

Direct Photon Production

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Outline of the lecture

- ❑ **Why photons?**
- ❑ **Photon production at large transverse momentum**
- ❑ **Direct vs fragmentation contribution**
- ❑ **Isolation cut**
- ❑ **From fixed target to collider energies**
- ❑ **Summary**

Why photons?

□ Photon is a EM probe:

It can be produced at any stage of the collision

It does not interact strongly once produced

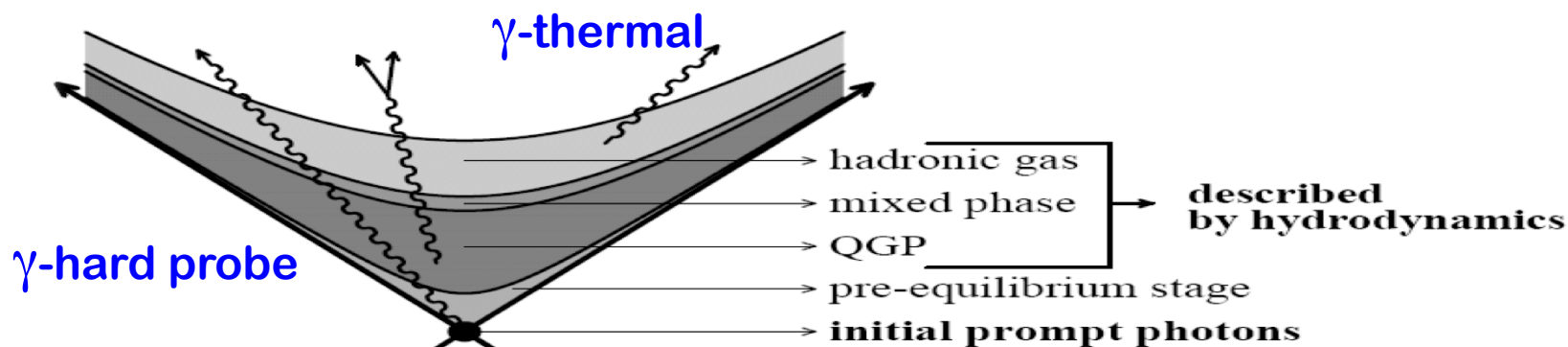
□ Good probe of short-distance strong interaction:

Isolated or “direct” photon is produced at a distance $1/p_T \ll \text{fm}$

“snap shot” of what happened at the distance scale $1/p_T$

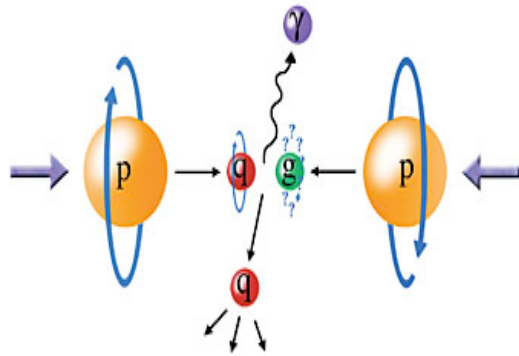
Key background of Higgs production if $M_H < 2 M_W$: $H^0 \rightarrow \gamma + \gamma$

□ Photon can tell the full history of heavy ion collision



Theory behind the high p_T photon

□ Production mechanism – leading power factorization:



$$\frac{d\sigma_{AB}}{dydp_T^2} = \int dx f_{a/A}(x, \mu) \int dx' f_{b/B}(x', \mu) \frac{d\hat{\sigma}_{ab}(\alpha_s(\mu))}{dydp_T^2} + \text{frag contribution} + \mathcal{O}\left(\frac{1}{p_T^n}\right)$$

Hard part: $\hat{\sigma}_{ab}(\alpha_s(\mu)) = \hat{\sigma}_{ab}^0 \alpha_s^m(\mu) + \hat{\sigma}_{ab}^1(\log(\mu)) \alpha_s^{m+1}(\mu) + \dots$

□ Predictive power:

- ✧ Short-distance part is Infrared-Safe, and calculable
- ✧ Long-distance part can be defined to be Universal - PDFs

□ Factorization and renormalization scale dependence:

- ✧ NLO is necessary

□ Power correction could be important at low p_T

Factorization is an approximation

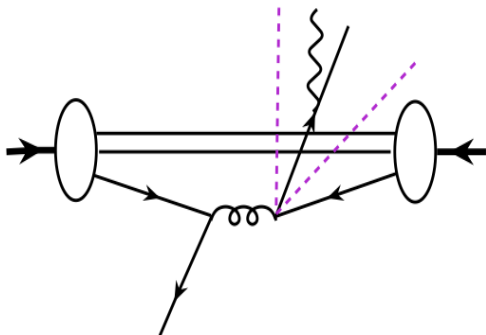
Multiple scattering and power correction:

$$\sigma(P_T) \sim \left[\text{Diagram 1} + \text{Diagram 2} + \dots \right] \quad 2$$

$$\propto \hat{\sigma}(P_T, x_1, x_2, \mu) \otimes \phi(x_1, \mu) \otimes \phi(x_2, \mu) + \mathcal{O}\left(\frac{Q_s^2}{p_T^2}\right)$$

The diagrams show two scattering processes between two hard scatterers (represented by ovals). The first diagram shows a single gluon exchange (curly line) between the scatterers. The second diagram shows a more complex interaction involving a gluon exchange and a self-energy correction on one of the lines. A blue arrow points to the self-energy correction term in the second diagram, which is associated with the power correction term in the equation below.

Fragmentation function and isolation cut:



$$\sigma(P_T) \propto \hat{\sigma}(P_T, x_1, x_2, \mu) \otimes \phi(x_1, \mu) \otimes \phi(x_2, \mu) \otimes D(z) + \mathcal{O}\left(\frac{Q_s^2}{p_T^2}\right)$$

Note: $\ln(R)$ Cone size cannot be too small

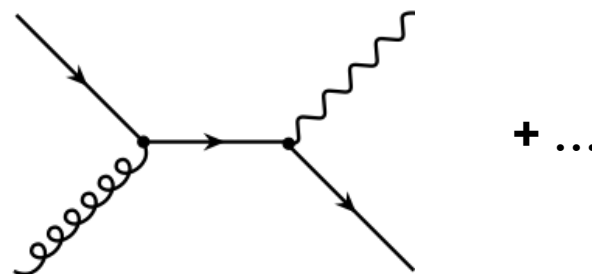
$\ln(E_h/E_\gamma)$ \longrightarrow E_h/E_γ Not too small

Direct photon is sensitive to gluon

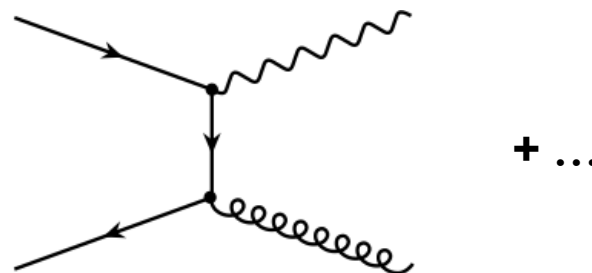
□ Sensitive to gluon at the leading order – hadronic collision:

✧ Lowest order direct $\mathcal{O}(\alpha_{em}\alpha_s)$:

Compton: $q(\bar{q}) + g \rightarrow \gamma + q(\bar{q})$



Annihilation: $q + \bar{q} \rightarrow \gamma + g$



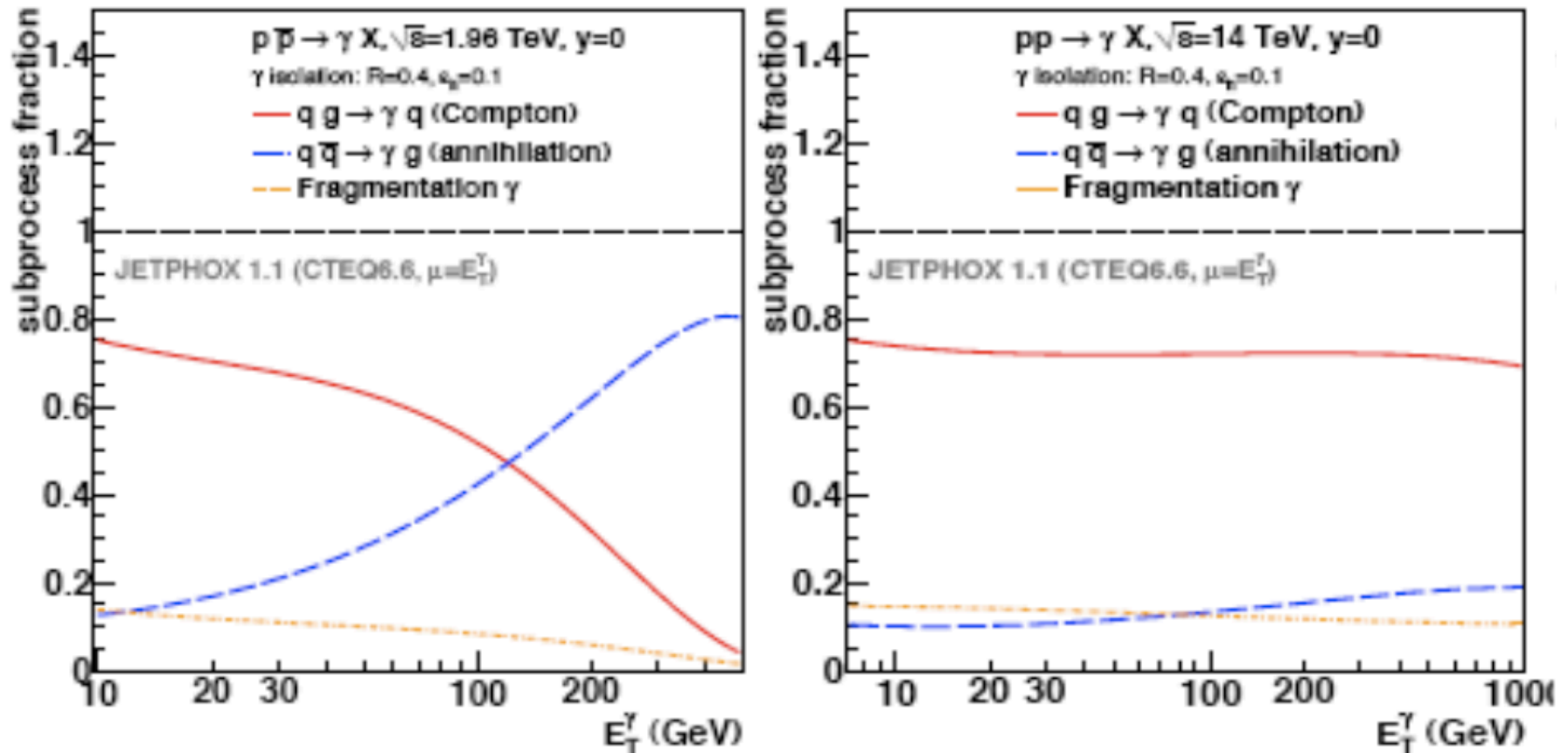
✧ Compton dominates in pp collision:

$$f_{g/p}(x, \mu^2) \gg f_{\bar{q}/p}(x, \mu^2) \quad \text{for all } x$$

Direct photon production could be a good probe of gluon distribution

Role of gluon in pp collision

□ pp vs $p\bar{p}$ – dominance of gluon in pp:

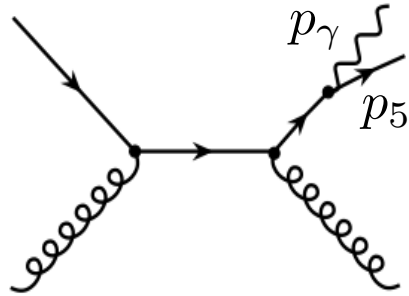


✧ Isolation cut removes the most of fragmentation contribution!

✧ More dominance in the forward region!

Complication from high orders

□ Final-state collinear singularity:



$$\overline{\sum} |M(qg \rightarrow \gamma qg)|^2 \approx \frac{\alpha_{em}}{2\pi} \mathcal{P}_{q \rightarrow \gamma}^{(0)}(z) \frac{1}{s_{\gamma q}} \overline{\sum} |M(qg \rightarrow qg)|^2$$

$$\mathcal{P}_{q \rightarrow \gamma}^{(0)}(z) = \frac{1 + (1 - z)^2}{z}$$

$$s_{\gamma q} = (p_\gamma + p_5)^2 \rightarrow 0 \quad \text{when } p_\gamma \parallel p_5$$

An internal quark line goes on-shell signaling long-distance physics

□ Fragmentation contribution:

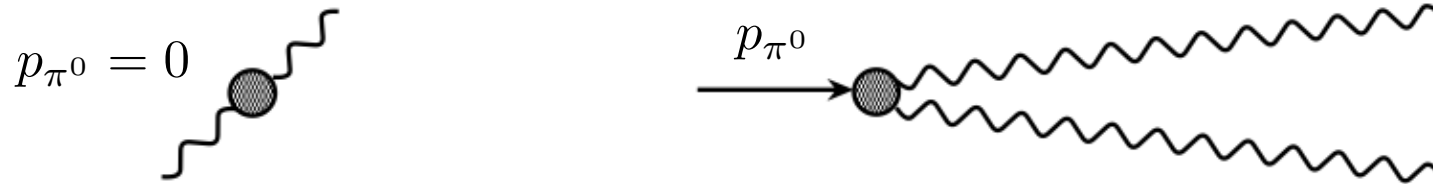
$$\frac{d\sigma_{AB \rightarrow \gamma}^{\text{Frag}}}{dy dp_T^2} = \sum_{abc} \int \frac{dz}{z^2} D_{c \rightarrow \gamma}(z, \mu) \int dx f_{a/A}(x, \mu) \int dx' f_{b/B}(x', \mu) \frac{d\hat{\sigma}_{ab \rightarrow c}^{\text{Frag}}}{dy dp_T^2}$$

□ Photon fragmentation functions – inhomogeneous evolution:

$$\frac{\partial D_{c \rightarrow \gamma}(z, \mu)}{\partial \log(\mu)} = \frac{\alpha_{em}}{2\pi} \mathcal{P}_{c \rightarrow \gamma}(z) + \sum_{a=q\bar{q}g} \frac{\alpha_s}{2\pi} P_{ac}(z) \otimes D_{a \rightarrow \gamma}(z, \mu)$$

Complication from the measurement

□ Separation the signal photon from $\pi^0 \rightarrow \gamma\gamma$:



✧ When p_{π^0} increases, the opening angle between two photons decreases

✧ Two photons can be mis-identified as one photon at high p_T

□ Isolation cut – algorithms:

✧ CDF cone algorithm - reduction of fragmentation contribution

Require that there is less than 1 GeV hadronic transverse energy

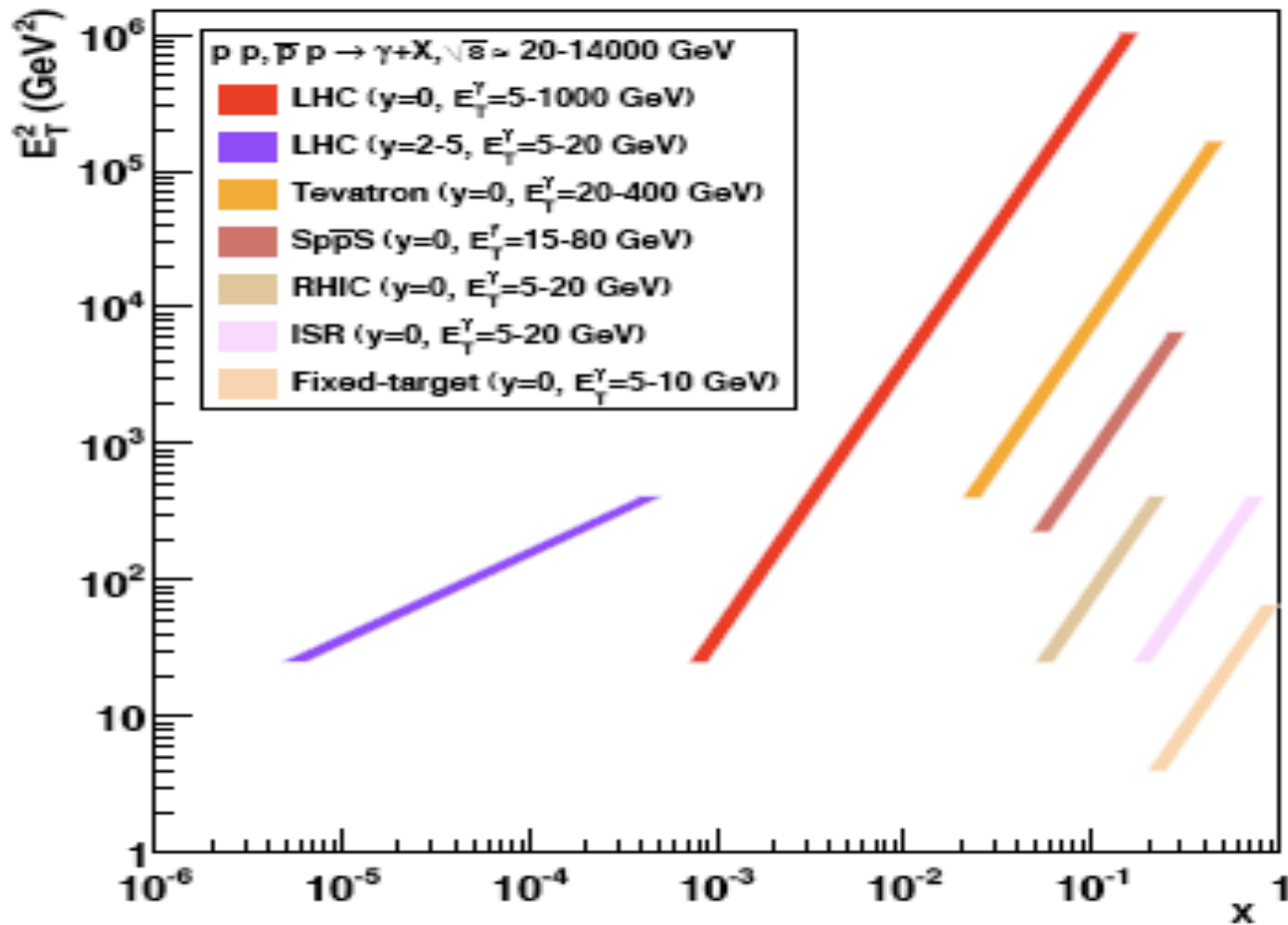
in a cone of radius: $R = \sqrt{(\Delta\eta)^2 + (\Delta\phi)^2} \sim 0.7$

✧ Modified cone algorithm – NO fragmentation contribution

S. Frixione, Phys.Lett. B429 (1998) 369

Direct photon covers a wide range of x and Q^2

□ Photon energy vs gluon momentum fraction x :



Direct photon data

□ **Fixed target energies** $\sqrt{s} = 20 - 40$ GeV:

✧ With $p_T = 3-10$ GeV, data have high $x_T = \frac{2p_T}{\sqrt{s}}$

✧ Challenge for NLO theory to fit data – wrong shape!

□ **Collider energies:**

✧ pp at ISR with $\sqrt{s} = 44 - 62$ GeV

✧ pp at CERN and Fermilab with $\sqrt{s} = 540 - 1960$ GeV

✧ $p\bar{p}$ at RHIC with $\sqrt{s} = 200 - 500$ GeV, dA and AA as well

✧ pp at LHC with $\sqrt{s} = 7 - 14$ TeV, and PbPb as well

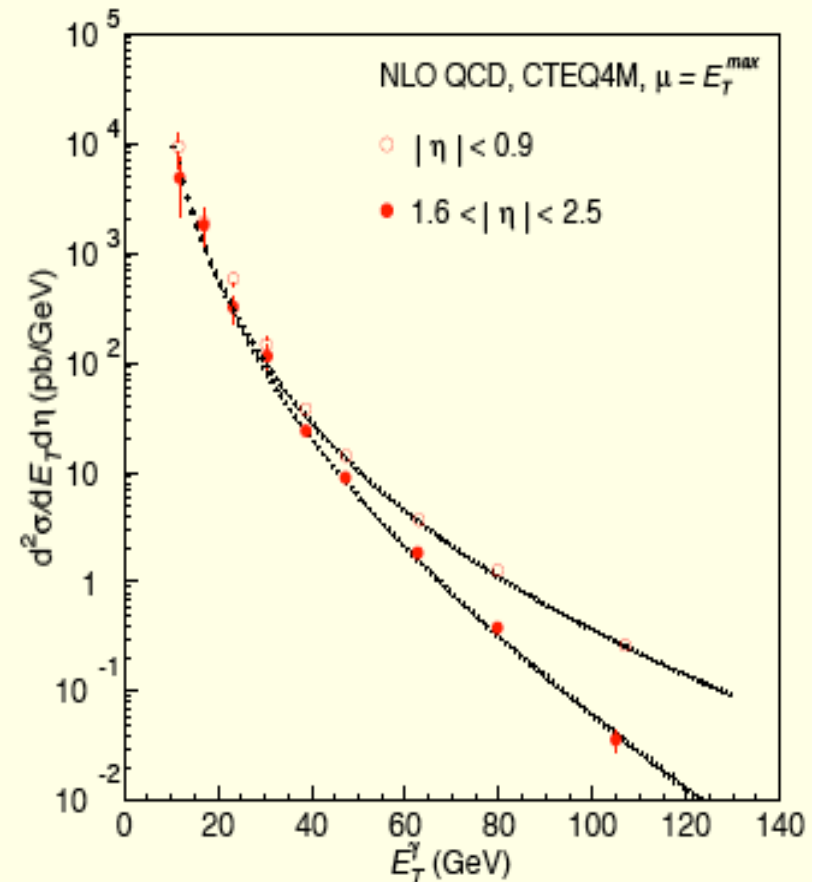
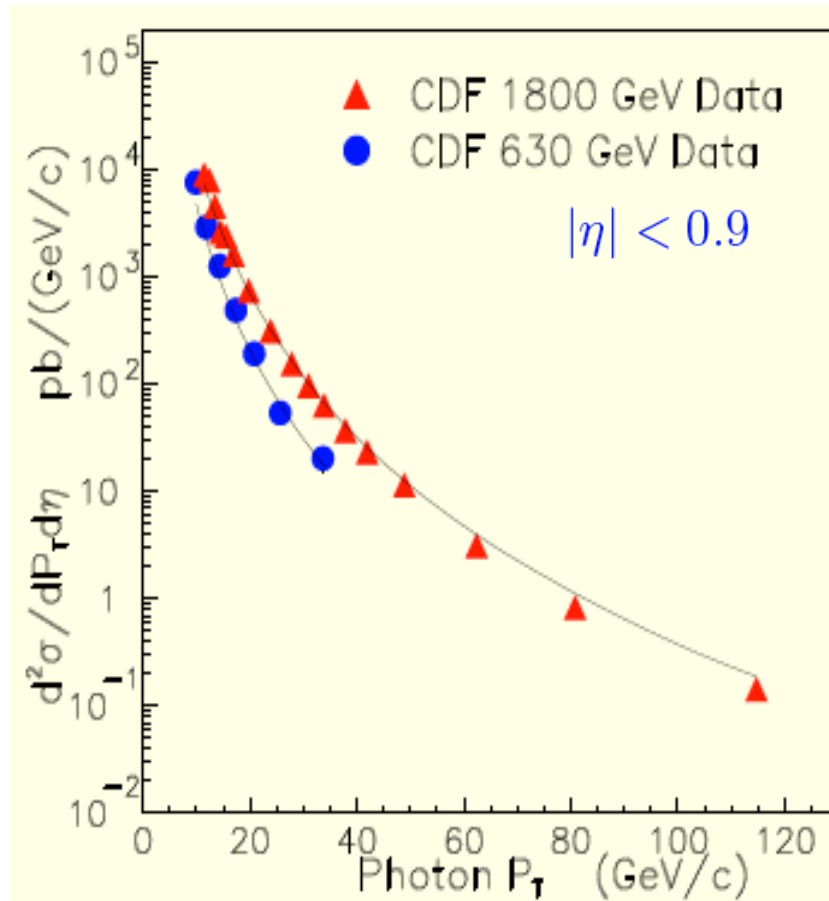
□ **Data sources:**

✧ Data review by W. Vogelsang and M.R. Whalley,
J. Phys. G23, Suppl. 7A, A1 (1997)

✧ Online database at <http://durpdg.dur.ac.uk/HEPDATA>

Theory vs experimental data

□ Tevatron data

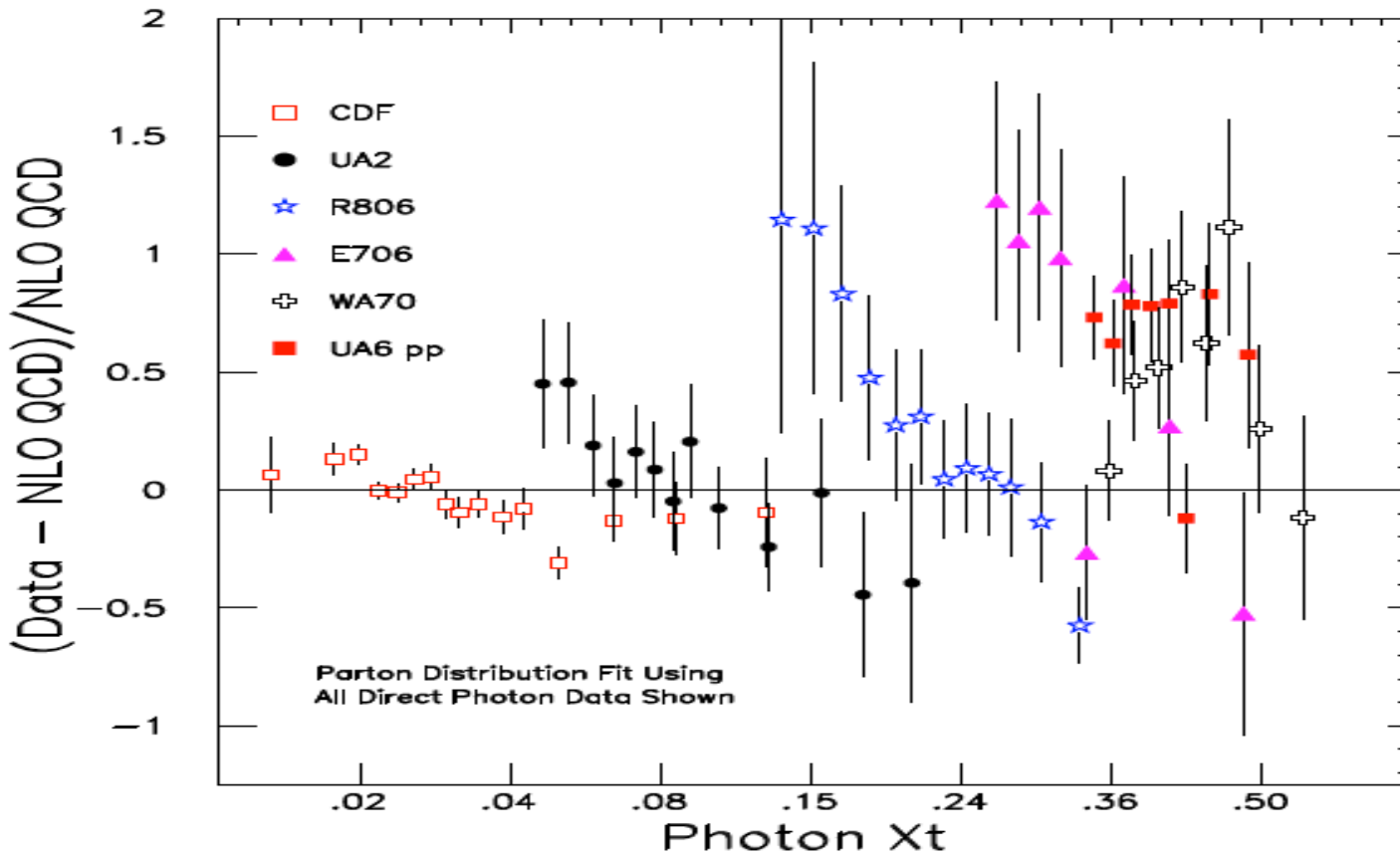


- ✧ Agreement looks good when plotted on a logarithmic scale
- ✧ QCD description of direct photon production works

Compare with data from different expt's

□ CTEQ global analysis:

CTEQ Huston et al.



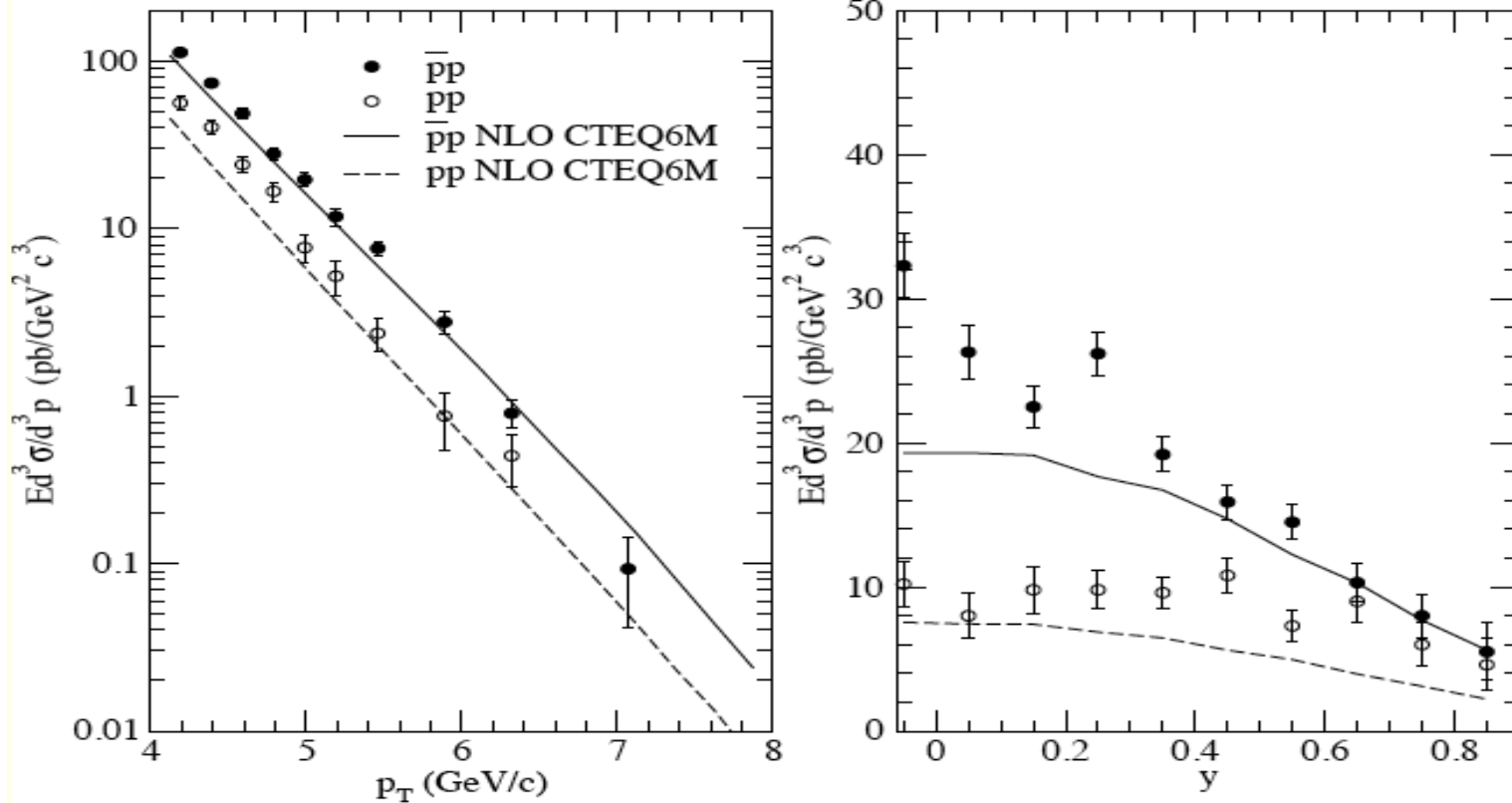
$$x_T = \frac{2p_T}{\sqrt{s}}$$

- ✧ Neither PDFs nor photon FFs can significantly improve the shape
- ✧ Direct photon data were NOT in recent global fits

Experiments with both pp and $p\bar{p}$

□ **UA6:** both pp and $p\bar{p}$ at $\sqrt{s} = 24.3$ GeV

UA-6 $p\bar{p} \rightarrow \gamma + X$ and $pp \rightarrow \gamma + X$
 $-0.10 < y < 0.9$ $4.1 < p_T < 7.7$ GeV/c

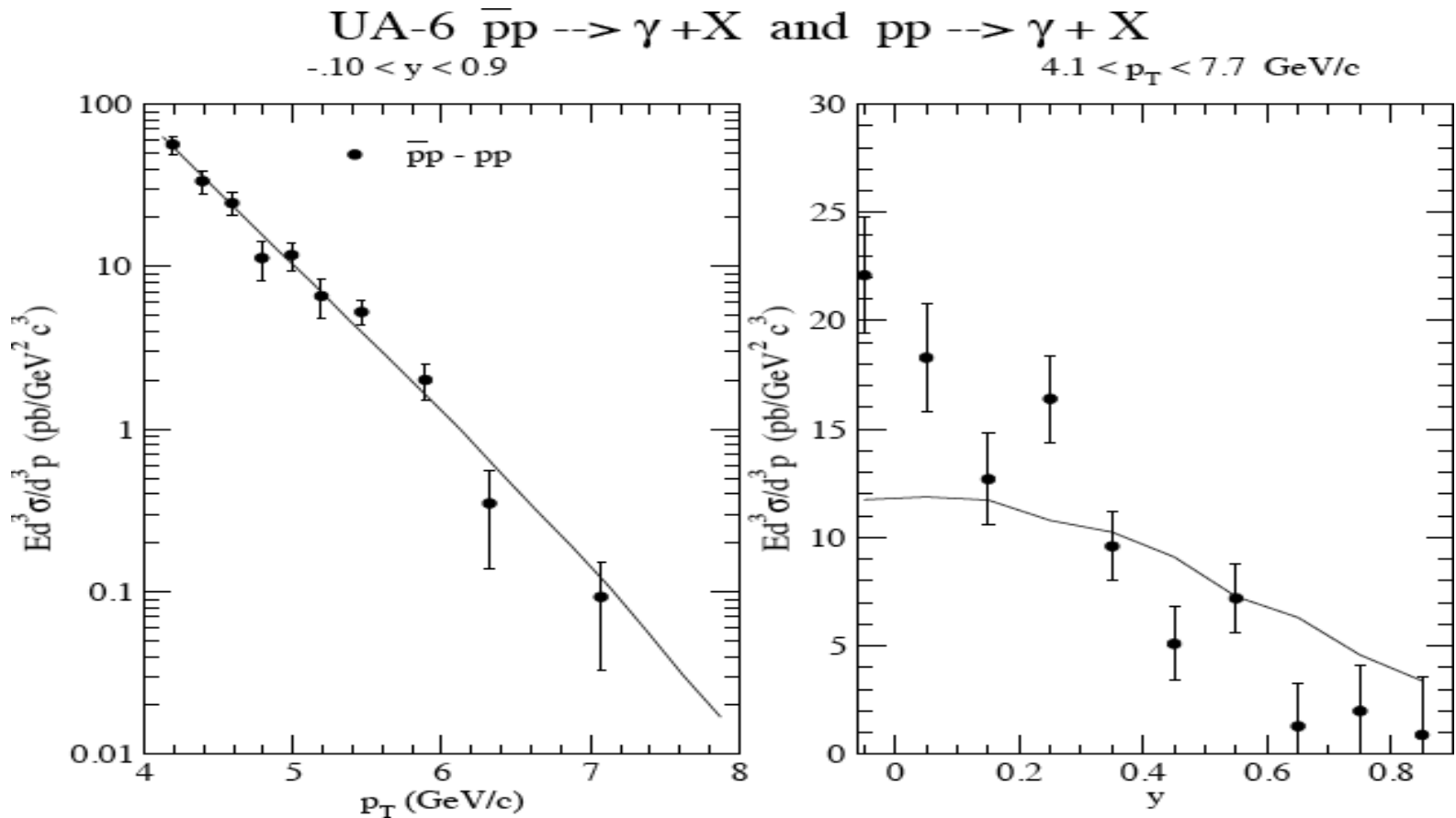


✧ Theory curves are below the data

✧ Rapidity curves are flatter

Role of gluon distribution?

□ UA6: $\bar{p}p - pp$ both pp and $\bar{p}p$ at $\sqrt{s} = 24.3$ GeV

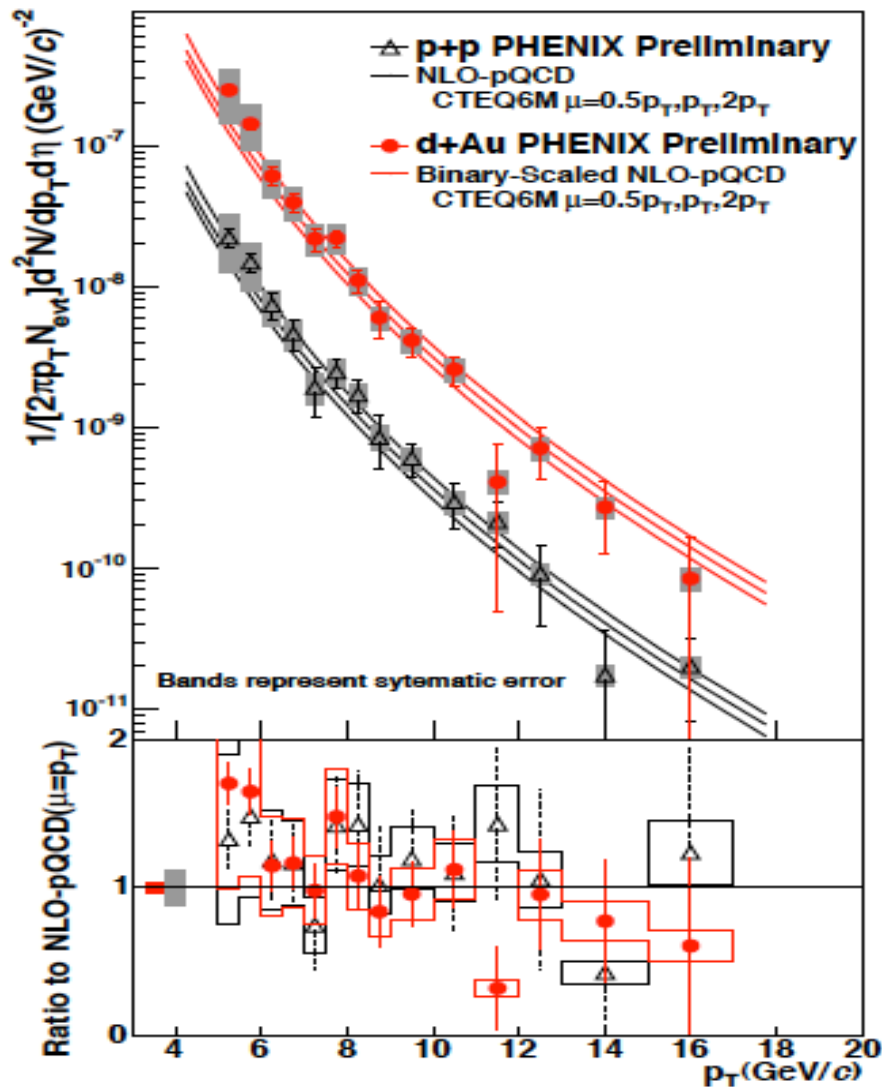


✧ NO gluon contribution to the difference!

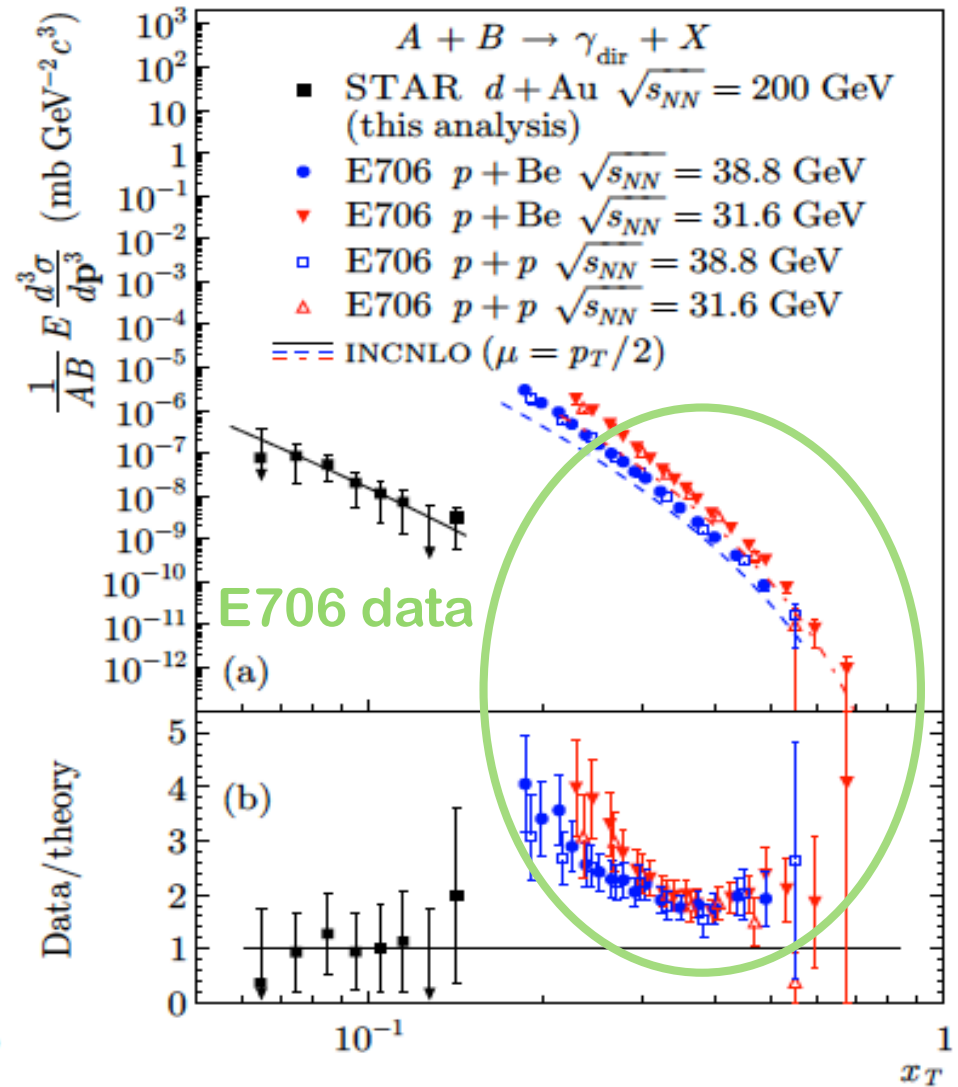
✧ Theory matches the data better – role of gluon?

Theory works well at RHIC energy

PHENIX



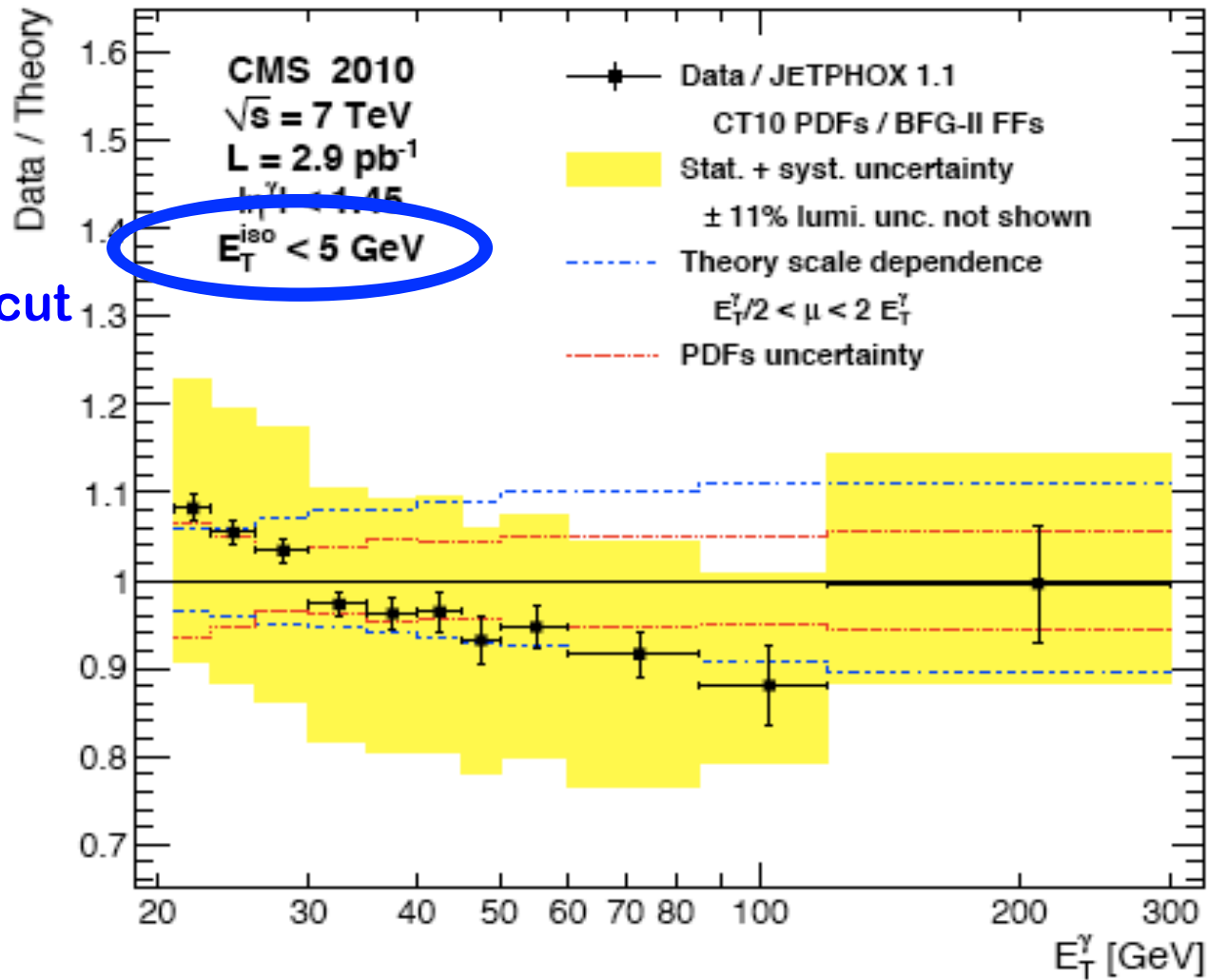
STAR



How about at the LHC?

□ CMS:

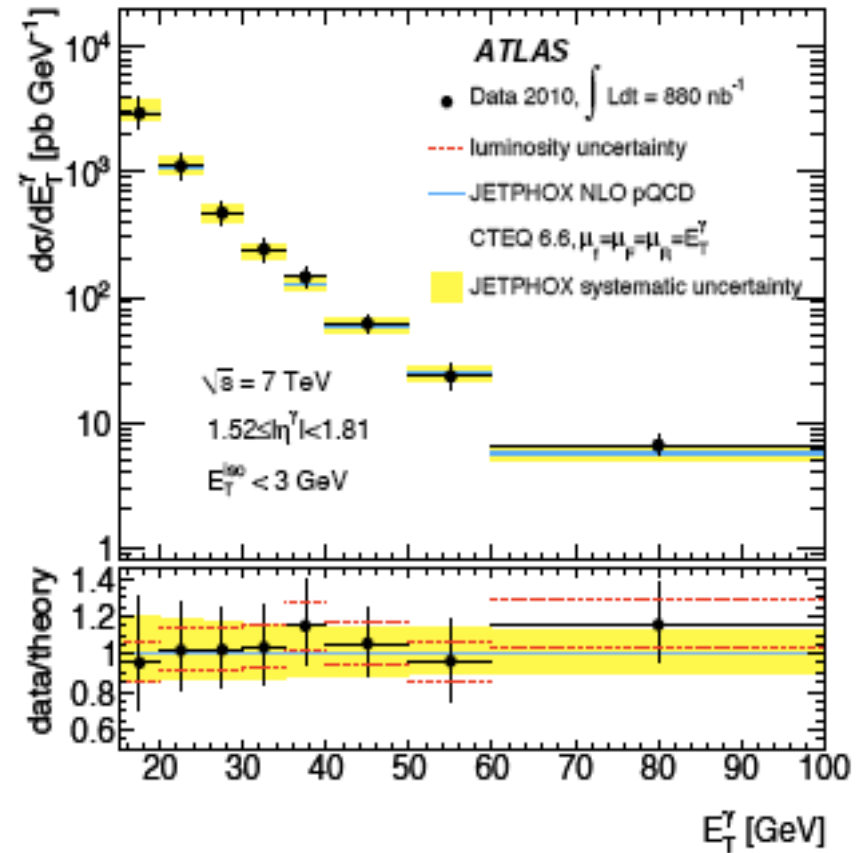
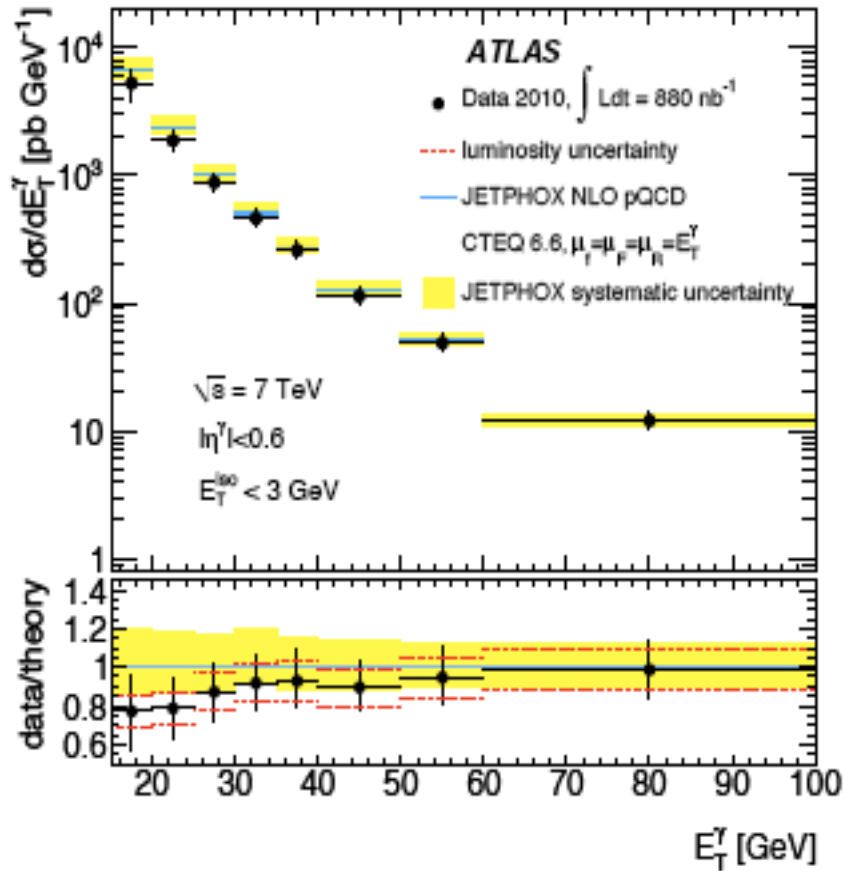
Isolation cut



✧ Shape in x_T – within the PDF uncertainty?

Rapidity dependence at the LHC

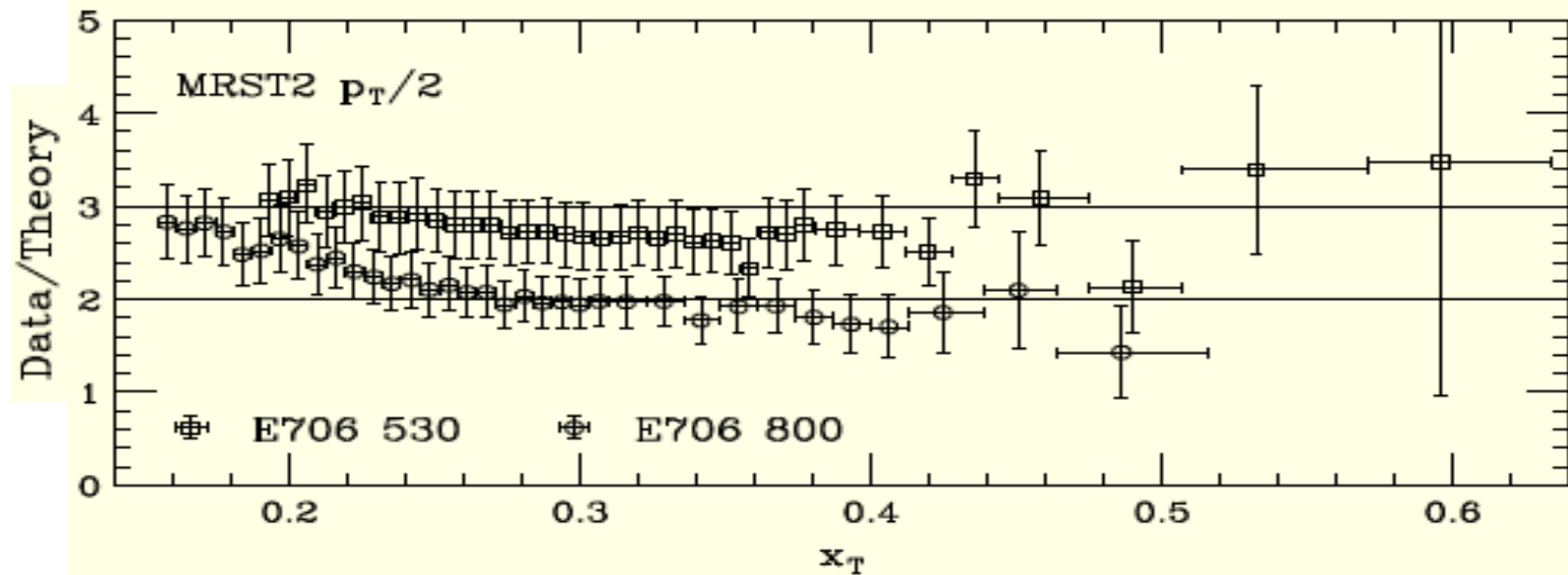
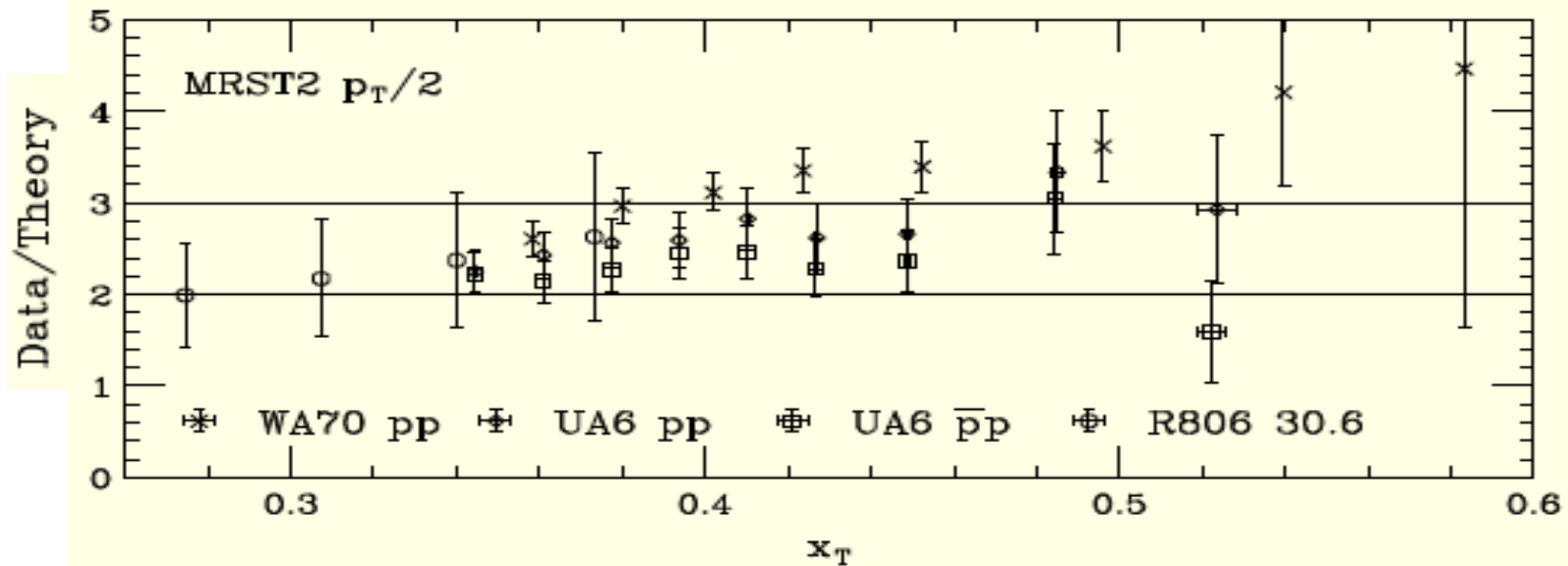
□ ATLAS:



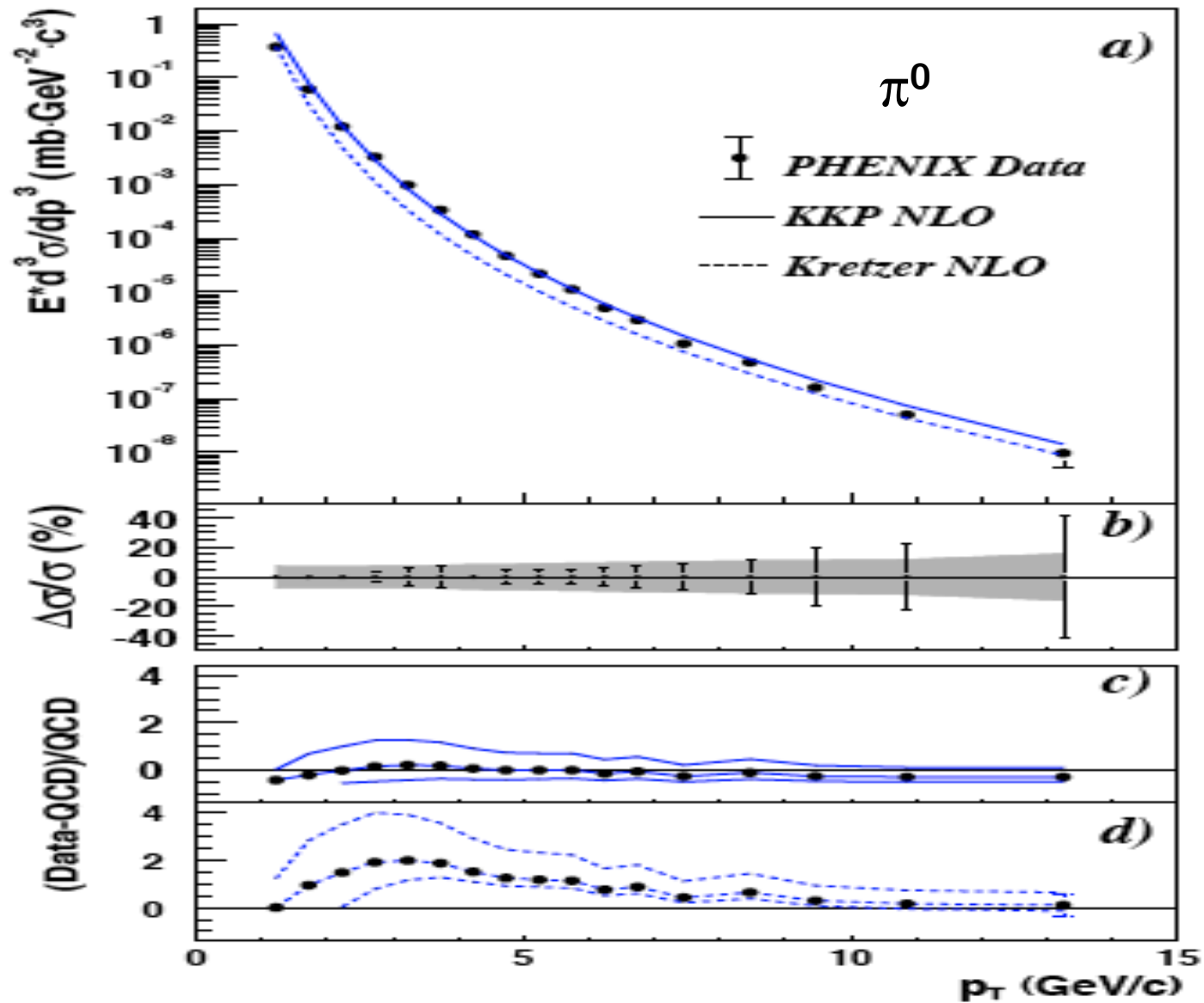
✧ Data is systematically lower than theory at central η^γ and small E_T^γ

✧ small $E_T^{\text{iso}} < 3 \text{ GeV}$, NOTE: CMS has $E_T^{\text{iso}} < 5 \text{ GeV}$

Same excess seen in π^0 production



But, works at RHIC energy

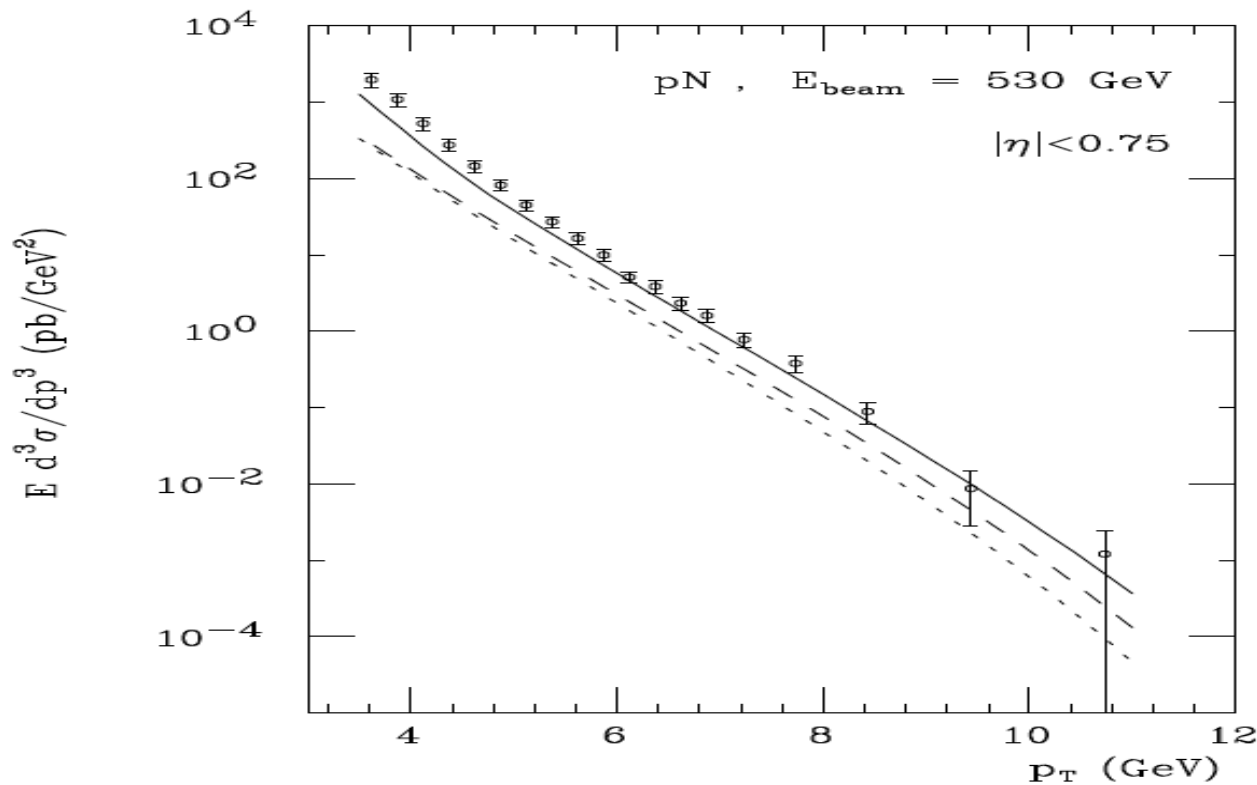


Where do we stand?

- Agreement between theory and data improves with increasing energy and is excellent by $\sqrt{s} = 200$ GeV
- Situation with fixed target direct photon data is confusing:
 - ✧ Disagreement between experiments
 - See Apanasevich et al., hep-ph/0007191 for a discussion of the systematics of γ/π^0 ratios and consistency between experiments
 - ✧ A reassessment of systematic errors on the existing fixed target photon experiments might help resolve the discrepancies
- All experiments see an excess of data over theory at fixed target energies
- We need an improved method of calculating single particle inclusive cross sections in the fixed target energy
 - to improve agreement for both photon and π^0 production

Threshold resummation could help

□ Threshold resummation – rate at fixed target energy:



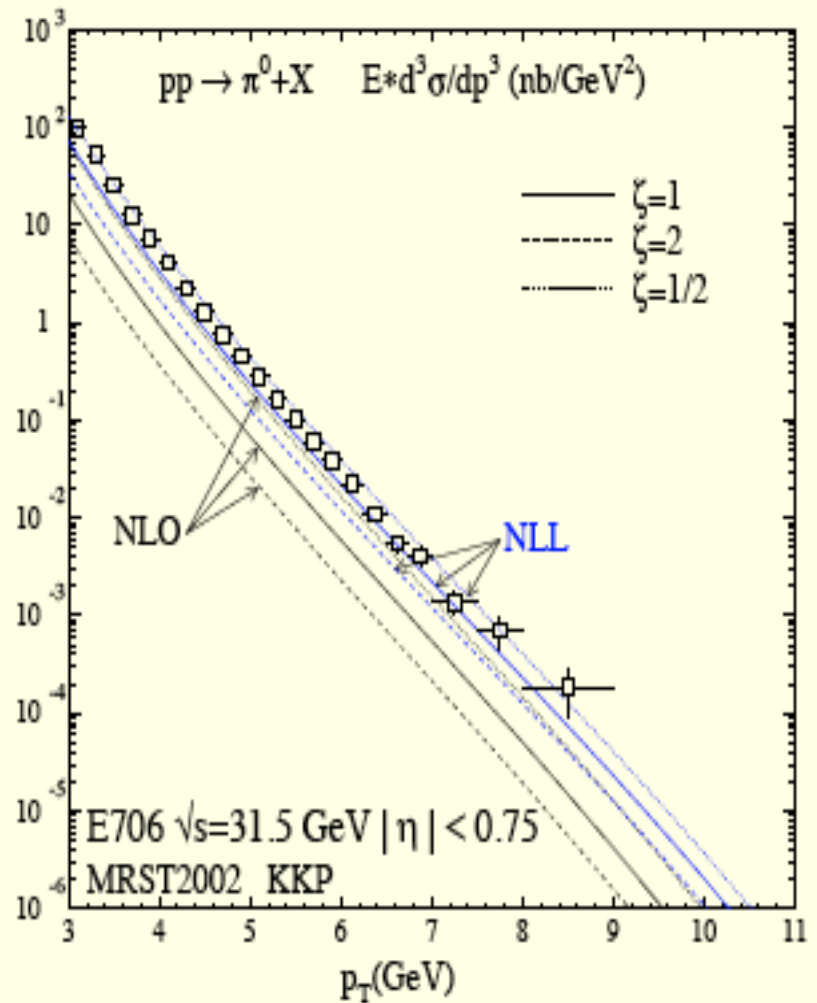
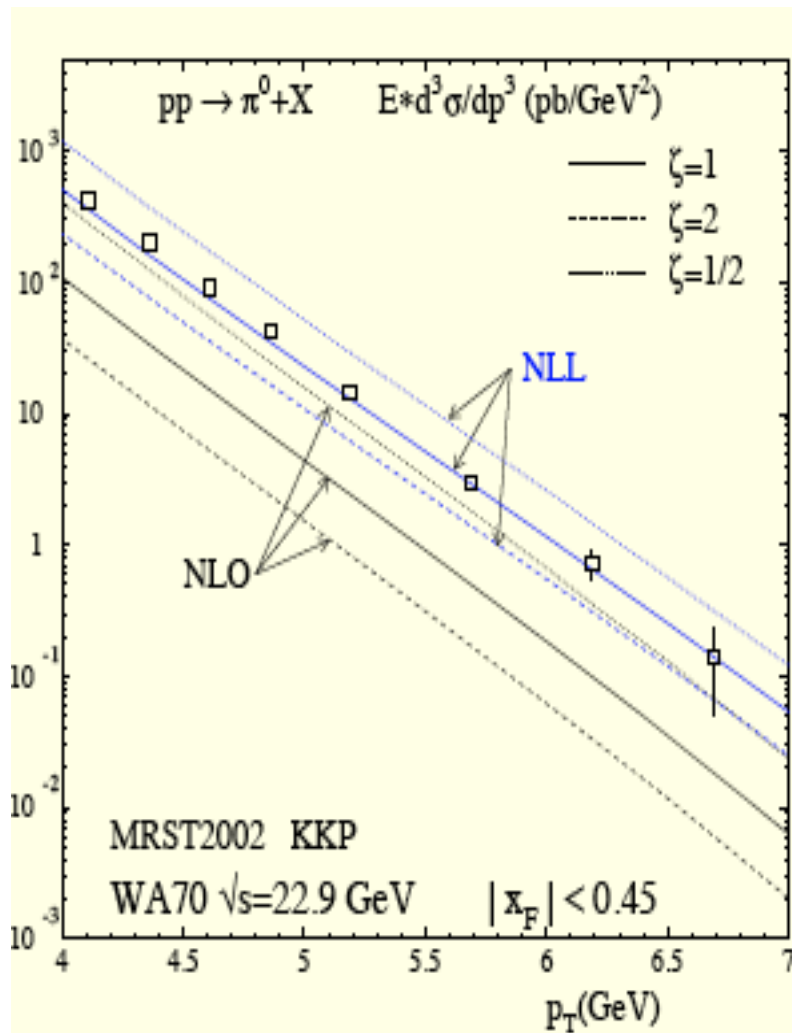
Laenen, Sterman,
Vogelsang, 2008

CTEQ Huston et al.

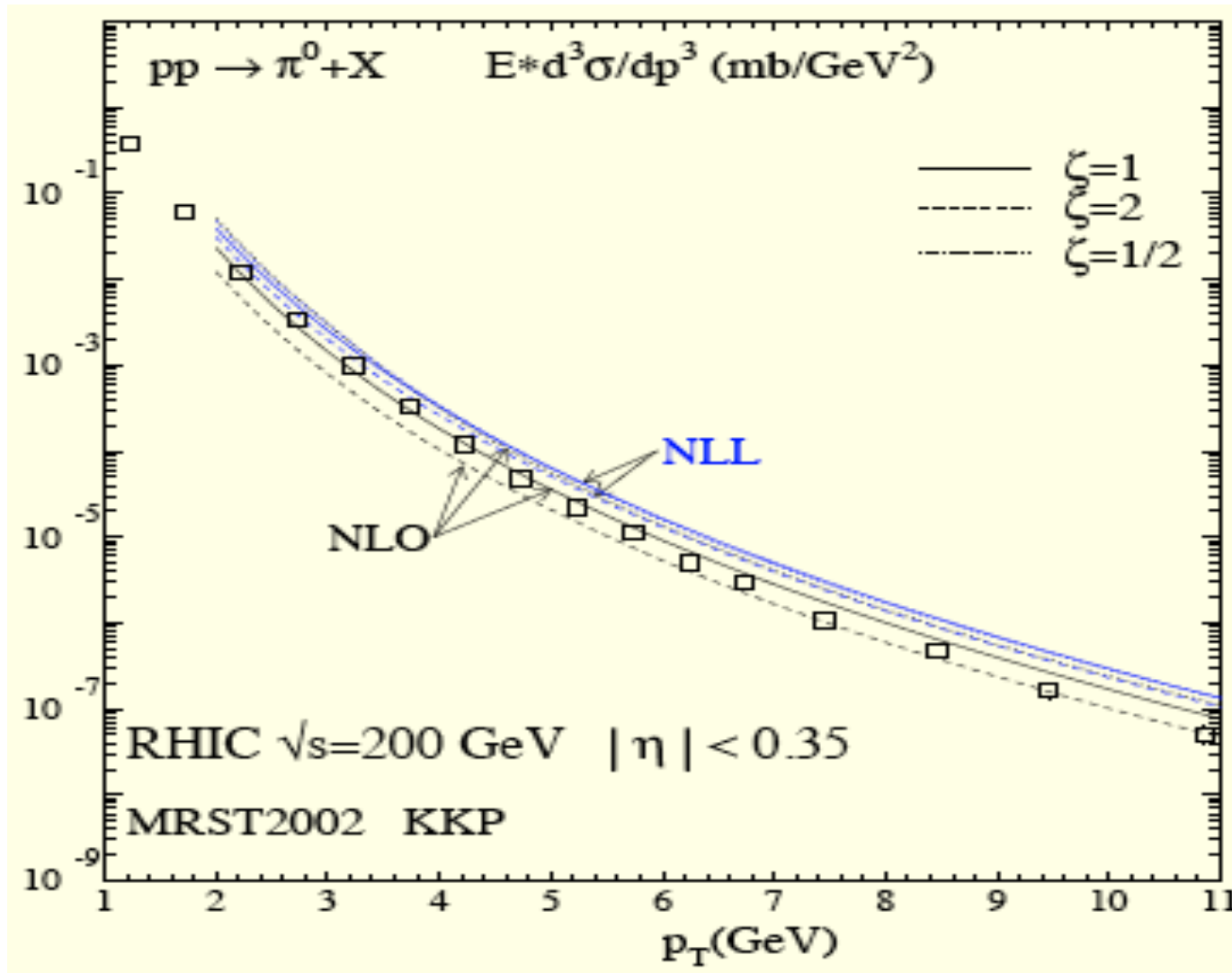
□ Intrinsic $k_T - x_T$ dependence at fixed target energy:

- ✧ Mimic the resummation of initial-state gluon shower
- ✧ Large effect on a steep falling P_T distribution

Resummation helps π^0 cross section too



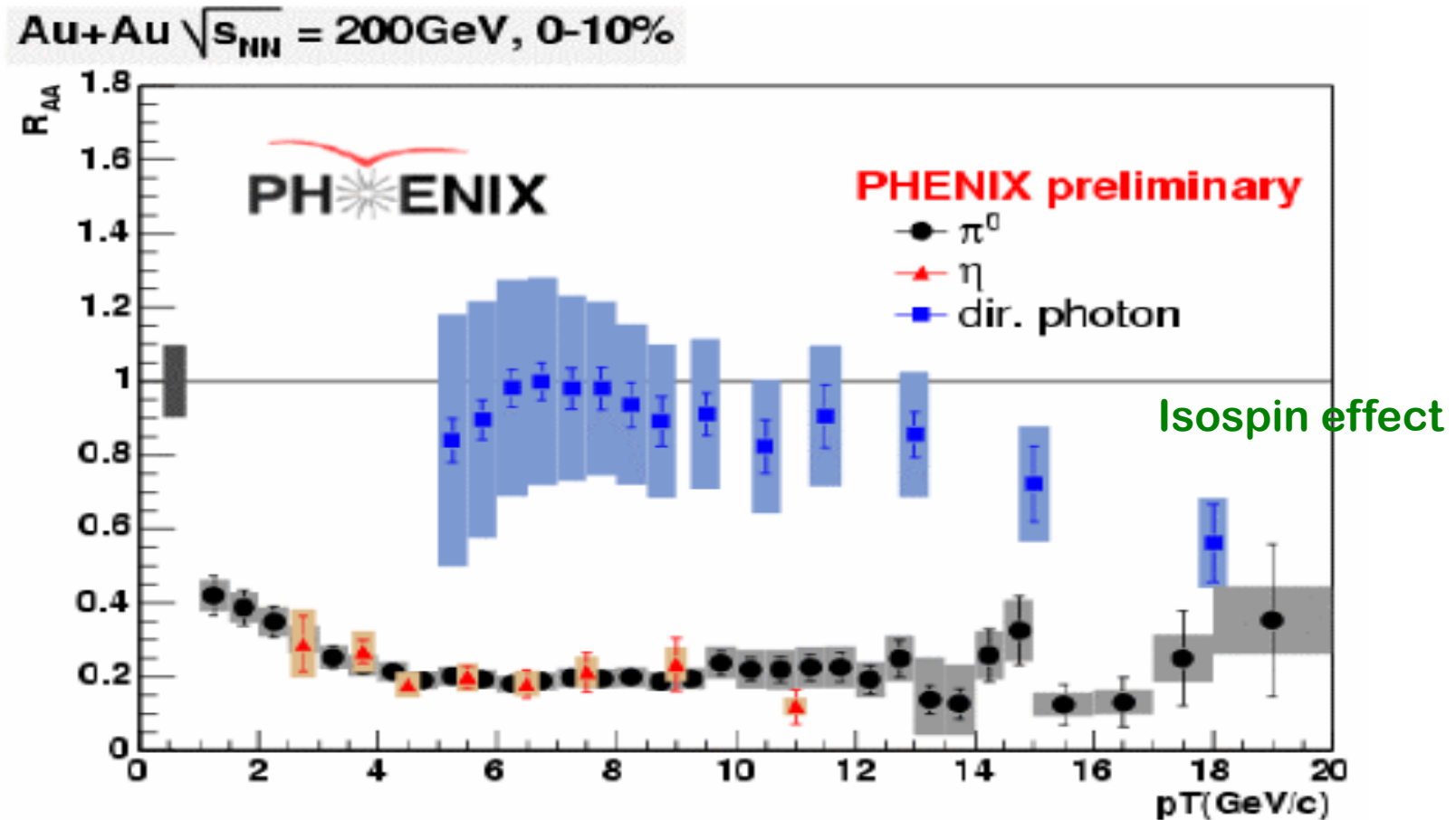
What happens at RHIC energy?



Reduced enhancement at RHIC energies than fixed target energies

Photon can penetrate the medium

□ Photon tells the history:

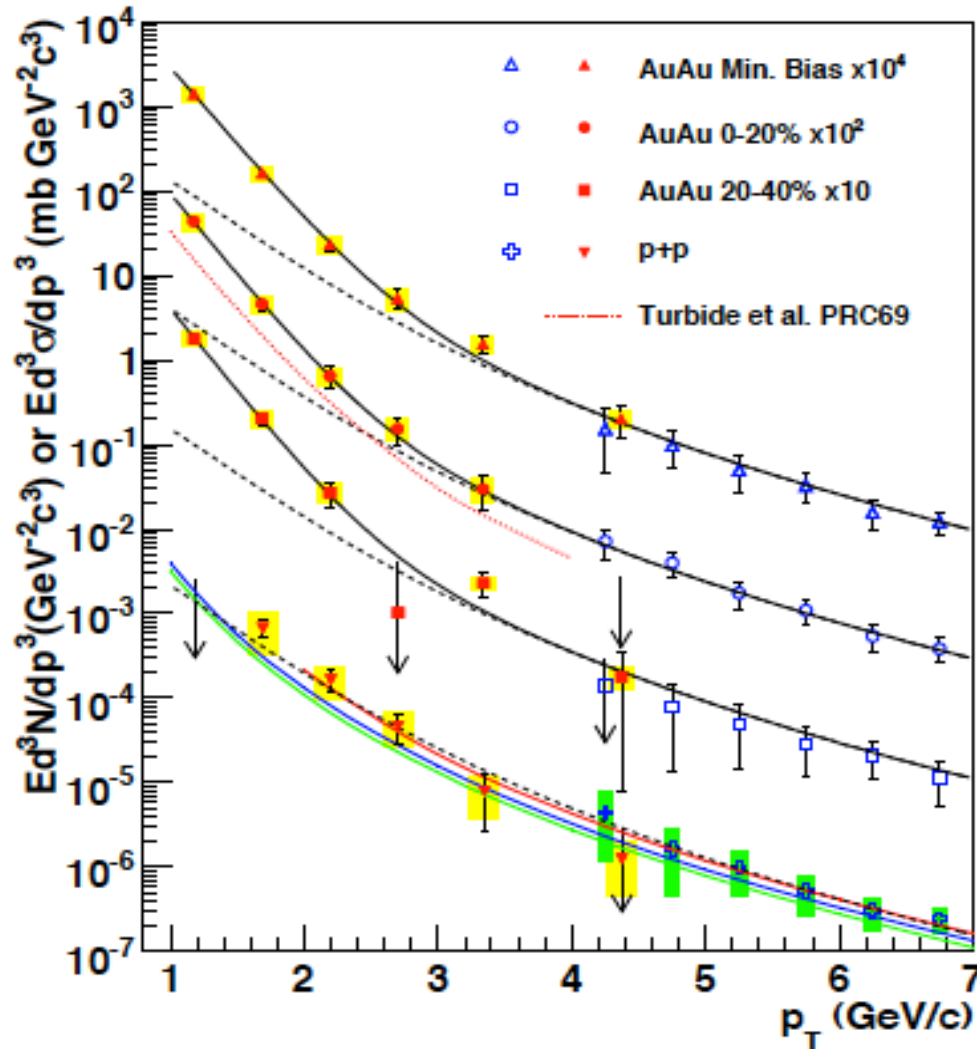


High P_T photon penetrates the medium without suppression

“Photon” at low p_T in Au-Au collisions

□ Low mass e^+e^- pairs \longrightarrow direct photon production:

arXiv:0804.4168 (PRL in press)



$$\frac{d^2n_{ee}}{dm_{ee}} = \frac{2\alpha}{3\pi} \frac{1}{m_{ee}} \sqrt{1 - \frac{4m_e^2}{m_{ee}^2}} \left(1 + \frac{2m_e^2}{m_{ee}^2}\right) S dn_\gamma$$

S : process dependent factor

$$\sqrt{s} = 200 \text{ GeV}$$

$$m_{ee} < 0.3 \text{ GeV}/c$$

$$1 < p_T < 5 \text{ GeV}/c$$

Difference pp vs AA
– thermal photon

\longrightarrow Temperature

$$T = 221 \pm 19^{\text{stat}} \pm 19^{\text{syst}} \text{ MeV}$$

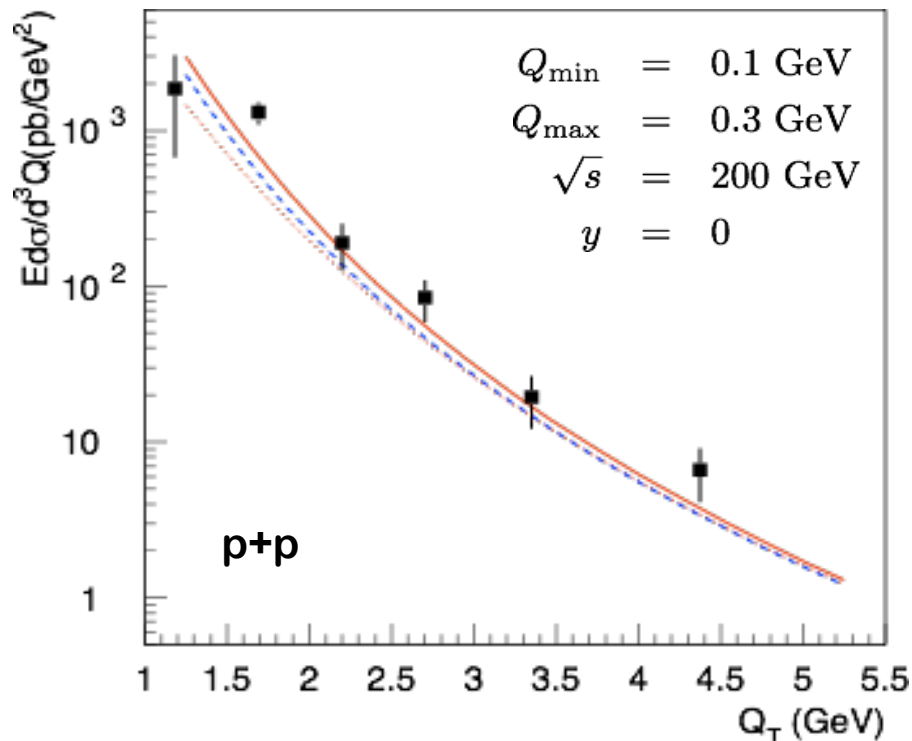
Invariant cross section in pp collision

Kang, Qiu, Vogelsang, PRD 2009

□ Definition:

$$E \frac{d\sigma_{AB \rightarrow \ell^+ \ell^- (Q) X}}{d^3 Q} \equiv \int_{Q_{\min}^2}^{Q_{\max}^2} dQ^2 \frac{1}{\pi} \frac{d\sigma_{AB \rightarrow \ell^+ \ell^- (Q) X}}{dQ^2 dQ_T^2 dy}$$

□ Role of non-perturbative fragmentation function:



Data from PHENIX: arXiv:0804.4168

✧ Input FF:

$$D(z, \mu_0) = D^{\text{QED}}(z) + \kappa D^{\text{NP}}(z)$$

✧ QED alone (dotted):

$$\kappa = 0 \text{ at } \mu_0 = 1 \text{ GeV}$$

✧ QED + hadronic input (solid):

$$\kappa = 1 \text{ at } \mu_0 = 1 \text{ GeV}$$

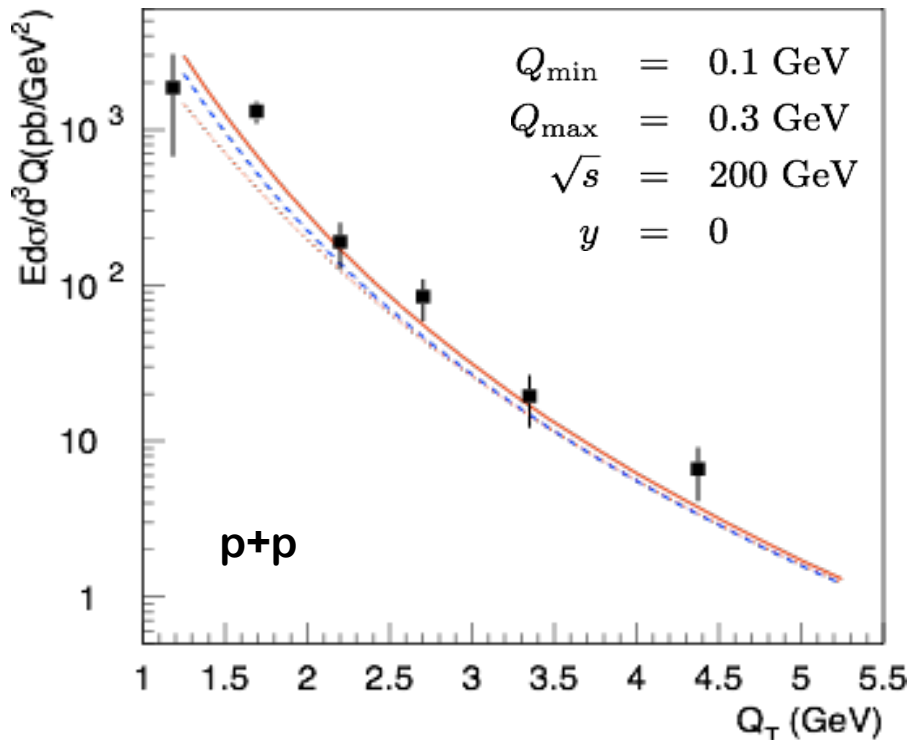
Hadronic component of fragmentation is very important at low Q_T

“Direct photon” approximation

□ Dilepton production vs direct photon production:

$$E \frac{d\sigma_{AB \rightarrow \ell^+ \ell^- (Q) X}}{d^3 Q} \approx \frac{d\sigma_{AB \rightarrow \gamma(\hat{Q}) X}}{dQ_T^2 dy} \int_{Q_{\min}^2}^{Q_{\max}^2} dQ^2 \left(\frac{\alpha_{\text{em}}}{3\pi^2 Q^2} \right) \sqrt{1 - \frac{4m_\ell^2}{Q^2}} \left(1 + \frac{2m_\ell^2}{Q^2} \right)$$

$$\approx \frac{\alpha_{\text{em}}}{3\pi} \ln\left(\frac{Q_{\max}^2}{Q_{\min}^2}\right) E_\gamma \frac{d\sigma_{AB \rightarrow \gamma(\hat{Q}) X}}{d^3 Q} \leftarrow \text{Direct photon cross section}$$



Data from PHENIX: arXiv:0804.4168

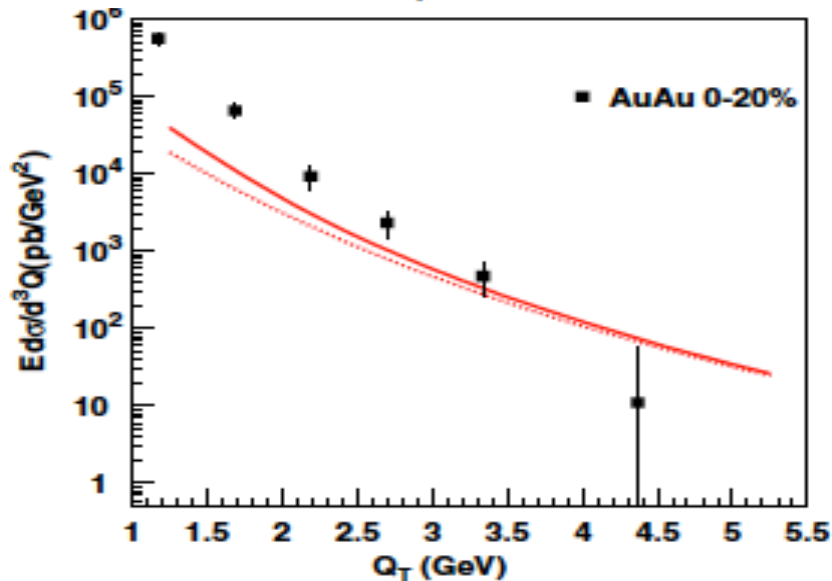
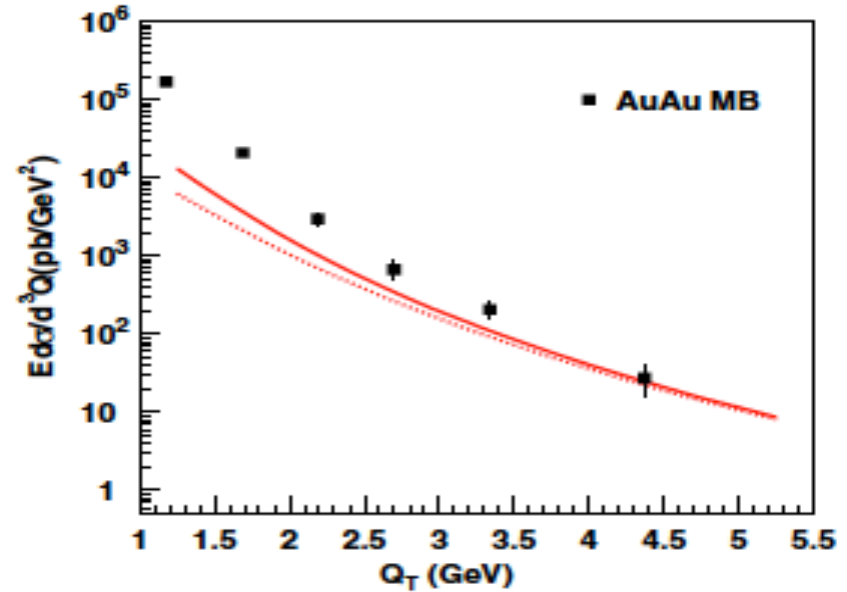
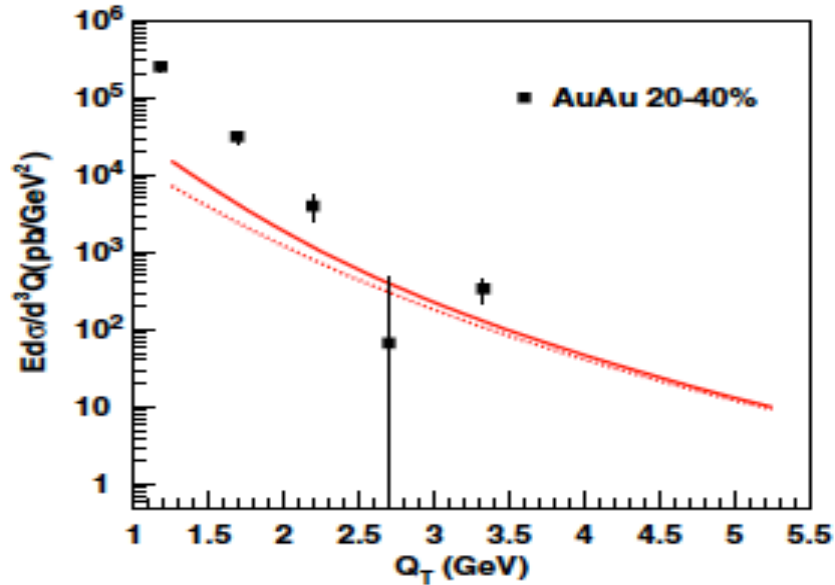
✧ Inclusive NLO direct photon (blue-dashed)

Gordon, Vogelsang, 1993

✧ Direct photon code has similar non-perturbative fragmentation functions

✧ Low mass dilepton ~ inclusive photon production

Au-Au data: beyond shadowing + isospin



✧ EPS08 nPDFs

$\kappa = 1$ (solid), $\kappa = 0$ (dotted)

✧ Clear enhancement at low Q_T

Hot medium effect?

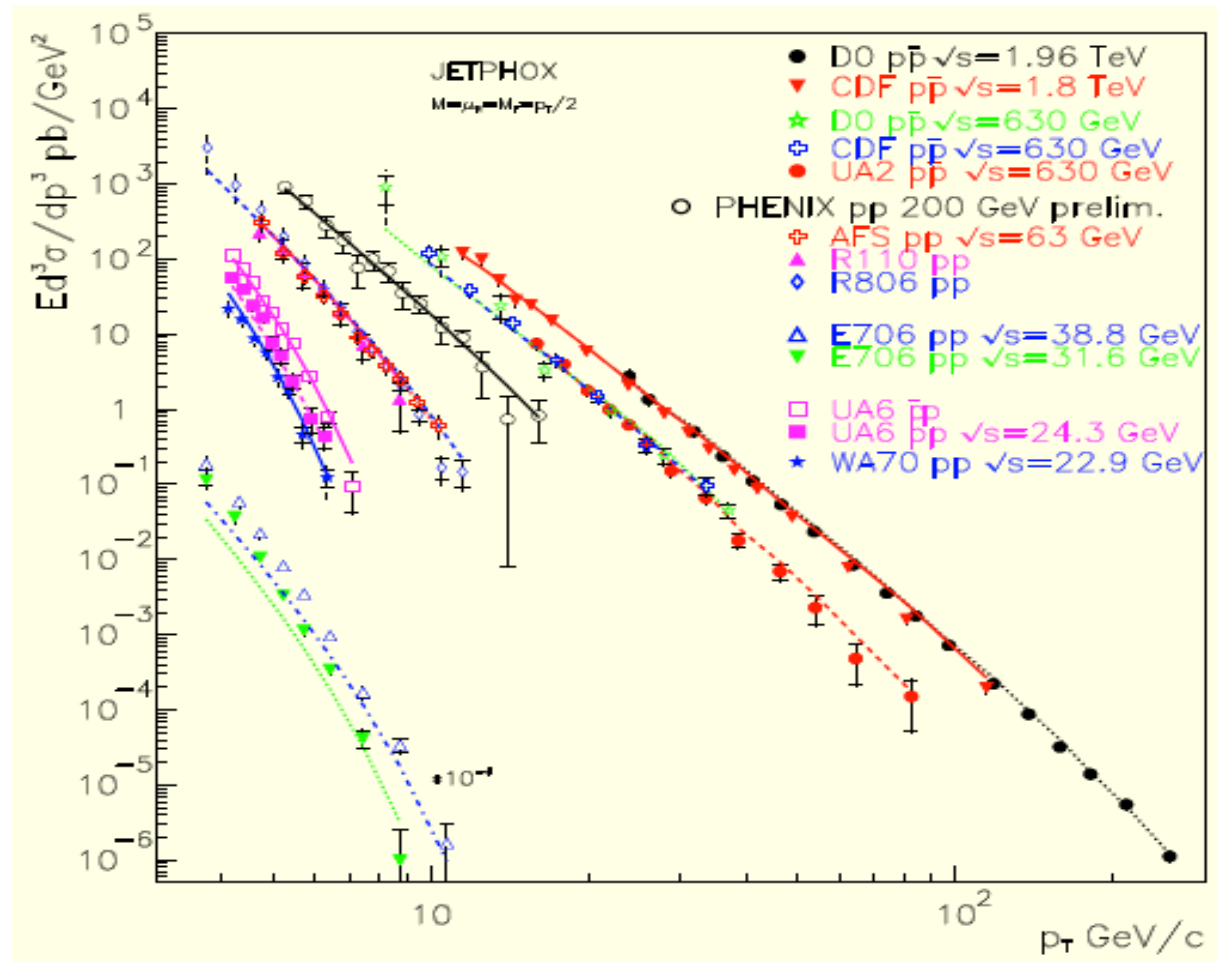
$$T = 221 \pm 19^{\text{stat}} \pm 19^{\text{syst}} \text{ MeV}$$

Data from PHENIX: arXiv:0804.4168

Kang, Qiu, Vogelsang, PRD 2009

Summary

World data:



Reasonably consistent picture covering 9 orders of magnitude

Threshold resummation helps improve theory at fixed target energy

Thank you!

Backup slices

PDF uncertainties

□ CMS and ATLAS use different PDFs:

