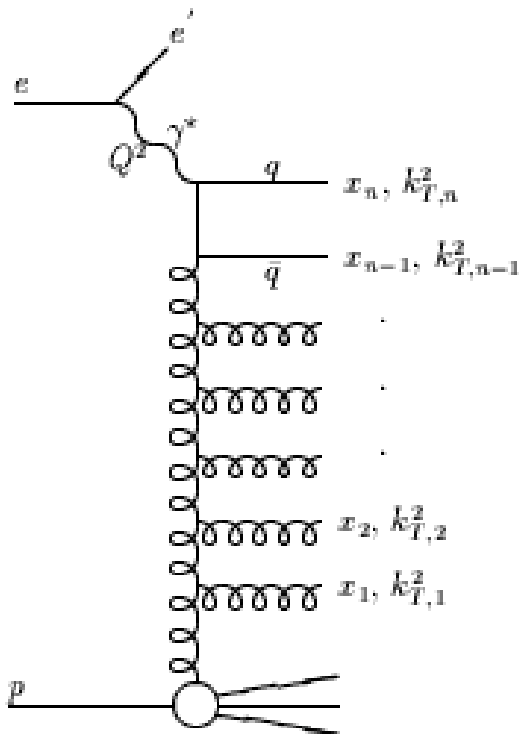


# Parton Dynamics at Low Bjorken $x$ in Deep Inelastic Scattering at HERA



Sabine W. Lammers  
February 25, 2004  
Columbia University, HEP Seminar



- HERA and ZEUS
- Parton Evolution: DGLAP, BFKL
- Forward Jet Measurement
- Summary
- HERA II

# HERA Accelerator

HERA: an electron-proton collider at DESY in Hamburg, Germany



2 collider experiments

--> H1 and ZEUS

2 fixed target experiments

--> HERA-B and HERMES

HERA I: 1992-2000

~130 pb<sup>-1</sup> taken by ZEUS, H1

2000-2002 Luminosity Upgrade

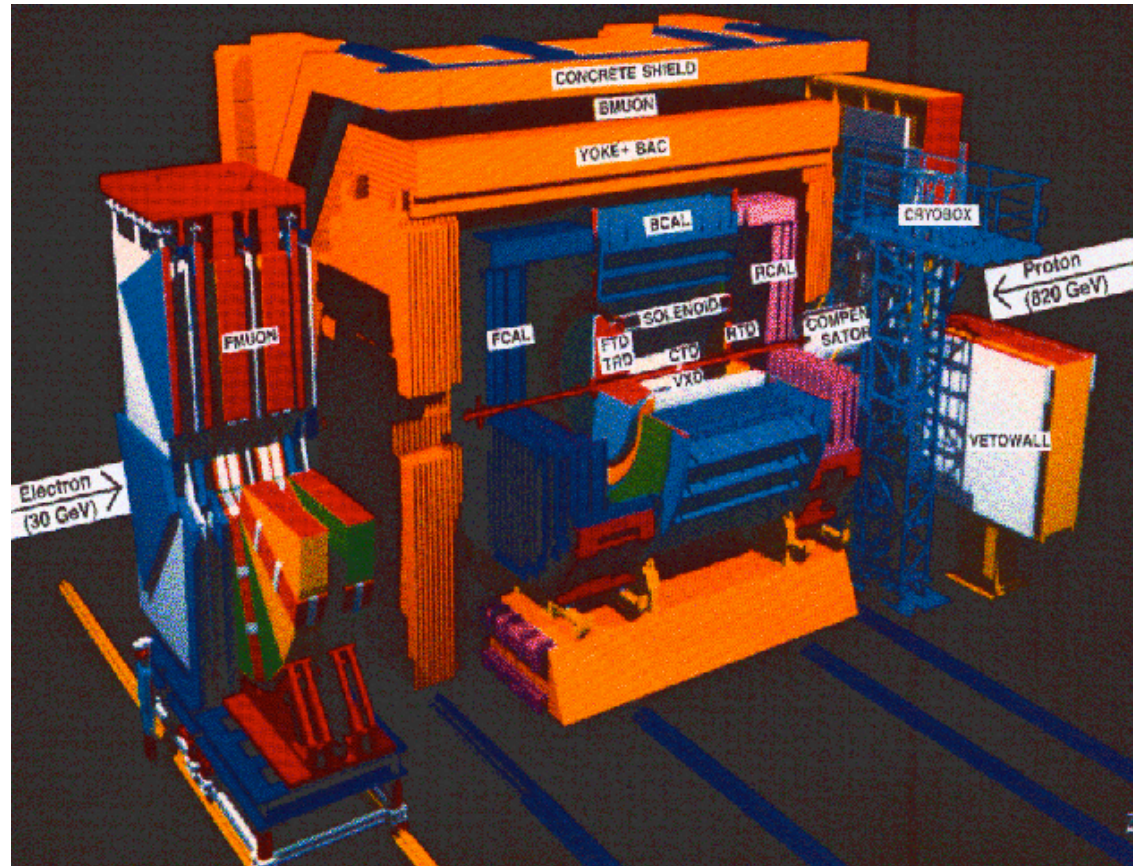
HERA II: 2003-2007

Projected Luminosity:  $L^{\text{sum}} \dots 500 \text{ pb}^{-1}$

- 820/920 GeV protons
- 27.5 GeV  $e^{\pm}$
- 300/318 GeV c.o.m. energy
- 220 bunches, 96ns. crossing time
- 90 mA protons, 40 mA positrons
- Instantaneous luminosity:  $L^{\text{inst}} = 1.8 \times 10^{31} \text{ cm}^{-2} \text{ s}^{-1}$

# ZEUS Detector

ZEUS  
Coordinate  
System



27.5 GeV  
positrons

820/920 GeV  
protons

99.7% solid  
angle coverage

! uranium-scintillator calorimeter sandwich design, compensating longitudinal segmentation: electron/hadron separation  
transverse segmentation: position detection

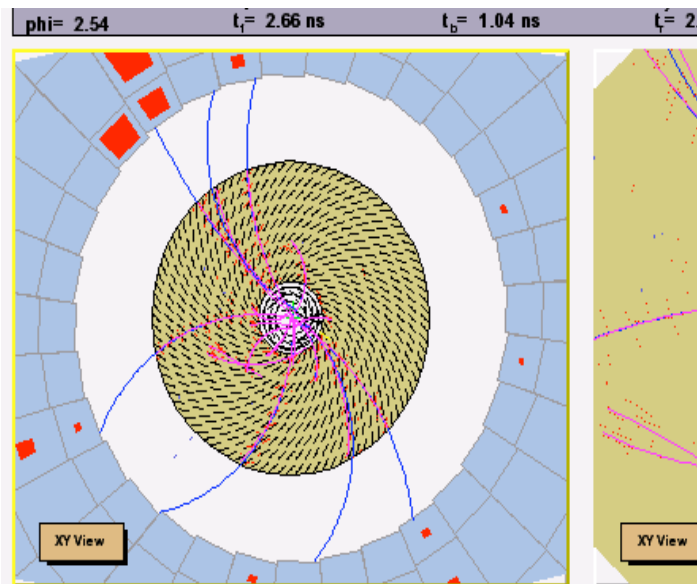
! argon-ethane central tracking drift chamber  
operates in 1.4 T magnetic field



# ZEUS Central Tracker and Calorimeter

## CTD

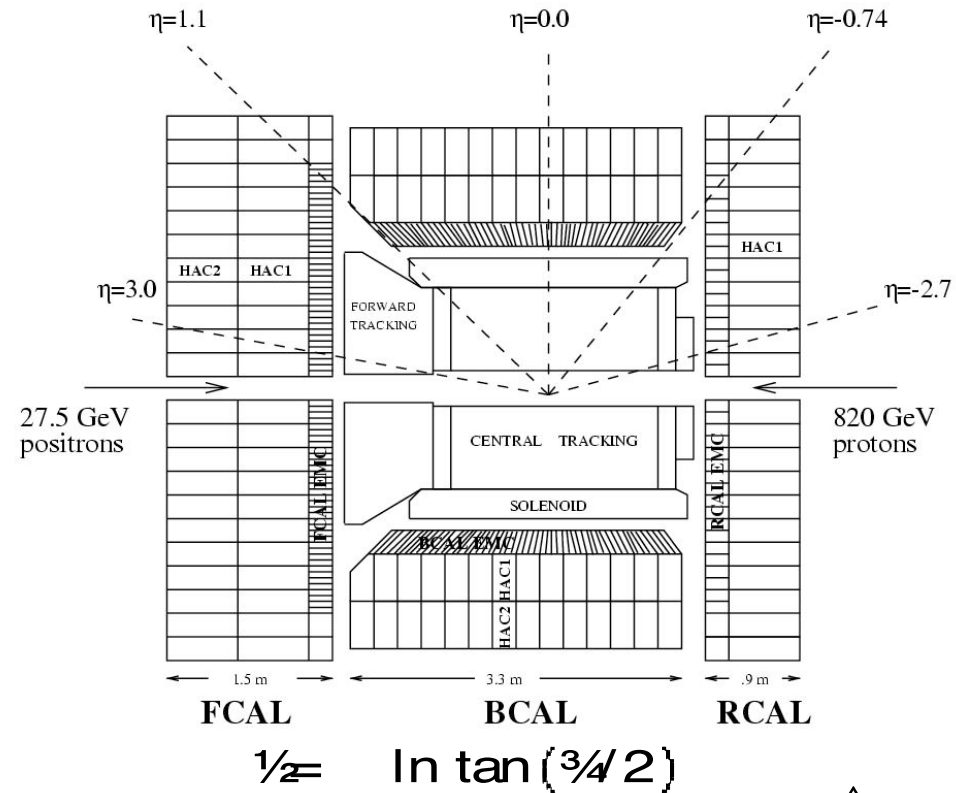
Drift chamber inside 1.4T solenoid  
Vertex Resolution: 4mm in z



view down beampipe

## CAL:

1mm transv



Energy Resolution

35% /  $\sqrt{E}$  for HAC

18% /  $\sqrt{E}$  for EMC

ZEUS Coordinate System

Cell geometries:

EMC: 10x20cm. (RCAL), 5x20cm (B/FCAL)

# Deep Inelastic Scattering

$$Q^2 = -q^2 = -(k - k')^2$$

Momentum transfer

Resolution variable  $q = 1/\lambda$

$$x_{Bj} = \frac{Q^2}{2p_A q}$$

fraction of proton's momentum carried by the struck parton

$$y_{Bj} = \frac{p_A q}{p_A k}$$

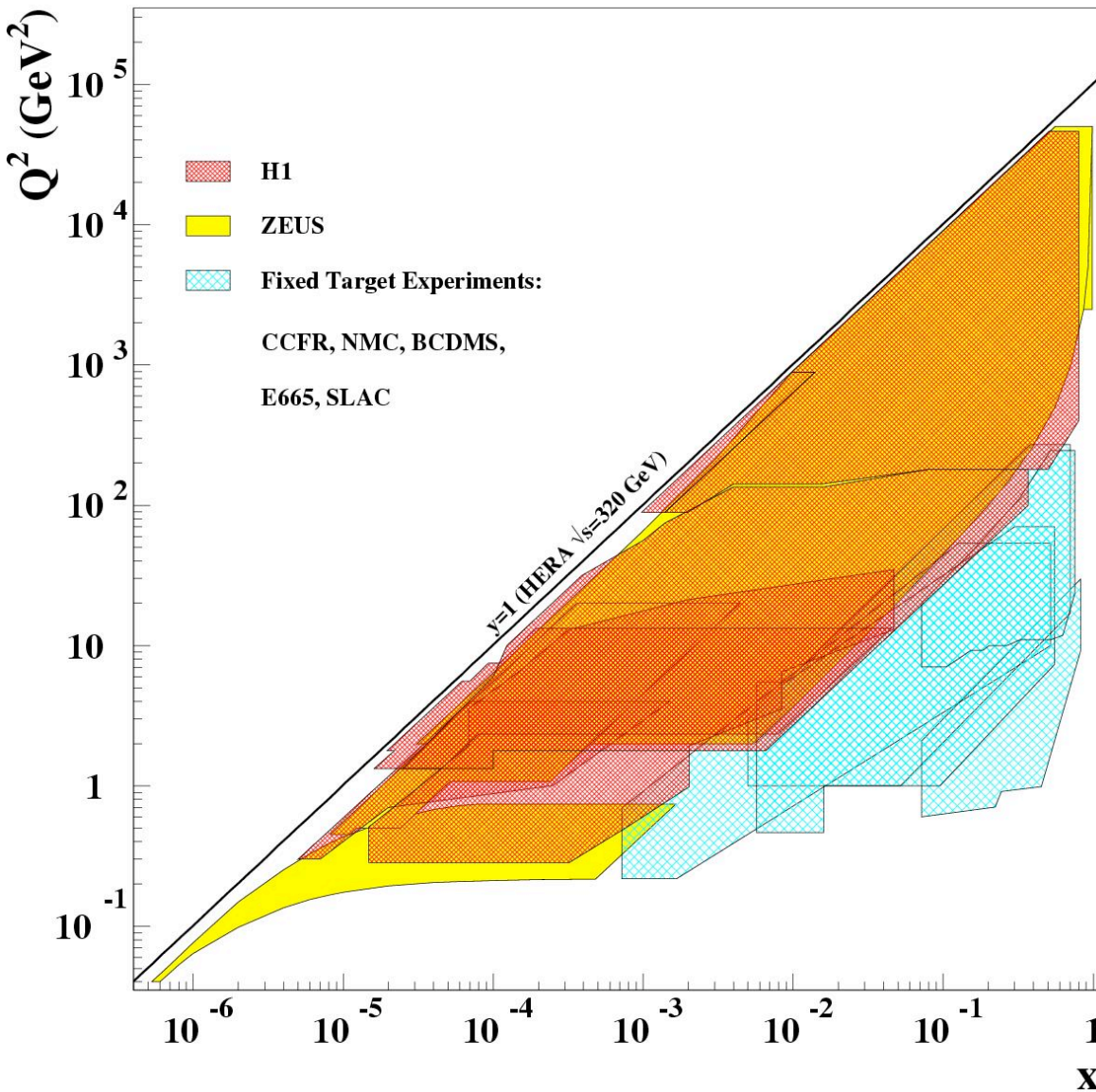
fraction of electron's energy transferred to the proton in the proton's rest frame

e-p scattering mediated by a  $\gamma, Z^0$  (Neutral Current),  $W^\pm$  (Charged Current)

$\sqrt{s}$  = center-of-mass energy

$$Q^2 = s x y$$

# Kinematic Coverage



HERA extends kinematic reach well  
beyond fixed-target experiments

$$0.45 \text{ GeV}^2 \text{ ,, } Q^2 \text{ ,, } 20000 \text{ GeV}^2$$
$$10^{-6} \text{ ,, } x \text{ ,, } 0.9$$

At  $\sqrt{s} = 320$  GeV,  
HERA equivalent to 50 TeV  
fixed-target experiment

# Deep Inelastic Scattering Cross Section

NC DIS Cross section made up of:  
 matrix element calculation  
 propagator  
 parton density function (PDF)

$$\frac{d^2 \sigma(e^\pm p \rightarrow e^\pm X)}{dx dQ^2} = \frac{2\pi e^4}{xQ^4} \sum_f Y_f F_2(x, Q^2) - Y x F_3(x, Q^2) + y^2 F_L(x, Q^2)$$

$$Y_\pm = 1 \pm (1 - y)^2$$

$F_2$  parameterizes interaction between photon and spin  $1/2$  partons;  
 can be written in terms of the quark densities :

$$F_2(x, Q^2) = \sum_{\text{quarks}} A(Q^2) [xq(x, Q^2) + x\bar{q}(x, Q^2)]$$

# Quantum Chromodynamics

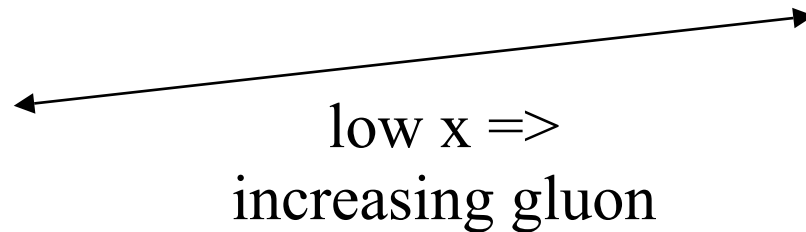
Quark-parton model:

valence quarks are free

$F_2$  independent of  $Q^2$   $\rightarrow$  scaling

Quarks account for only half  
the momentum in the proton

$P_{ij}$  – QCD Splitting Functions – probability  
for  
a mother parton  $i$  to emit a daughter parton  $j$



Gluons impart transverse energy to  
quarks  $\otimes$  scaling violation



# DIS Processes and Orders of as

Quark-parton model  
(QPM) events:

Dominant contributor  
to inclusive cross section

zeroth-order as process  
in QCD (no gluons)

2-parton final states:  
Boson-Gluon Fusion  
& QCD Compton

first-order as processes  
in QCD (1 gluon vertex)

BG  
F

QCDC

# Factorization


Factorization of DIS cross section:  $\hat{\sigma}_{DIS} = \sum_i q_i(x, \hat{A}_F^2) \circ \hat{\sigma}^{part}(x, \hat{A}_F^2)$   
 $i = \text{gluons, all quark flavors}$

$m_F$  -- factorization scale: parameter introduced for handling divergence in calculation

$kT_{parton} > m_F$ : parton is included in partonic cross section

$kT_{parton} < m_F$ : parton is "absorbed" into parton distribution

$$\frac{d\hat{\sigma}_{DIS}}{d\ln\hat{A}_F} = 0 \quad \longrightarrow \quad \frac{dq_i}{d\ln\hat{A}_F} = \frac{\cdot s}{2\hat{A}_F} + \frac{d \gg}{\gg} P_{ij}(\gg, \hat{A}_F^2) q_j(\gg, \hat{A}_F^2)$$


 splitting functions

The splitting functions can be expanded in a perturbation series in  $\alpha_s$ , yielding terms  $(\alpha_s \ln Q^2)^n$ ,  $(\alpha_s \ln(1/x))^n$  and  $(\alpha_s \ln Q^2 \ln(1/x))^n$

# DGLAP Evolution Equations

Quark and gluon parton distribution functions (PDF's) are predicted at a certain  $x$  and  $Q^2$ , given an initial distribution at  $x_0$  and  $Q_0^2$ .

$$\frac{dq_i(x, Q^2)}{d \ln Q^2} = \frac{\alpha_s(Q^2)}{2\pi} \int_x^1 \frac{dz}{z} [q_i(y, Q^2) P_{qq}\left(\frac{x}{z}\right) + g(y, Q^2) P_{qg}\left(\frac{x}{z}\right)]$$

splitting functions  
-calculable by QCD

$$\frac{dg(x, Q^2)}{d \ln Q^2} = \frac{\alpha_s(Q^2)}{2\pi} \int_x^1 \frac{dz}{z} [q_i(y, Q^2) P_{gq}\left(\frac{x}{z}\right) + g(y, Q^2) P_{gg}\left(\frac{x}{z}\right)]$$

In the perturbation series calculation of the evolution of the PDF's with  $x$  and  $Q^2$ ,

there are terms proportional to  $(\alpha_s \ln Q^2)^n$ ,  $(\alpha_s \ln(1/x))^n$  and  $(\alpha_s \ln Q^2 \ln(1/x))^n$ ,  
DGLAP Approximation:

sums terms  $\alpha_s \ln Q^2$ , ignores  $\alpha_s \ln(1/x)$

has limited applicability  $\rightarrow$

$$\alpha_s \ln(Q^2) \sim 1$$

Gribov,

Altarelli, Parisi, Lipatov,

# BFKL Evolution

An alternate resummation scheme for determining the parton densities

limiting case of large gluon density

non-perturbative region

At small  $x$ ,  $\ln(1/x)$  terms in perturbation series not negligible.

BFKL approximation:  
 sums terms as  $\ln(1/x)$ , ignores as  $\ln Q^2$   
 has limited applicability --->

$1/x$

high energy limit

saturation

BFKL Evolution

DGLAP Evolution

$Q^2$

BFKL = Balitzki, Fadin, Kuraev, Lipatov

# Gluon Ladder

DGLAP:  $x = x_n < x_{n-1} < \dots < x_1$ ,  $Q^2 = k_{T,n}^2 \gg \dots \gg k_{T,1}^2$  forward fadeout  
h democracy

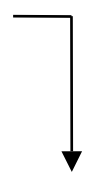
BFKL :  $x = x_n \ll x_{n-1} \ll \dots \ll x_1$ , no ordering in  $k_T$

DGLAP  $k_T$   
ordering



BFKL  $\rightarrow$  additional hadrons from high transverse momentum forward partons, above the DGLAP prediction.

HERA  
forward  
region





# Monte Carlo

- Parton Distribution Function
- LO QCD Matrix Elements } hard subprocess
- Parton Showering } model-dependent
- Hadronisation } (non-perturbative)

## Parton Showering Models:

Color-Dipole (CDM): Ariadne (BFKL-like)

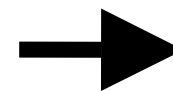
MEPS: Lepto (DGLAP-like)

MC used for:

detector acceptance

hadronization corrections

ISR/FSR corrections



detector simulation  
& reconstruction

## Monte Carlo (II)

### LEPTO:

- kT-ordered parton shower - DGLAP
- Hadronization: Lund String Model

### ARIADNE:

- Parton showering with CDM  
(Color Dipole Model: BFKL-like)  
Hadronization: Lund String Model

Lund String Model: Color string stretched across pairs of final state partons.  
Energy stored in the string gives rise to hadrons.

Detector acceptance estimated with LO Color Dipole Model (CDM)  
implemented with Ariadne , which has the best description of data

## Next-to-Leading-Order

NLO calculations give partonic level cross sections for one higher order in  $\alpha_s$   
 --no attempt at modeling higher order contribution

Programs for DIS:

DISSENT (Seymour and Catani)

DISASTER++ (Graudenz)

MEPJET (Mirkes, Zeppenfeld)

For comparison with data, NLO cross sections need to be corrected from parton to hadron level – Ariadne.

2 implementations of NLO calculation by DISSENT

Inclusive Jet (QPM) Phase Space

QPM Suppressed (Dijet) Phase Space

$$d\hat{\sigma}_{LO} = A_0$$

$$d\hat{\sigma}_{LO} = C_1 \cdot \frac{1}{s}$$

$$d\hat{\sigma}_{NLO} = A_1 f B_1 \cdot \frac{1}{s} \quad \text{explained in more detail later}$$

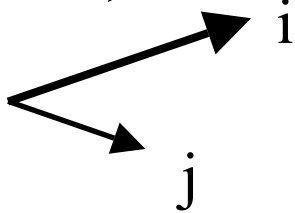
$$d\hat{\sigma}_{NLO} = C_2 \cdot \frac{1}{s} f D_2 \cdot \frac{2}{s}$$

Renormalization Scale  $\mu_R$ : Scale at which the strong coupling constant is evaluated  
 Renormalization scale uncertainty determined by effect on cross section by scale variation:  $\frac{Q}{2}, \hat{\alpha}_R, 2Q$  -- dominant theoretical uncertainty

# Jets

Jets are selected in the lab frame using the longitudinally invariant kT-cluster algorithm:

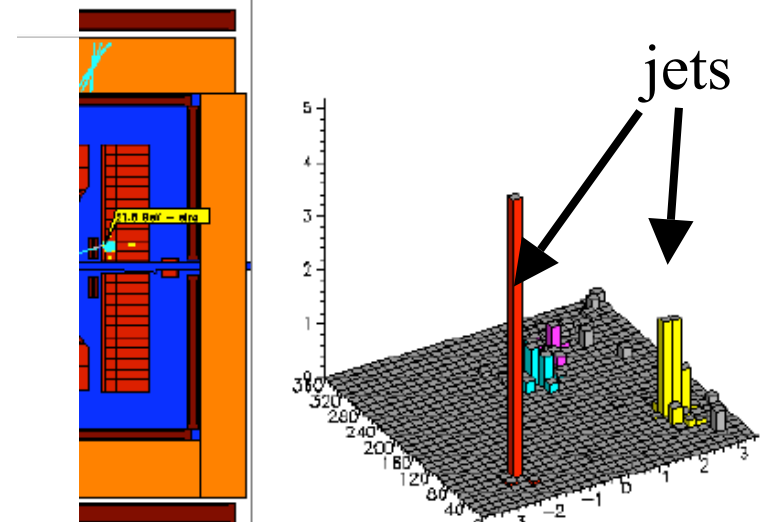
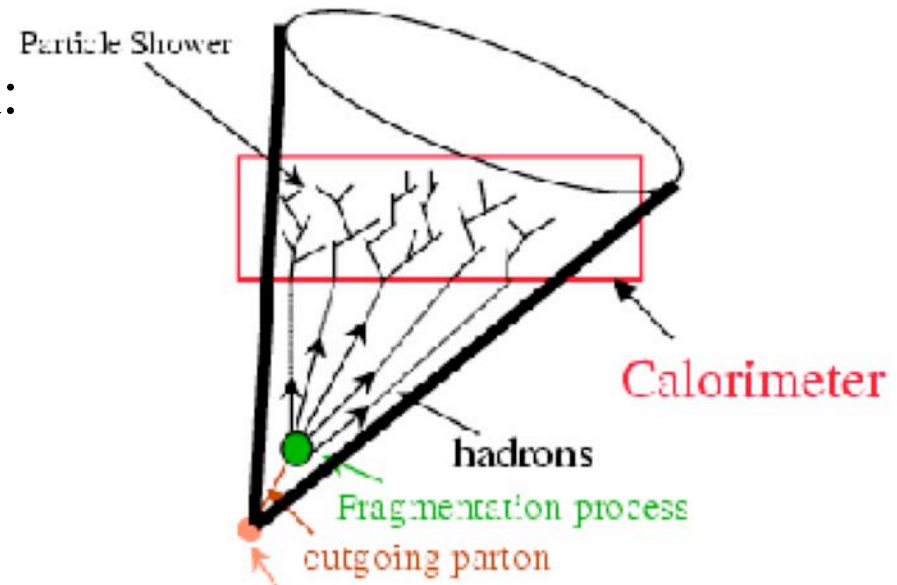
Catani et.al.; Ellis & Soper



||

Combine particles i and j into a jet if  $d_{i,j}$  is smaller of  $\{d_i, d_{i,j}\}$ .

Can be applied to partons, hadrons and detector quantities in the same way



## Data Selection: Inclusive Jets

Data Set: ZEUS 96/97 ( $\sim 38.6 \text{ pb}^{-1}$ )

### Phase space selection

- !  $Q^2 > 25 \text{ GeV}^2$  --- region of high trigger and detector acceptance
- $y > 0.04$  --- good reconstruction of hadronic system
- $E'_{\text{el}} > 10 \text{ GeV}$  --- high purity DIS sample
- $E_{T,\text{jet}} > 6 \text{ GeV}$  --- ensures a hard jet is measured
- $-1 < \eta_{\text{jet}} < 3$  --- detector acceptance

$$\frac{1}{2} = \ln \left( \tan \frac{3}{4} \right)$$

DIS selection made by requesting high-energy positron in the final state with additional cuts applied to reject background.



## Inclusive Jet Cross Section vs. hjet

Cross section drops in forward region due to  $y$ -cut

- Significant discrepancy with NLO at high  $h$ ,  
Ariadne (BFKL-like LO MC) can describe the data  
Lepto (DGLAP-like LO MC) gives fairly good description

Cross section dominated by QPM events - should be well understood! NLO is  $O(\alpha_s)$

BFKL?

Parton shower missing from NLO?

## Inclusive Jet Cross Section vs. $Q^2$ , $x$

Discrepancy between data and NLO localized in lowest  $x_{Bj}$  and  $Q^2$  bins,  
regions where BFKL may be important

## Inclusive Jet Cross Sections vs. total Inclusive Cross Sections using DISENT

Inclusive jet phase space

!  $Q^2 > 25 \text{ GeV}^2$   $E_{T,\text{jet}} > 6 \text{ GeV}$   
 $y > 0.04$  !  $-1 < \eta_{\text{jet}} < 3$

Fully inclusive DIS phase space

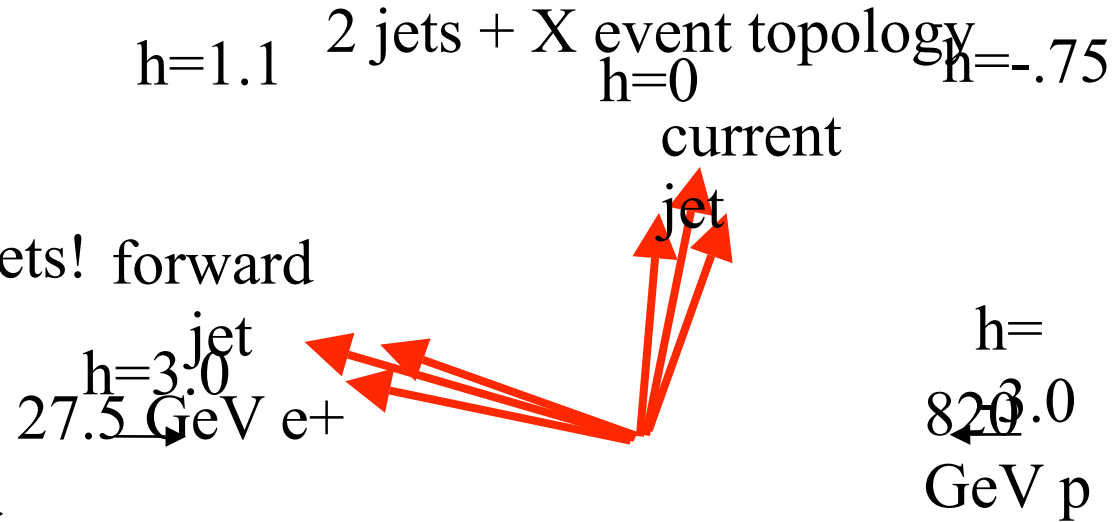
!  $Q^2 > 25 \text{ GeV}^2$  no jet  
 $y > 0.04$  selected!

---

A hard lower cut-off in the jet ET significantly limits the phase space  
 P inclusive jet cross section does not dominate  
 inclusive DIS cross section at low  $x_{Bj}$  and  $Q^2$

# Event Topology: Isolating the Signal

Remember that our signal events are Boson-Gluon Fusion and QCDC events with high-ET forward going jets!



In QPM events, only 1 jet =>  
 hadronic angle = jet angle

To enhance our “signal-to-background” ratio (reject QPM), we restrict our phase space:  
 events must have hadronic angle > 90°  
 jet h must be in forward half of detector

hadronic angle  
 $\theta_h > 90^\circ$

$$\cos \theta_h = \frac{(\frac{p_x}{E})^2 f(\frac{p_y}{E})^2 + (\frac{p_z}{E})^2}{(\frac{p_x}{E})^2 f(\frac{p_y}{E})^2 + (\frac{p_z}{E})^2}$$

# Reselection of Phase Space

Inclusive Jet Phase Space

!  $Q^2 > 25 \text{ GeV}^2$   
 $y > 0.04$   
 $E_{e1} > 10 \text{ GeV}$   
 $E_{T,jet} > 6 \text{ GeV}$   
 $-1 < h_{jet} < 3$

to suppress OPM 

“QPM Suppressed” Phase Space

!  $Q^2 > 25 \text{ GeV}^2$   
 $y > 0.04$   
 $E_{e1} > 10 \text{ GeV}$   
 $E_{T,jet} > 6 \text{ GeV}$   
 $0 < h_{jet} < 3$   
 $\cos(\theta_{had}) < 0$

Disent Calculations:

LO =  $O(\alpha_s^0)$  = QPM  
 NLO = QPM + corrections

2 orders in the series of  $\alpha_s$

with hadronic angle requirement

QPM = 0 for  $h > 0$   
 BGF + QCDC for  $h > 0$

Just 1 order in the series of  $\alpha_s$

Disent Calculations:

LO =  $O(\alpha_s^1)$  = BGF + QCDC

NLO =  $O(\alpha_s^2)$  = BGF + QCDC

2 orders in the series of  $\alpha_s$  corrections



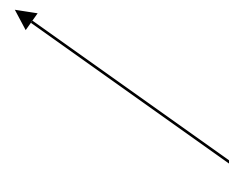
## Inclusive Jet Cross Section vs. $h_{\text{jet}}$ for “QPM Suppressed” Phase Space

For our signal events,  
agreement with NLO  
within errors.

NLO now includes terms  $O(\alpha_s^2)$

Ariadne gives good  
description of data

Lepto gives fair  
description of data



Renormalization scale  
uncertainty grows in  
the forward region

## Inclusive Jet Cross Section vs. $Q^2, x$ for QPM Suppressed Phase Space

NLO based on DGLAP agrees with data within errors.

# BFKL Phase Space

Further restrictive phase space suggested by Mueller, Navalet

← limitation on  $Q^2/E_{T,jet}^2$  suppresses events exhibiting DGLAP evolution

$$Q^2 \sim E_{T,jet}^2$$

Inclusive

Sample:  
 $Q^2 > 25 \text{ GeV}^2$   
 $y > 0.04$   
 $E_{el} > 10 \text{ GeV}$   
 $E_{T,jet} > 6 \text{ GeV}$   
 $-1 < h_{jet} < 3$

QPM Suppressed Sample: BFKL Jets Sample:

!  $Q^2 > 25 \text{ GeV}^2$   
 $y > 0.04$   
 $E_{el} > 10 \text{ GeV}$   
 $E_{T,jet} > 6 \text{ GeV}$   
 $0 < h_{jet} < 3$   
 $\cos(\theta_{gh}) < 0$

!  $Q^2 > 25 \text{ GeV}^2$   
 $y > 0.04$   
 $E_{el} > 10 \text{ GeV}$   
 $E_{T,jet} > 6 \text{ GeV}$   
 $0 < h_{jet} < 3$   
 $\cos(\theta_{gh}) < 0$   
 $0.5 < Q^2/E_{T,jet}^2 < 2$

## Inclusive Jet Cross Section vs $h_{\text{jet}}$ for BFKL Phase Space

Data shows excess over NLO

Large renormalization  
scale uncertainty persists

Ariadne (BFKL-like MC)  
gives excellent description  
of data over entire region

Lepto (DGLAP-like MC)  
cannot describe data

# Inclusive Jet Cross Section vs $Q^2, x$ for BFKL Phase Space

NLO Calculation can describe the data.



## Summary

➤ Inclusive jet cross sections at  $Q^2 > 25 \text{ GeV}^2$ ,  $y > 0.04$  have been measured over the full rapidity acceptance region in three phase space regions

	NLO Calculation	Ariadne (BFKL-like MC)	Lepto (DGLAP-like MC)
Inclusive PS	cannot describe data in forward	good description	good description
QPM Suppressed PS	data above NLO; agreement w/in errors	good description	fair description
BFKL PS	data above NLO	excellent description	data above Lepto

## Conclusions

- Large renormalization scale uncertainty indicates higher order contributions are important for obtaining an accurate prediction from the theory.

A resummed NLO calculation, perhaps using the BFKL implementation, would be interesting to compare to the data, both for its cross section predictions and as a measure of the renormalization scale uncertainty in the low- $x_{Bj}$  and high- $h_{jet}$  region

Experimental improvements:

A forward jet analysis is in progress that measures farther forward using an additional forward plug calorimeter.

New forward tracking detectors have been installed, and should improve reconstruction in the forward region for HERA II

With improved jet reconstruction, measure at lower jet transverse energy

## HERA II

HERA II goals and accomplishments:

Increase instantaneous luminosity over  $1.8 \times 10^{31} \text{ cm}^{-2} \text{ s}^{-1}$  by factor 3-5

specific luminosity reached, beam currents gradually ramped

1 fb<sup>-1</sup> total integrated luminosity – factor 5-10 over HERA I

HERA delivers stable lumi, with each experiment taking 5-10 pb<sup>-1</sup>

70% longitudinal polarization of e<sup>±</sup> beams → achieved 50% with e<sup>+</sup>

Detector upgrades:

tracking chambers:

silicon vertex (ZEUS) and forward/backward tracking (both)

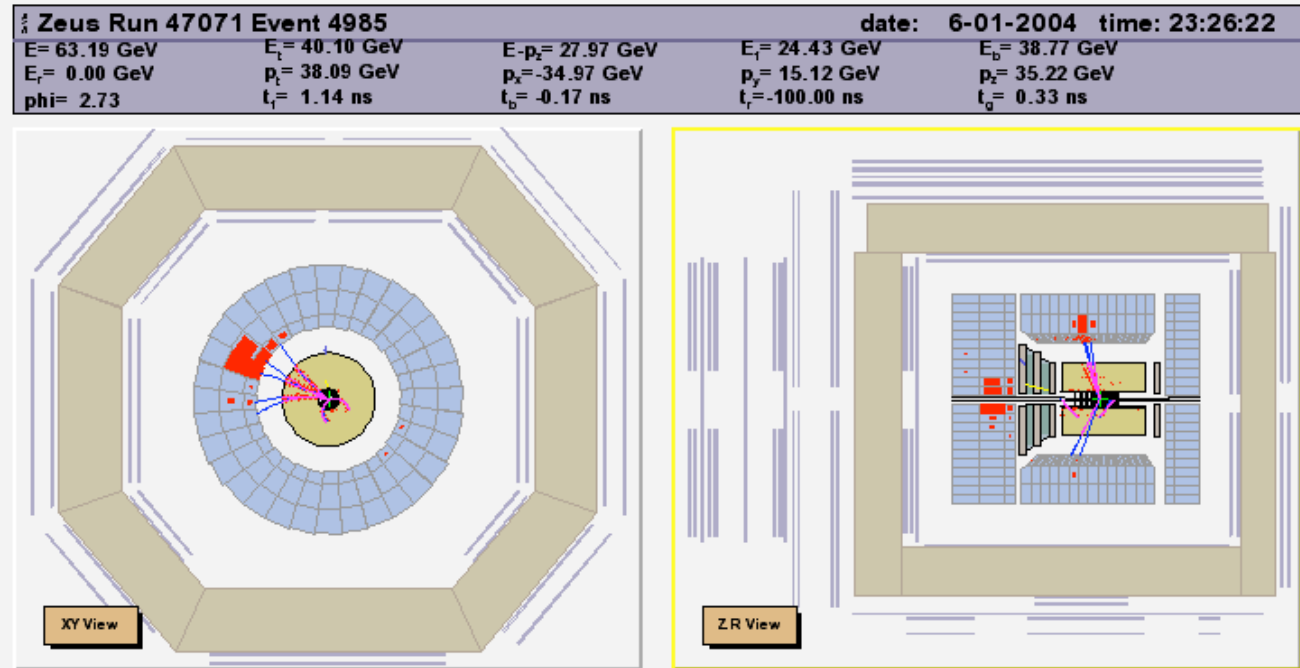
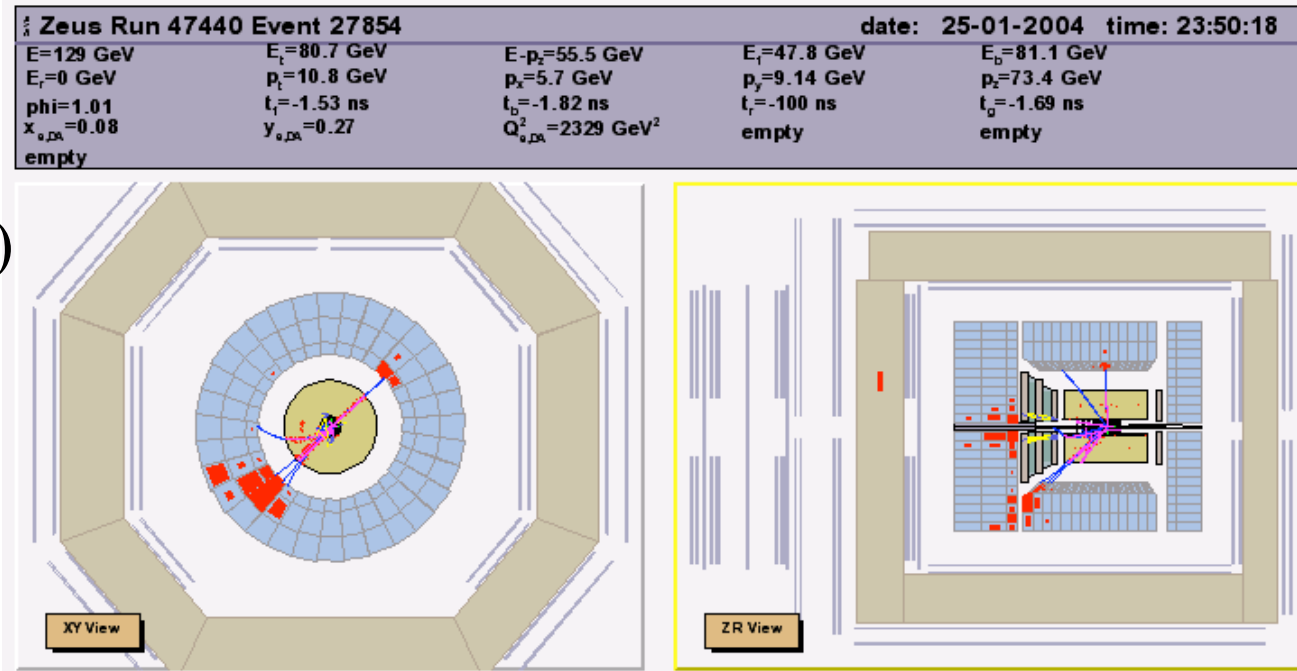
forward proton spectrometer (H1)

luminosity detectors (both)

triggers (both)

# HERA II Events

Neutral Current DIS  
 $e \pm p \rightarrow e \pm X$  (g,Z0 exchange)  
 $Q^2 = 2325 \text{ GeV}^2$   
 $x = 0.08$

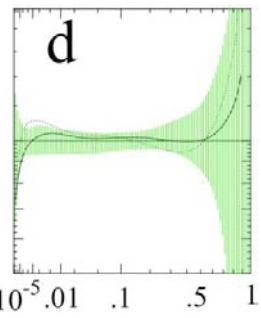
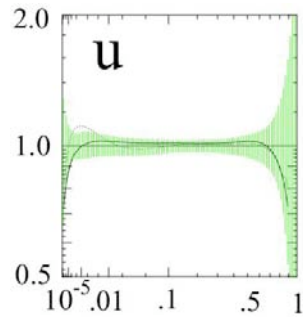


Charged Current DIS  
 $e \pm p \rightarrow n X$  ( $W^\pm$  exchange)  
 $Q^2 = 2800 \text{ GeV}^2$   
 $p_T = 38$

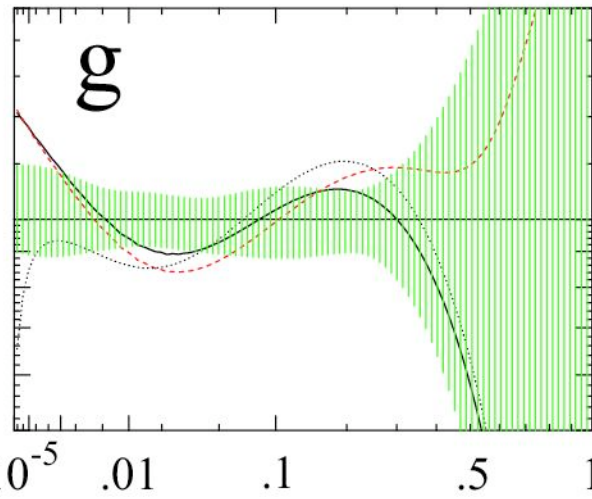
# HERA II Analyses

Structure Function Measurements:  
 more accurate CC, NC ! xF3, FL  
 polarized cross section  
 charm, bottom contributions  
 parton density functions

Ratio to central CTEQ6

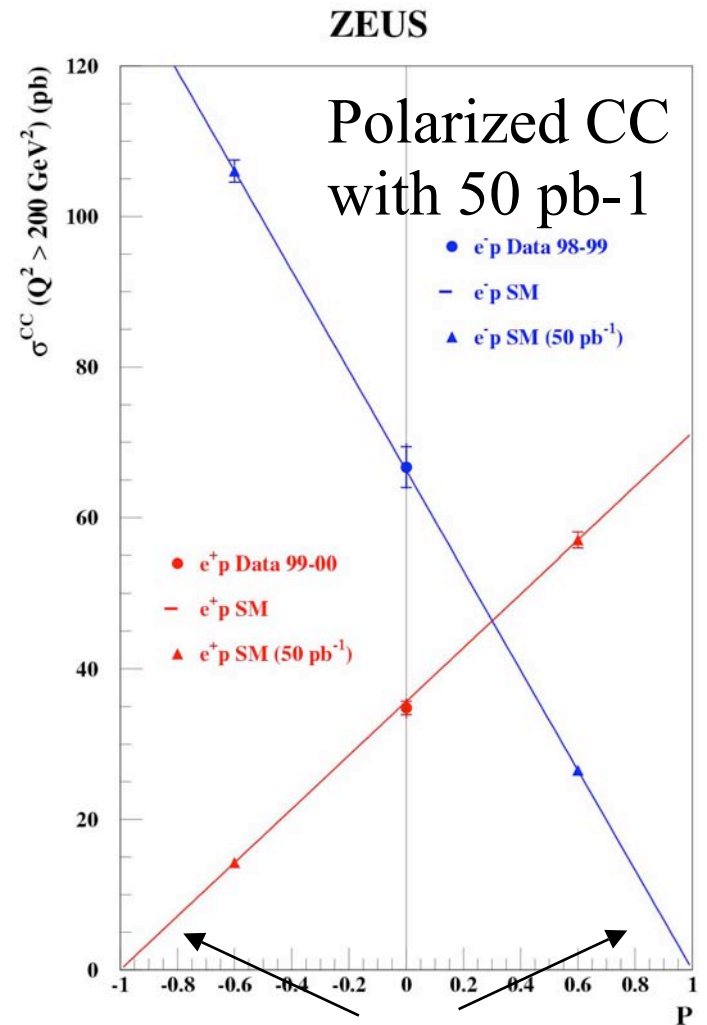


Uncertainty estimates  
 by CTEQ at  $Q^2 = 10 \text{ GeV}^2$



u density most  
 constrained

gluon density poorly  
 constrained at high x



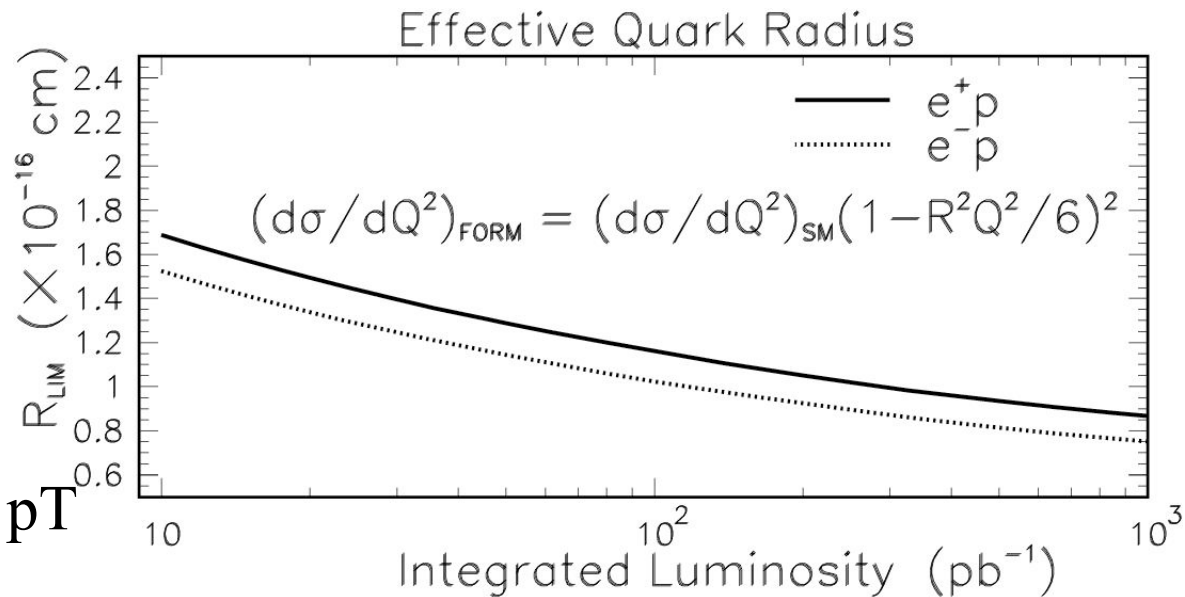
extrapolation

sensitivity to  
 new physics

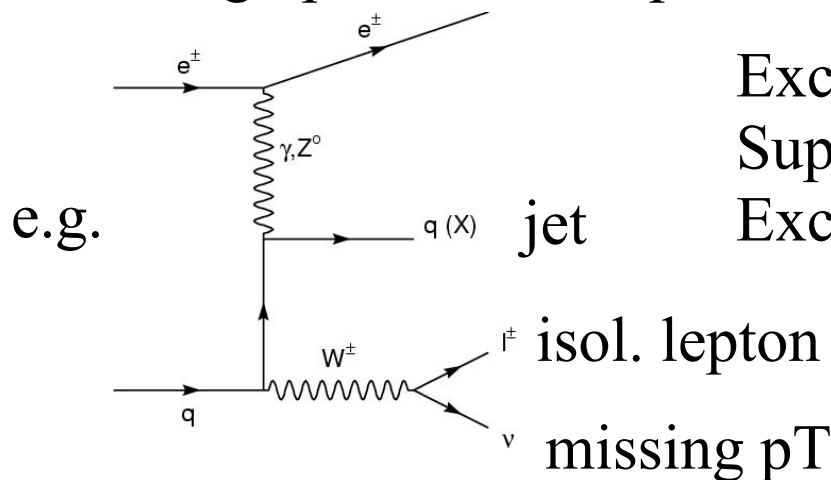
# HERA II Analyses

New Physics Searches:

- Quark Substructure
- Leptoquarks
- Contact Interactions
- SUSY
- Large Extra Dimensions
- Isolated Leptons and missing  $p_T$

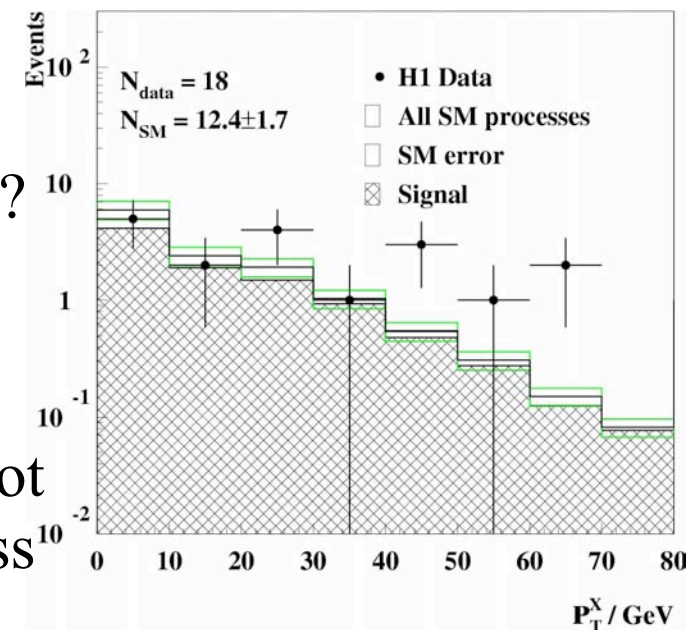


H1 observe an excess in HERA I of events with a high  $p_T$  isolated lepton and missing  $p_T$



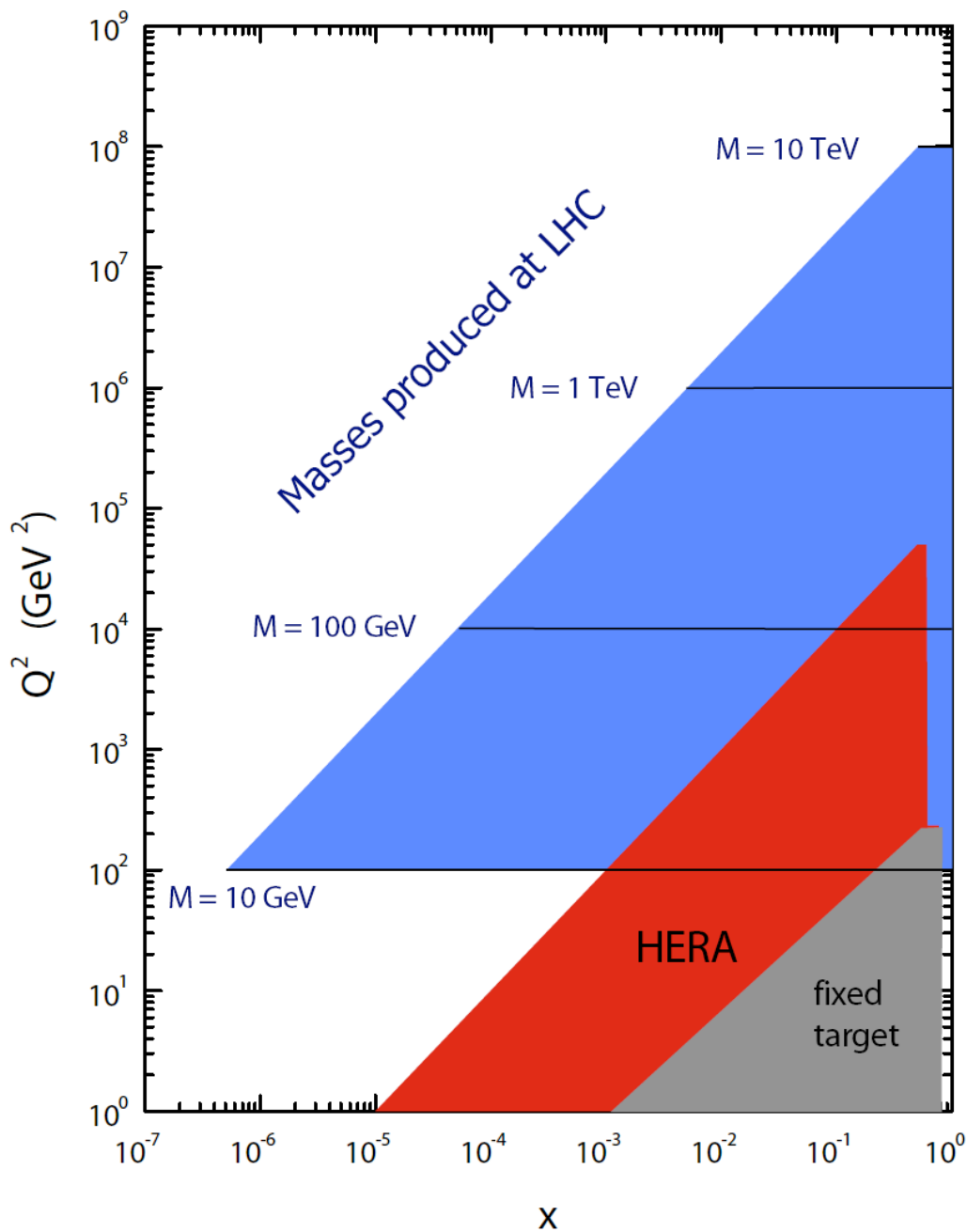
Excessive W production?  
Supersymmetry?  
Excited quarks?

ZEUS does not observe excess



Look for new results from HERA II in this year's spring and summer conferences

# HERA ® LHC



HERA densities extrapolate into  
LHC region

DGLAP parton densities,  
QCD knowledge from HERA

↓  
LHC measurements

HERA measurements crucial for  
understanding signal + background  
at LHC!

End of Talk



## HERA Luminosity

Steady increase of luminosity accumulation during HERAI, with ZEUS taking 130 pb-1

- 17 pb-1 of e-
- 115pb-1 of e+
- 820 GeV protons through 1997
- 920 GeV protons 1998-present

Post-upgrade:

Several sources of background delayed delivery of lumi, most problems solved, now stable running

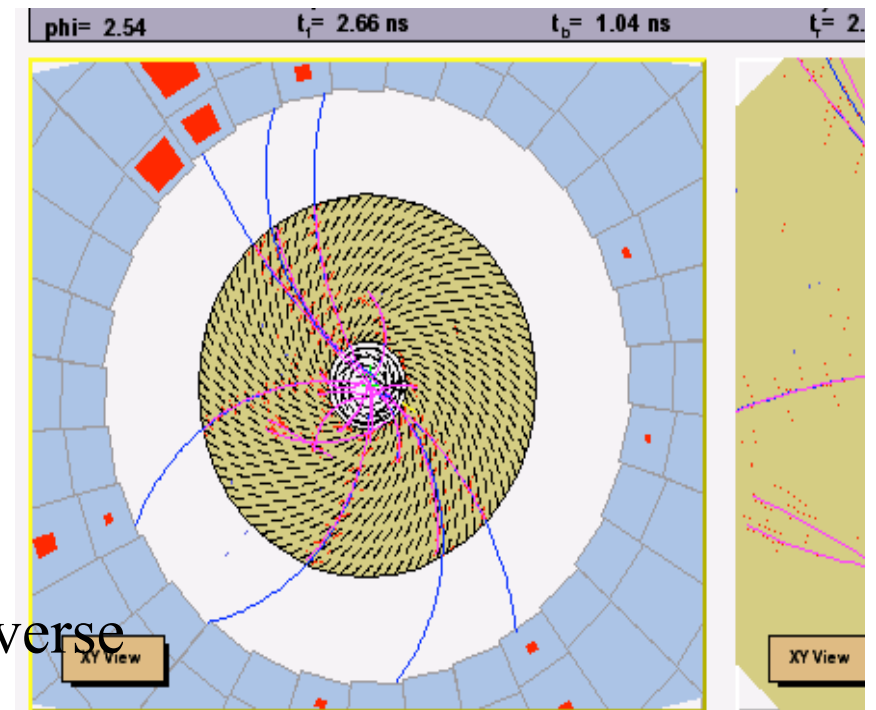
Projected Total HERAII Luminosity:

$$L^{\text{sum}} \dots 500 \text{ pb}^{-1}$$

# Central Tracking Detector

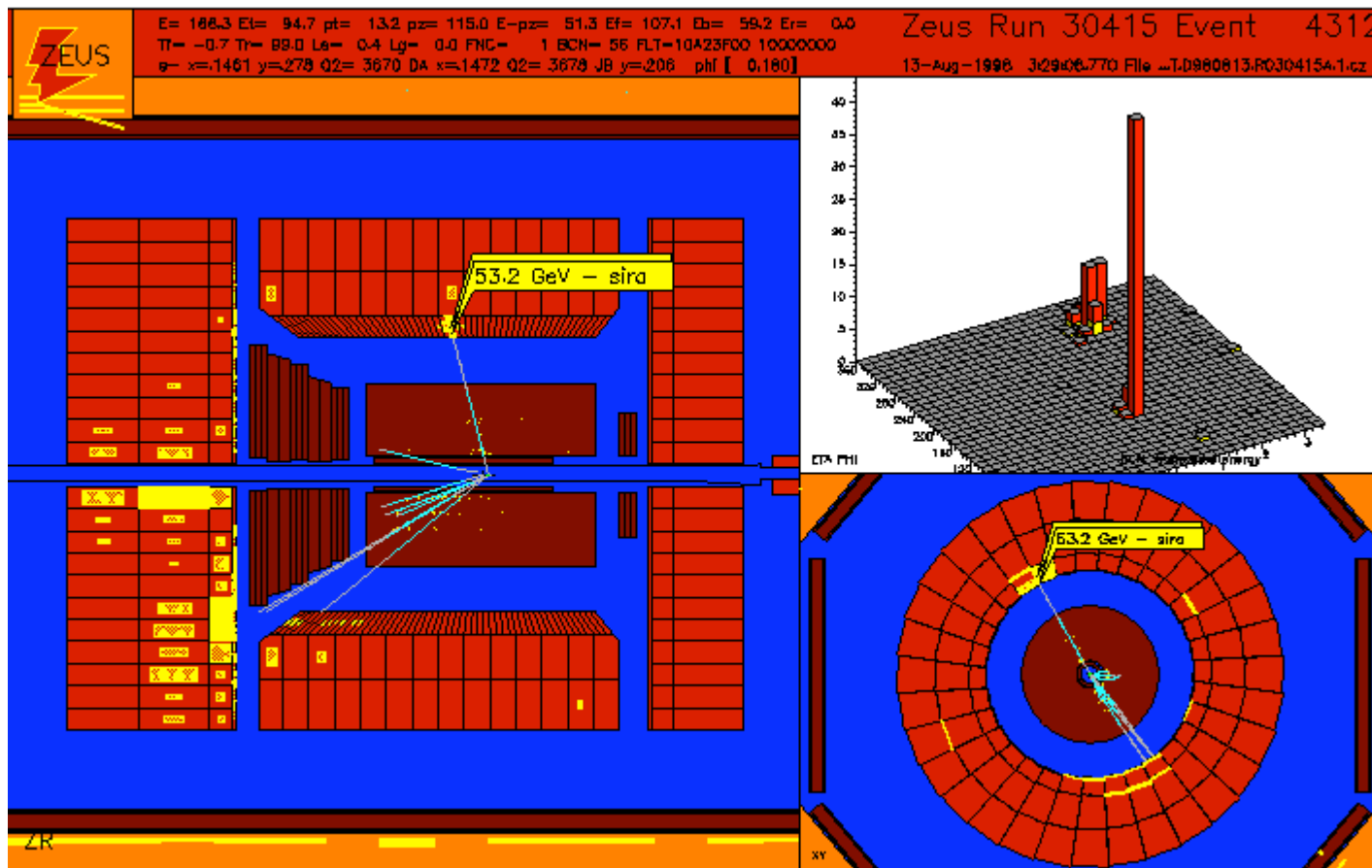
CTD: drift chamber inside 1.4T solenoid  
Vertex Resolution: 4mm in z

1mm transverse



views down the beampipe in x-y

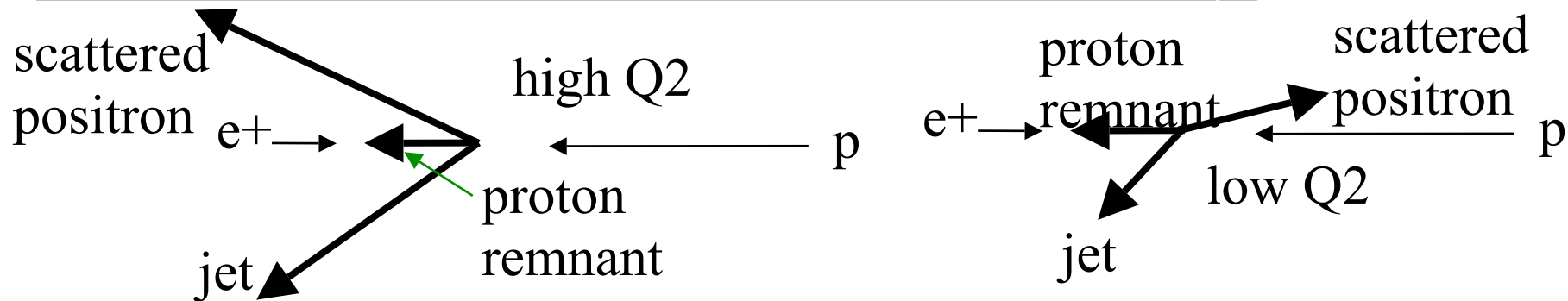
# Deep Inelastic Scattering Event



820/920 GeV p on  
 27.5 GeV e+ p  
 large forward boost

Q2 correlated to  
 scattered positron  
 angle

This event:  
 $Q^2 \sim 3600 \text{ GeV}^2$   
 $x \sim 0.15$   
 $y \sim 0.2$



# Scaling Violation

Gluon density can be extracted from fits to  $F_2$  along lines of constant  $x$

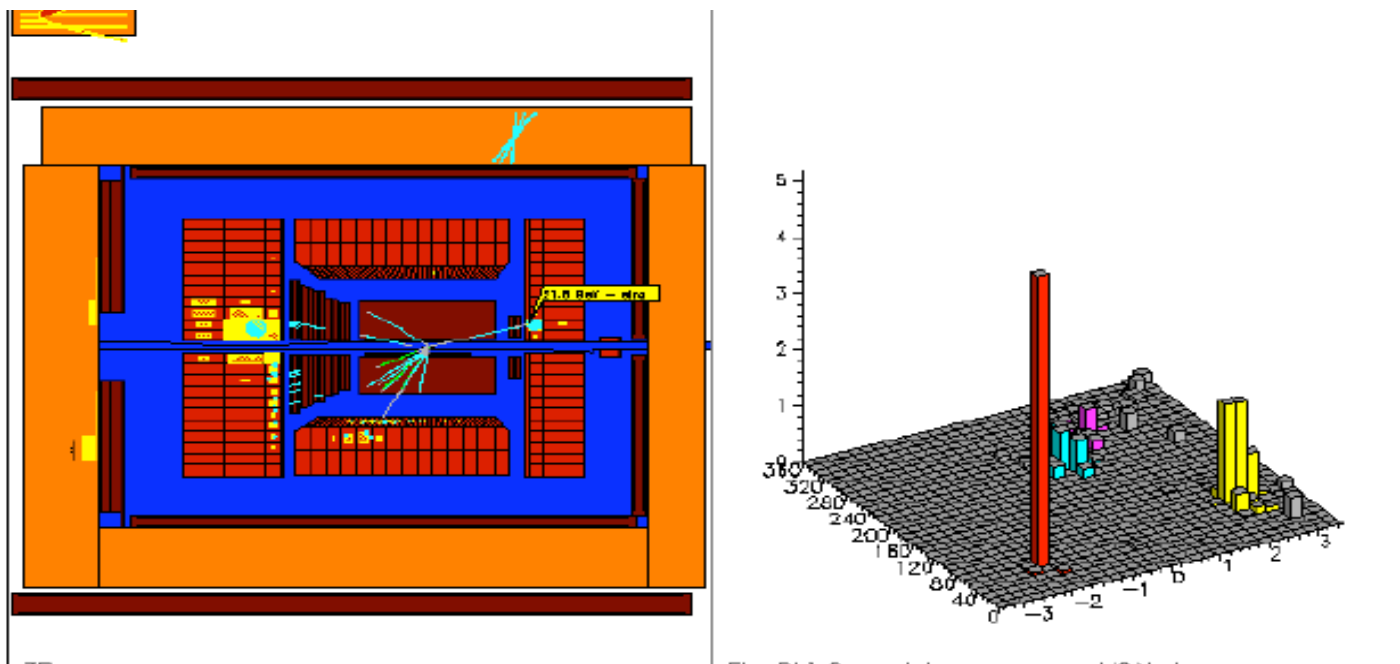
$$g(x, Q^2) \sim \frac{dF_2(x, Q^2)}{d \ln Q^2}$$

← scaling violation

scaling  
↑

$F_2$  increasing at lower  $x$   
 $P$  increasing gluon

# Dijet Event



Looking for presence of strong forward jets accompanied by hadronic activity in central and/or rear parts of the detector

## Previous ZEUS Measurement

### Issues:

- all monte carlo models underestimate the data at low  $x$
- LO monte carlo models are not consistent with each other

### Improvements:

- new data set: 6x more statistics
- new calculation: NLO
- higher reach in  $h$   
jet finding with kT-algorithm

## Jet and event reconstruction

Experimental challenges:

need good description of data by MC

need high jet finding purity and efficiency

- Data
  - Ariadne

Data is well described by Ariadne

Purities and efficiencies  $\sim 60\%$ ,  
except at high  $h$  and low ET.

# Systematic Uncertainties

Systematic uncertainties arise from  
data measurement resolution  
poor description of data by MC at cut boundary  
model dependencies in MC

Systematic Checks	Typical/Maximal (in a bin) Variation
1. Lepto instead of Ariadne	6% / 15%
2. Calorimeter Energy Scale $\pm 3\%$	5% / 23%
3. Jet Et cut variation $\pm 1\text{ GeV}$	2% / 13%
4. Jet h cut (forward) variation $\pm 0.2$	1% / 5%
5. Electron energy cut variation $\pm 1\text{ GeV}$	2% / 5%
6. Q2 cut variation $\pm 2\text{ GeV}$	1% / 3%
7. Vtx cut variation $\pm 10\text{ cm.}$	1% / 2%
8. High E-pz cut variation $\pm 3\text{ GeV}$	1% / 1%
9. Low E-pz cut variation $\pm 3\text{ GeV}$	1% / 1%
10. Hadronic angle cut variation $\pm 0.1$	3%/ 12%