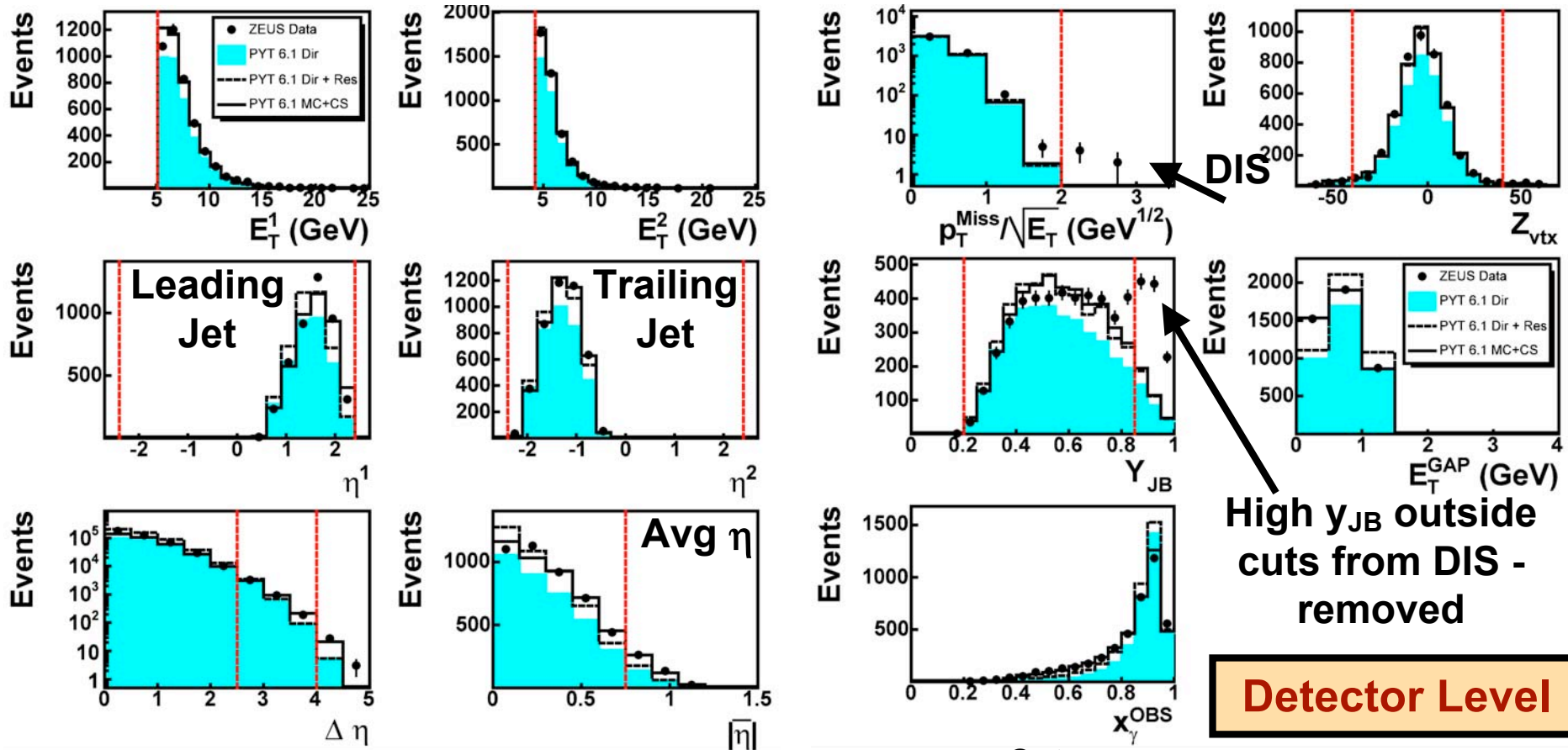
~70,000 Events in Inclusive Sample

4 Samples of Gap Events:

$E_T^{\text{CUT}} = 0.6, 1.2, 1.8, 2.4$ GeV (corr. to $E_T^{\text{CUT}} = 0.5, 1.0, 1.5, 2.0$ at hadron level)

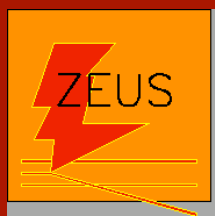


Gap Kinematic Variables Data vs. PYTHIA ($E_T^{\text{CUT}} = 1 \text{ GeV}$)

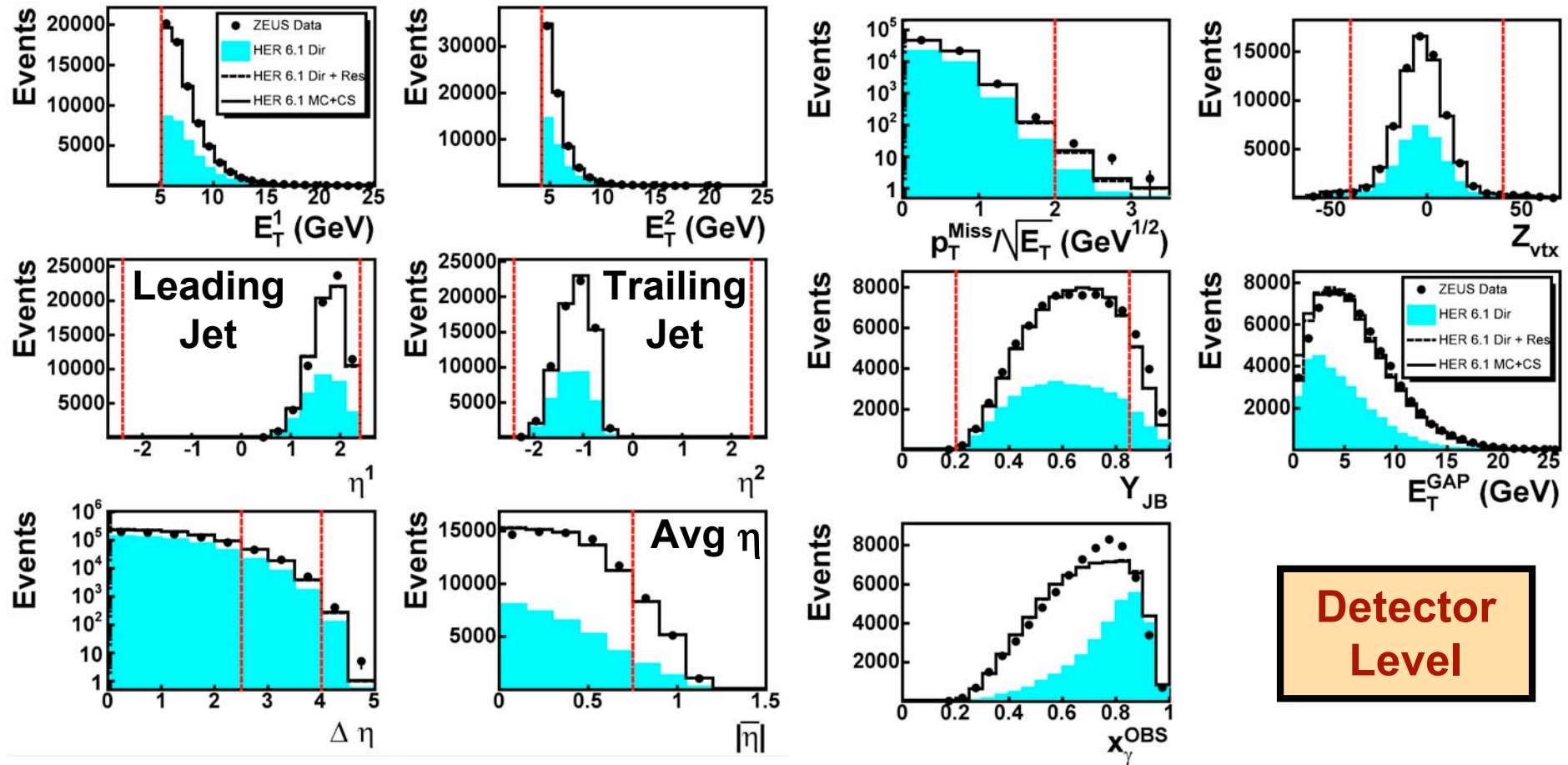


Detector Level

- PYTHIA describes the gap variables ($E_T^{\text{Cut}} = 1 \text{ GeV}$)
- Addition of CS makes substantial improvement for gap sample

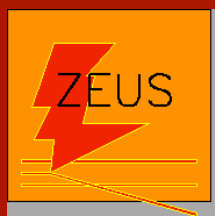


Inclusive Kinematic Variables Data vs. HERWIG



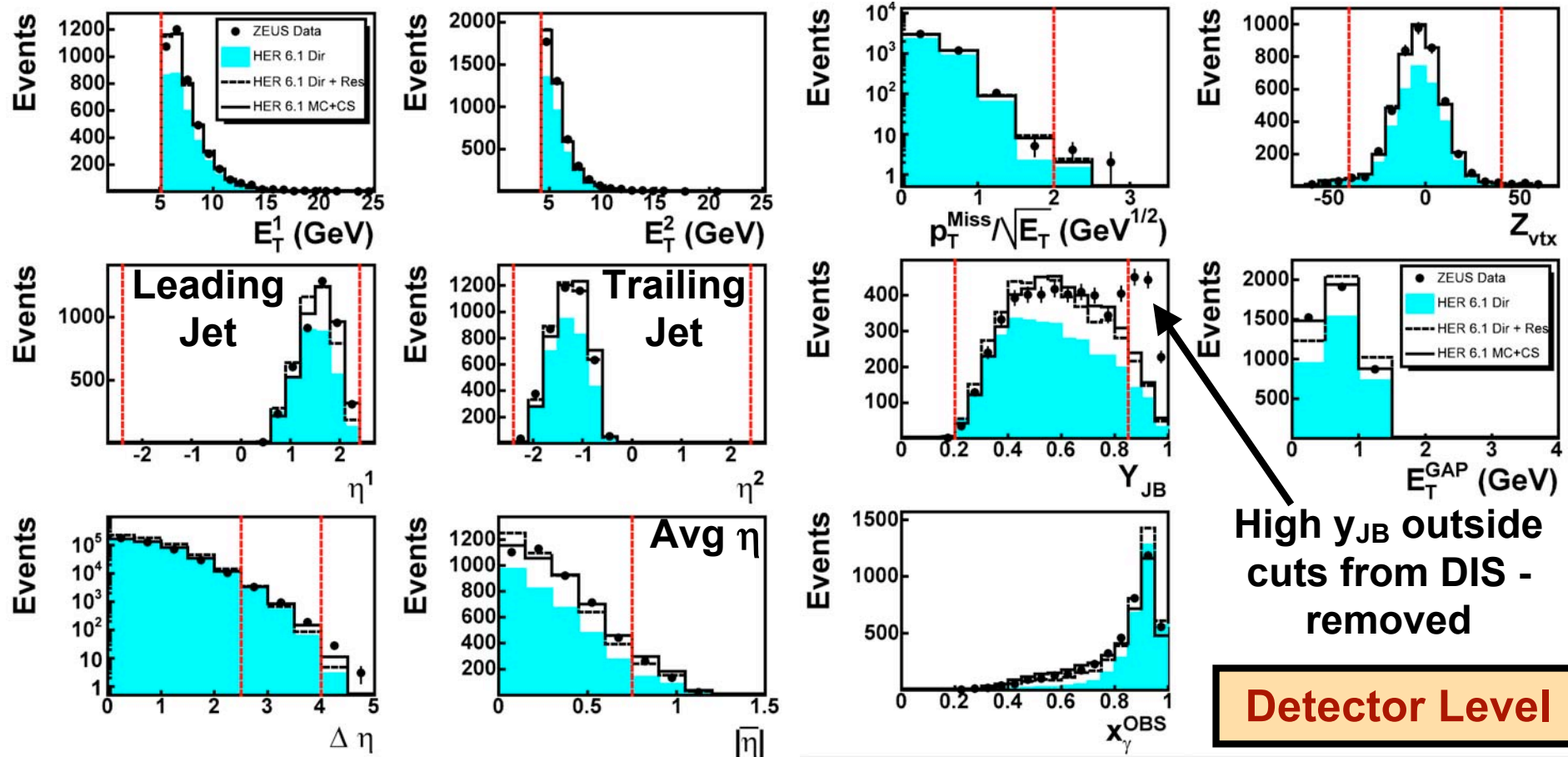
**Detector
Level**

- HERWIG describes the inclusive variables
- Addition of CS makes small improvement for inclusive sample



Gap Kinematic Variables

Data vs. HERWIG ($E_T^{\text{CUT}} = 1 \text{ GeV}$)



Detector Level

- HERWIG describes the gap variables ($E_T^{\text{Cut}} = 1 \text{ GeV}$)
- Addition of CS makes substantial improvement for gap sample



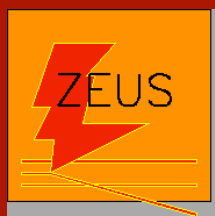
Systematics



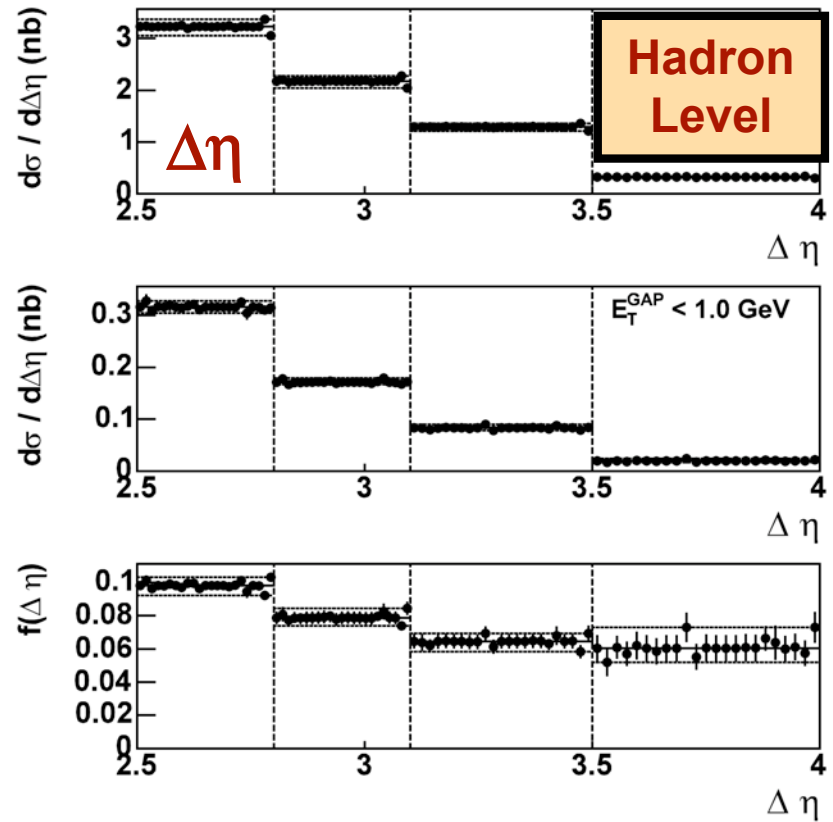
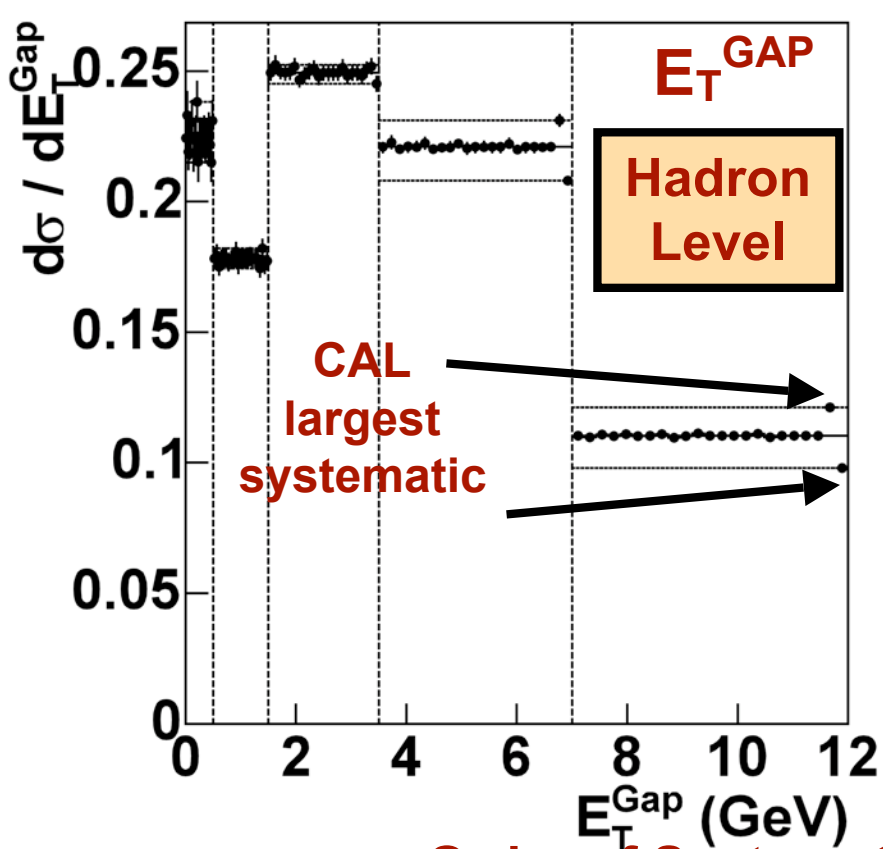
- Kinematic Cuts: +/- HERWIG Resolutions
- Amount of CS in unfolding varied by 25%
- CAL Energy Scale varied by 3%
- Difference between PYT and HER acceptance correction

Variable	+/- Change	Variable	+/- Change
$E_T^{1,2}$	13%	$\eta^{1,2}$	2%
$\frac{1}{2} \eta^1 + \eta^2 $	9%	$\Delta\eta$	2%
y_{JB}	5%	$p_T^{Miss}/\sqrt{E_T}$	10%
y_e	6%	Z_{vtx}	25%
E_T^{Cut}	36%		

- Same systematics used for all bins
- Systematic variation in cross section dependent on E_T^{Gap} , $\Delta\eta$, W , and x_γ^{OBS} bins



Cross Section Systematics Unfolded with HERWIG



Order of Systematics (left to right in each bin)

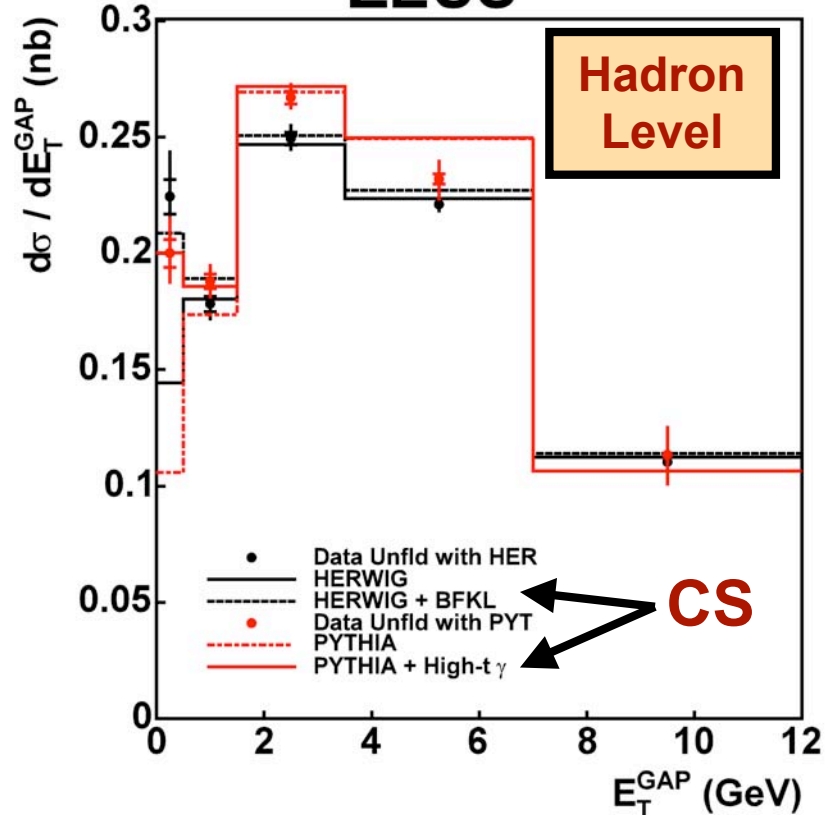
+	1. E_T	3. η	5. $A_v \eta$	7. $\Delta\eta$	9. y_{JB}	11. $p_T^M / \sqrt{E_T}$	13. y_e	15. Z_v	17. E_T^{Cut}	19. %CS	21. CAL
-	2. E_T	4. η	6. $A_v \eta$	8. $\Delta\eta$	10. y_{JB}	12. $p_T^M / \sqrt{E_T}$	14. y_e	16. Z_v	18. E_T^{Cut}	20. %CS	22. CAL



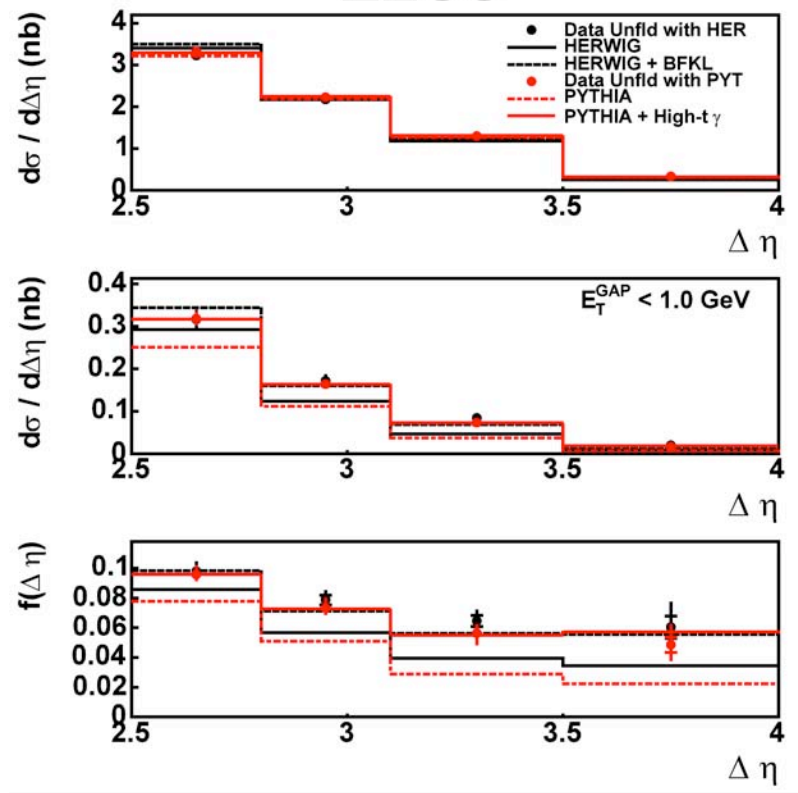
Cross Sections Unfolded with PYT & HER



ZEUS



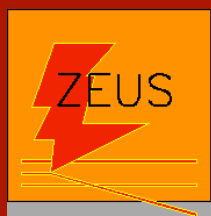
ZEUS



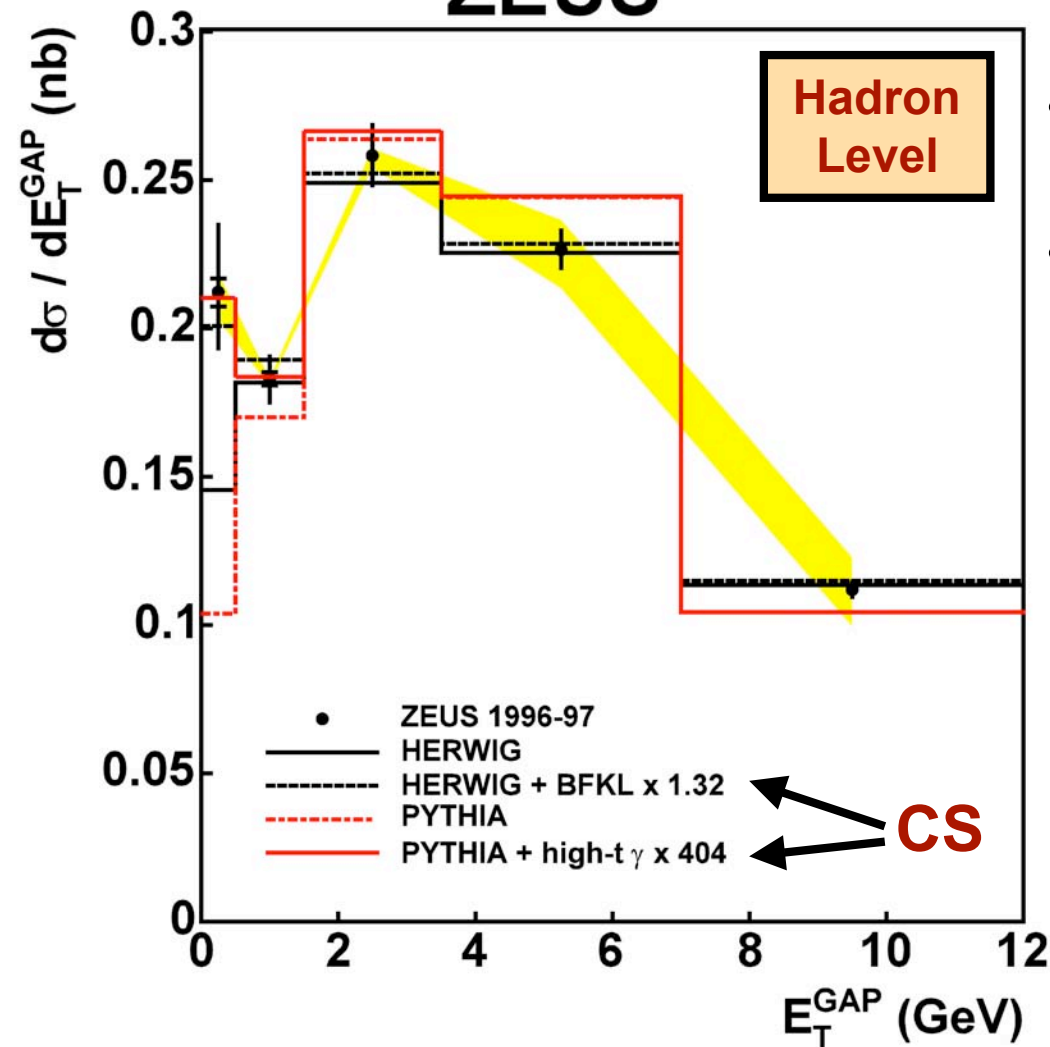
- Data unfolded separately with PYT & HER
- NCS MC fit to data in E_T^{GAP} cross section
- CS MC added by fitting NCS+CS to E_T^{Gap}
 - Addition of CS maximizes agreement with Data for PYT and HER

Acceptance Corrected Data vs MC

E_T^{Gap} Cross Section

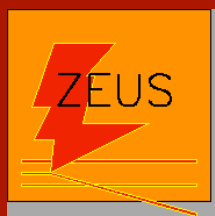


ZEUS



- **Acceptance Correction**
 - Average of PYT & HER
- **Systematic Errors from HER**
 - Difference between HER & PYT values added to systematic
- **MCs fit to Data**
 - χ^2 Minimization
 - **Yield Scale Factors**
 - HER: 1.01*NCS + 1.32*CS
 - PYT: 1.25*NCS + 404*CS
 - High CS Scale Factor in PYTHIA due to High- t γ exchange
 - Same scale factors used in all following plots

Fit to E_T^{Gap} Cross Section results in ~3% CS contribution for both PYTHIA & HERWIG

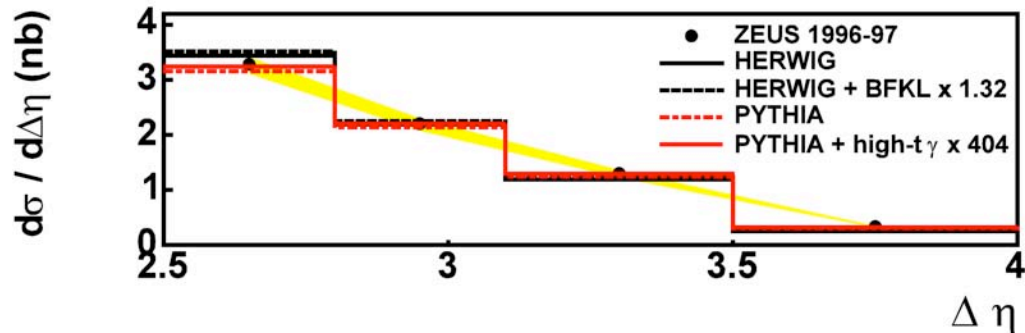


Acceptance Corrected Data vs MC $\Delta \eta$ Cross Sections

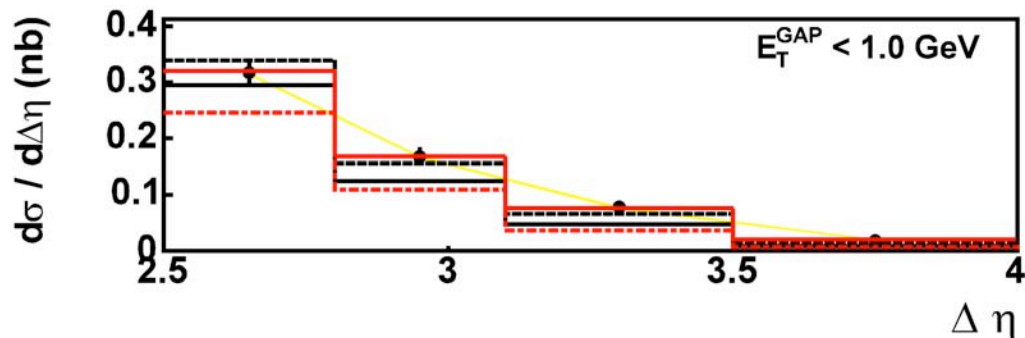


ZEUS

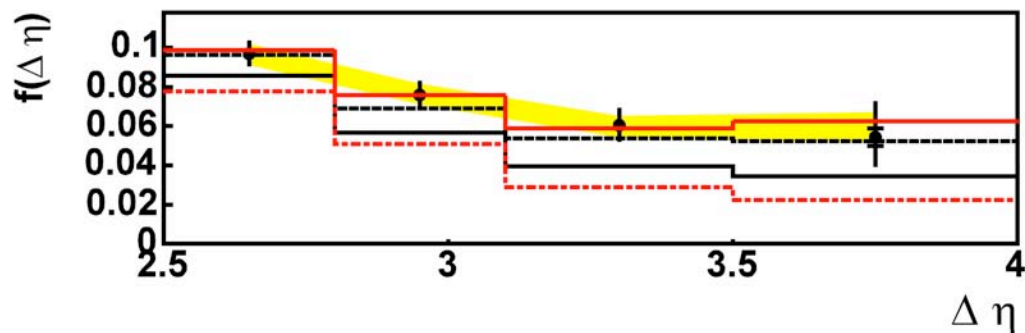
Inclusive



Gap



Gap Fraction



- **Inclusive Cross Section**
 - MC with and without CS added describes data
- **Gap Cross Section**
 - MC without CS disagrees with data
 - MC with CS added describes data
- **Gap Fraction**
 - MC without CS disagrees with data
 - MC with CS added describes data

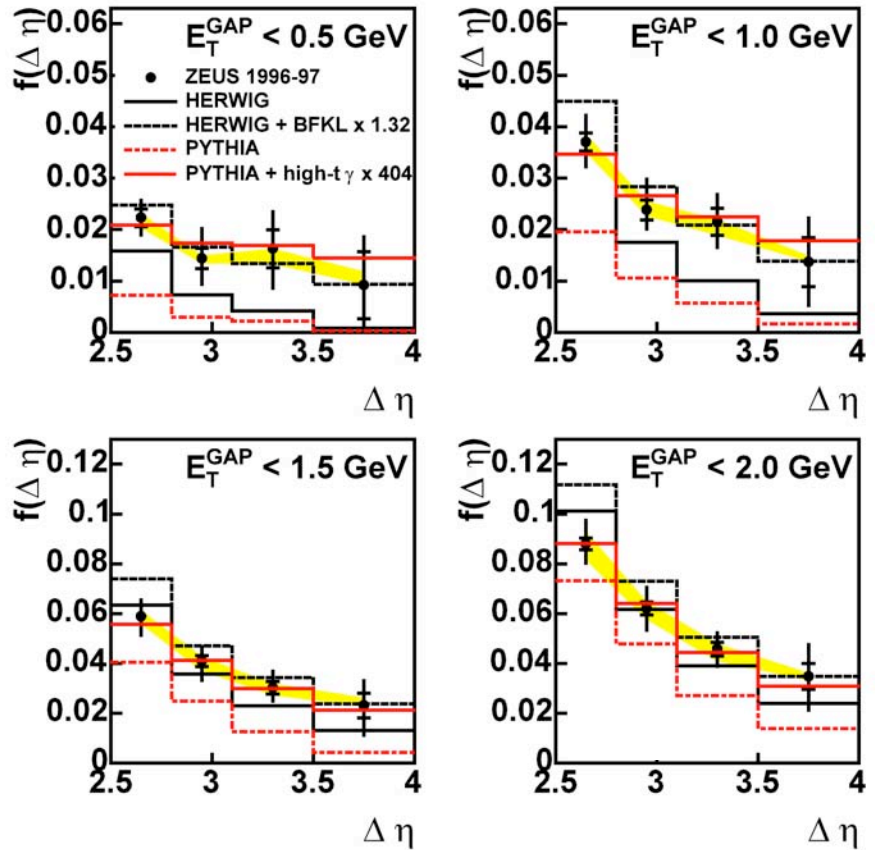
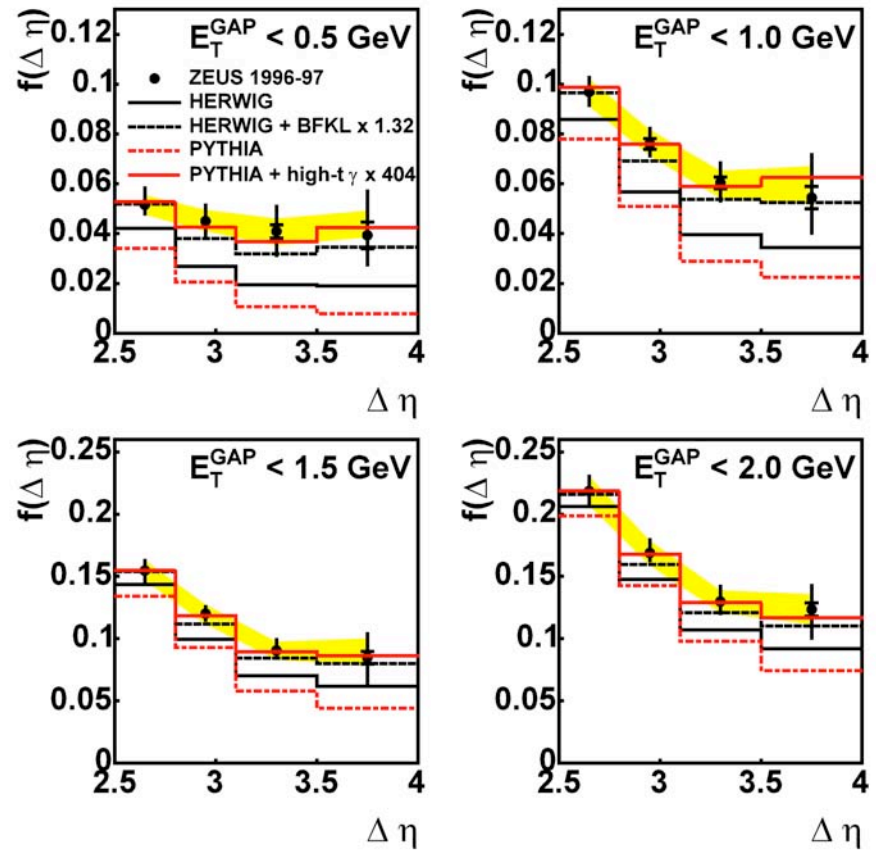


$\Delta\eta$ for Different Gap Fractions Unfolded with AVG of PYT & HER



All x_γ^{OBS} ZEUS

$x_\gamma^{OBS} < 0.75$ ZEUS Resolved



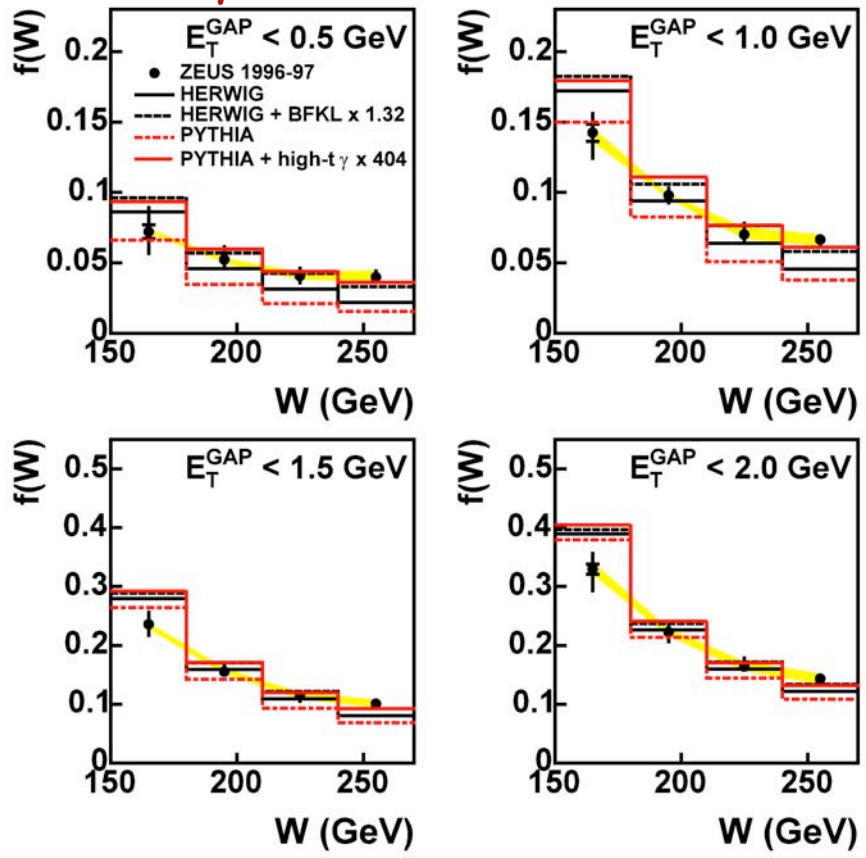
- MC with CS added describes data for entire x_γ^{OBS} region
- CS contribution in resolved region is 1-2% from Gap Fraction
 - Resolved region should allow comparison to Tevatron (1-1.5% CS)



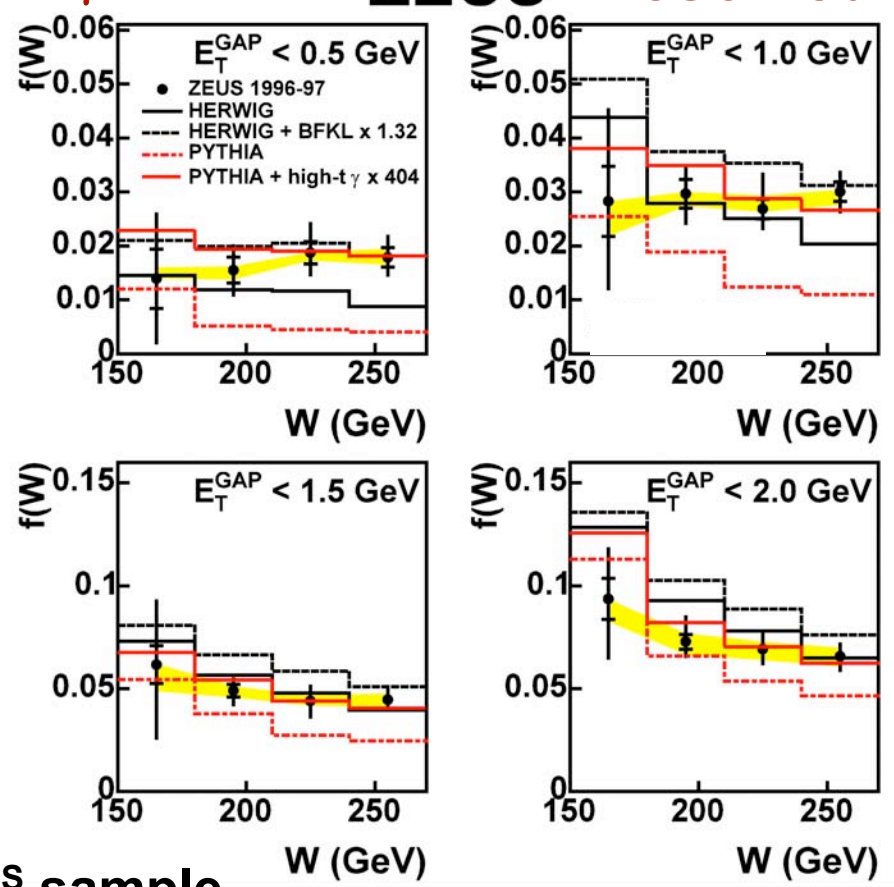
W for Different Gap Fractions Unfolded with AVG of PYT & HER



All x_γ^{OBS} ZEUS



$x_\gamma^{OBS} < 0.75$ ZEUS Resolved



- Disagreement at low W for All x_γ^{OBS} sample
- CS contribution in resolved region is 1-2% from Gap Fraction
 - Resolved region should allow comparisons to Tevatron

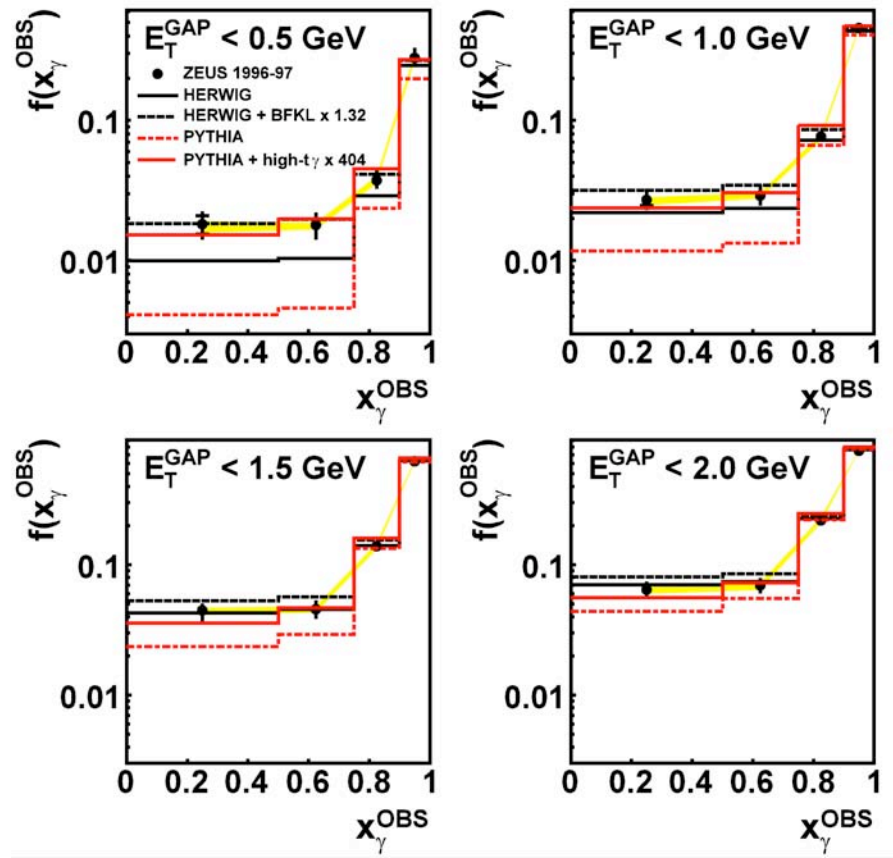


x_γ^{OBS} for Different Gap Fractions Unfolded with AVG of PYT & HER



$$x_\gamma^{OBS} = \frac{\sum_{jets} E_T e^{-\eta}}{2yE_e}$$

ZEUS



**Resolved region:
 $x_\gamma^{OBS} < 0.75$
 Should allow
 comparison to
 Tevatron**

- PYTHIA and HERWIG with CS describes the data well
- HERWIG agreement remains better than PYTHIA agreement
- PYTHIA agreement in resolved region improved compared to $\Delta\eta$

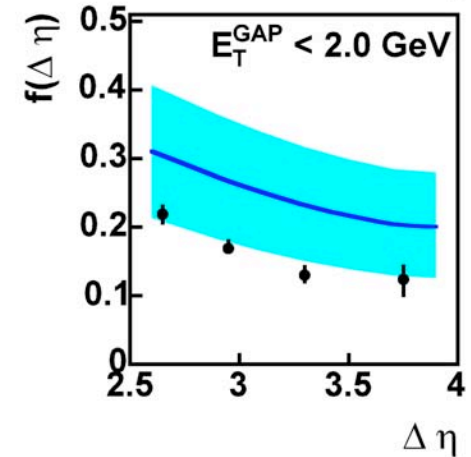
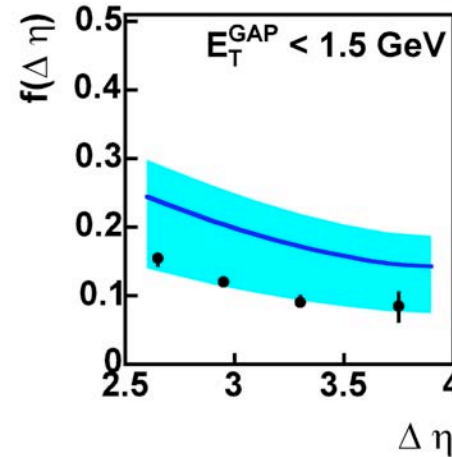
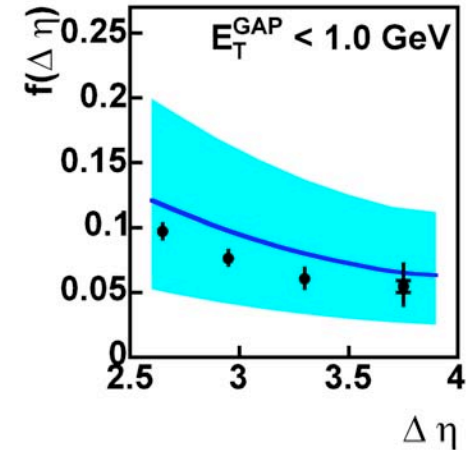
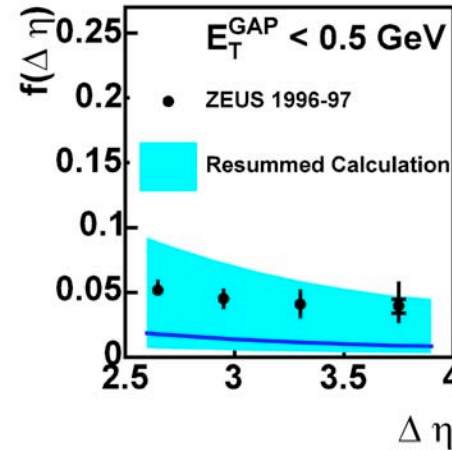


$\Delta\eta$ Gap Fractions Resummed Calculation



- Resummed Calculation
 - Seymour & Appleby
 - Only calculation available
 - Large Errors
- Shape of data described
 - $E_T^{\text{Cut}} = 0.5$
 - Data above prediction
 - All other E_T^{Cut} values
 - Data below predictions
 - Disagreement increases as E_T^{Cut} increases

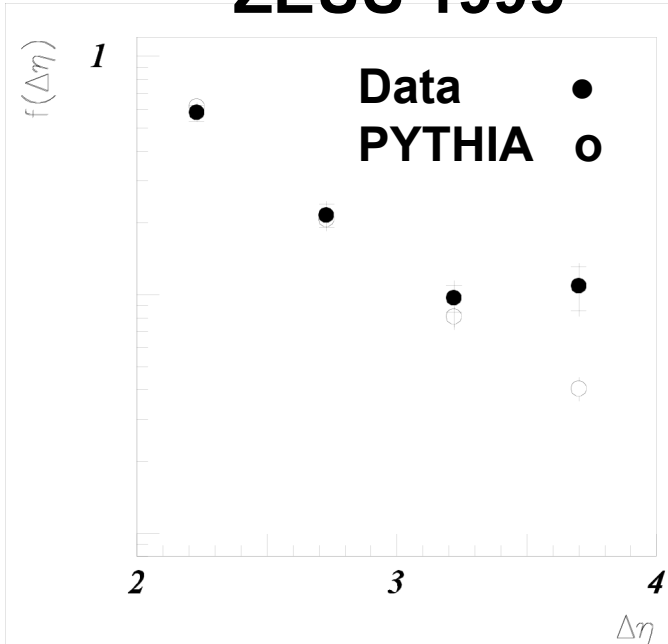
ZEUS



Comparisons to Previous ZEUS Measurement



ZEUS 1995

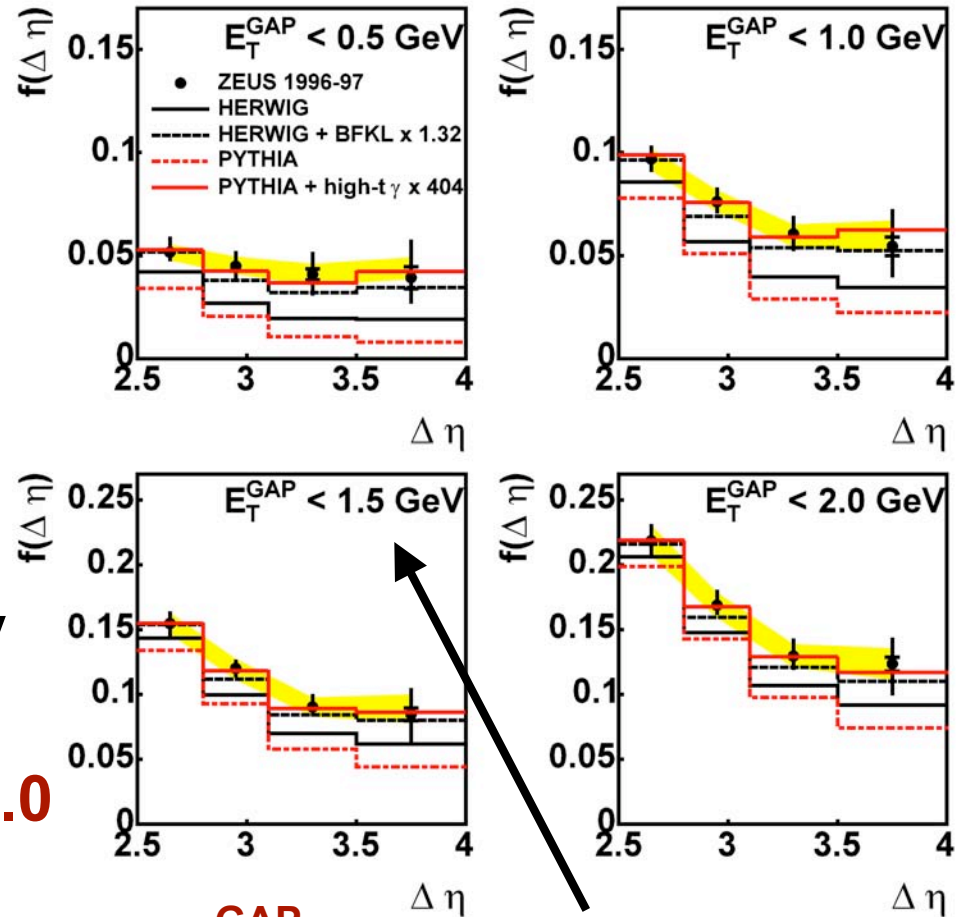


Gap defined by multiplicity
(not E_T)

$f(\Delta\eta) = 0.11$ for $3.5 < \Delta\eta < 4.0$
1-4% CS from 2-4 in $\Delta\eta$

Measurements consistent

ZEUS (this analysis)

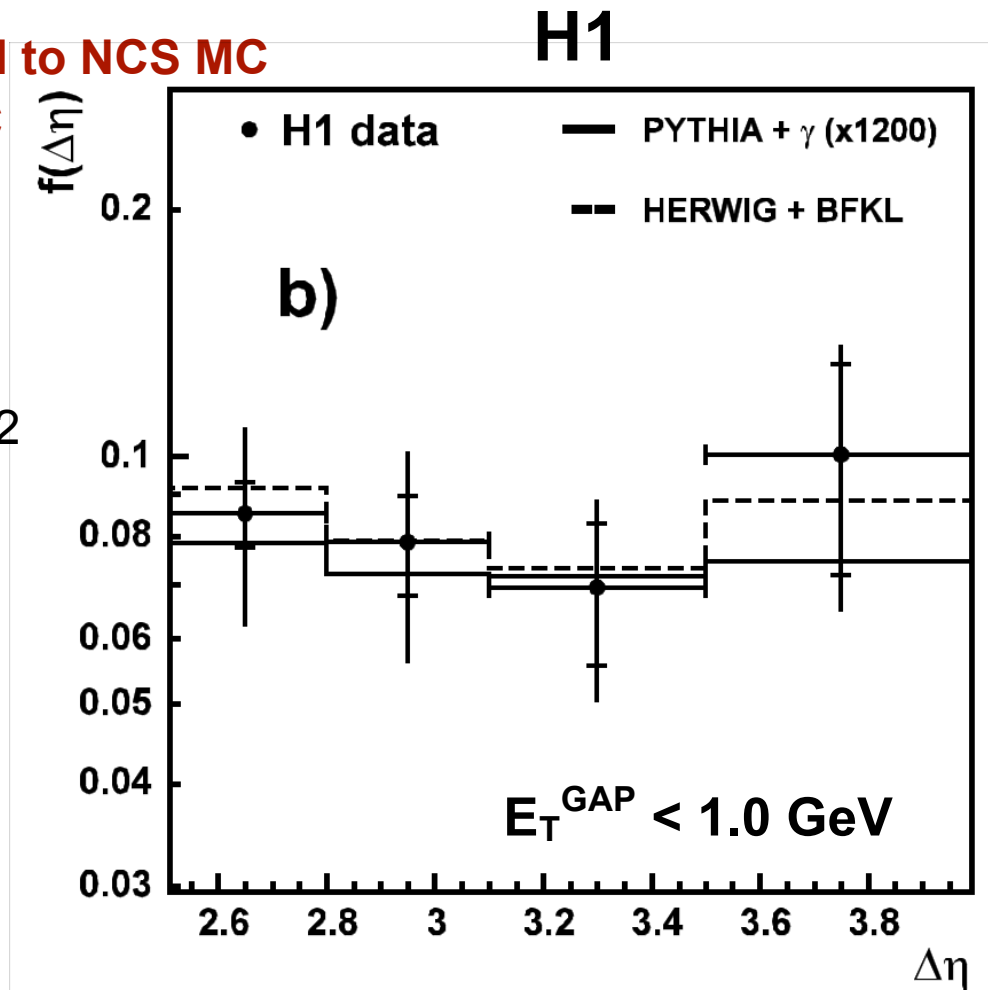


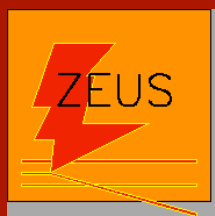
$E_T^{\text{GAP}} < 1.5 \text{ GeV}$ closest to
previous results



- Gap Fraction for $E_T^{\text{Gap}} < 1.0 \text{ GeV}$

- 6.6 pb⁻¹ of Lumi
- Excess of data when compared to NCS MC
- Data described by NCS+CS MC
- Consistent with ZEUS within errors
- Reference
 - C. Aldoff et al.
 - Eur.Phys.J C24:517-527 2002





Rapidity Gap Between Jets Summary

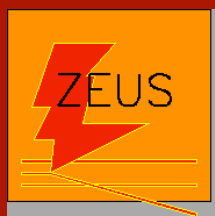


- **Conclusions**

- **Data demonstrate evidence of $\sim 3\%$ Color-Singlet contribution estimated at the cross section level for entire phase space**
 - Observe $\sim 1\text{-}2\%$ Color-Singlet in resolved region
- **Data consistent with published ZEUS and H1 results**
- **PYTHIA and HERWIG describe data well after the Color-Singlet contribution is added**

- **In Progress**

- **Examine W dependence**
- **Explore comparisons with Tevatron**



Extra Slides

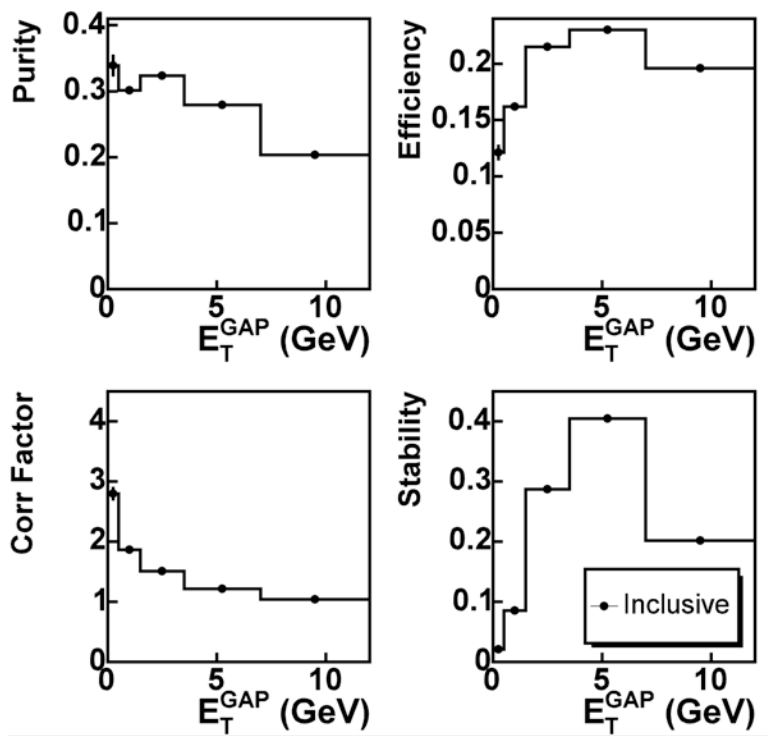




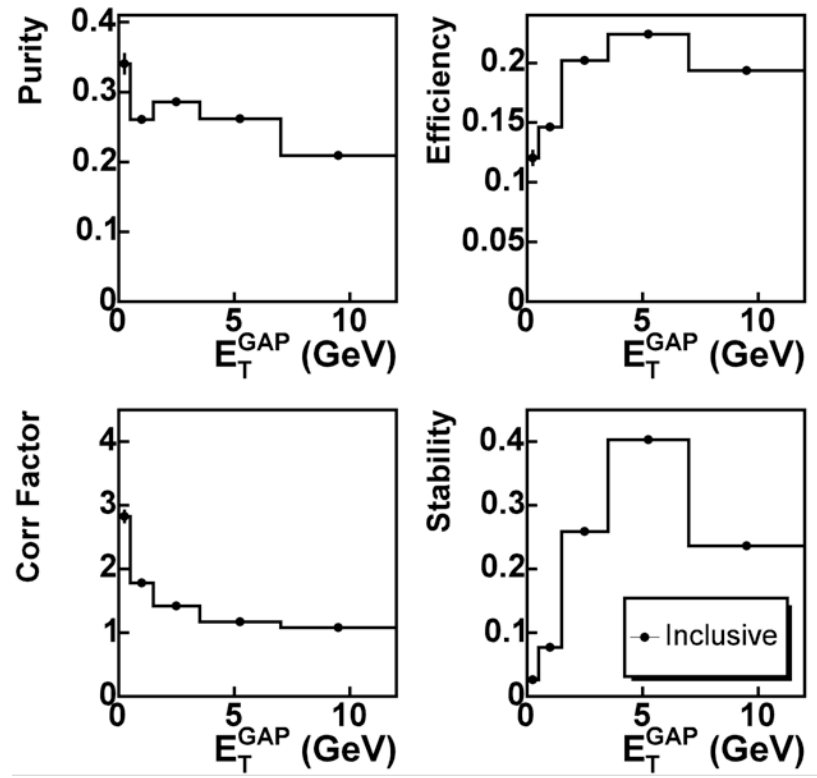
Purities and Efficiencies E_T Gap



PYTHIA

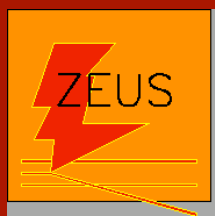


HERWIG



- **Purity:** $(\text{Detector \& Generator})_i / (\text{Detector})_i$
- **Efficiency:** $(\text{Detector \& Generator})_i / (\text{Generator})_i$
- **Correction Factor:** $(\text{Generator} / \text{Detector})_i = (\text{Purity} / \text{Efficiency})_i$
- **Stability:** $(\text{Detector \& Generator})_i / \text{Reconstructed in any bin}$

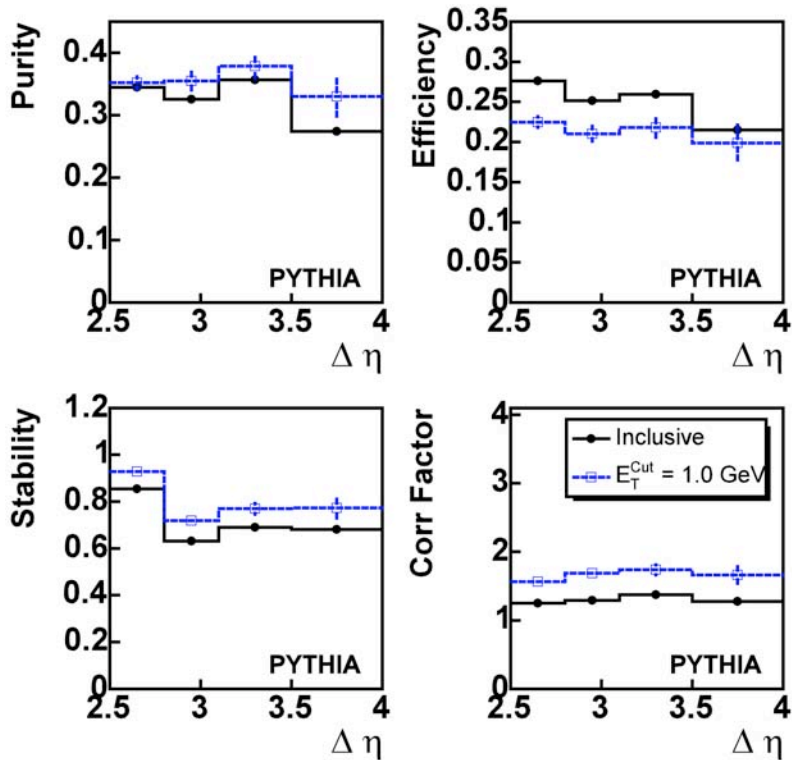
i: Bin i



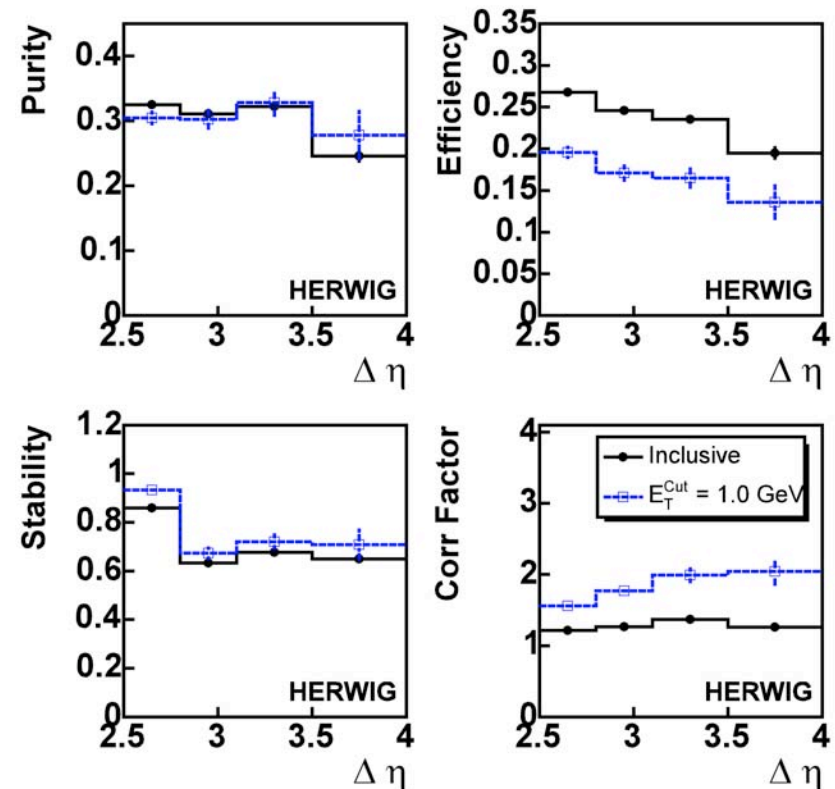
Purities and Efficiencies

 $\Delta\eta$ 

PYTHIA



HERWIG



- Purity: (Detector & Generator)_i / (Detector)_i
- Efficiency: (Detector & Generator)_i / (Generator)_i
- Correction Factor: (Generator / Detector)_i = (Purity / Efficiency)_i
- Stability: (Detector & Generator)_i / Reconstructed in any bin

i: Bin i